

August 12, 2025

ADP MEETING

SUMMER STUDENT PRESENTATION

Francis Lance T. Jumawan

University of the Philippines Diliman

Supervisors:

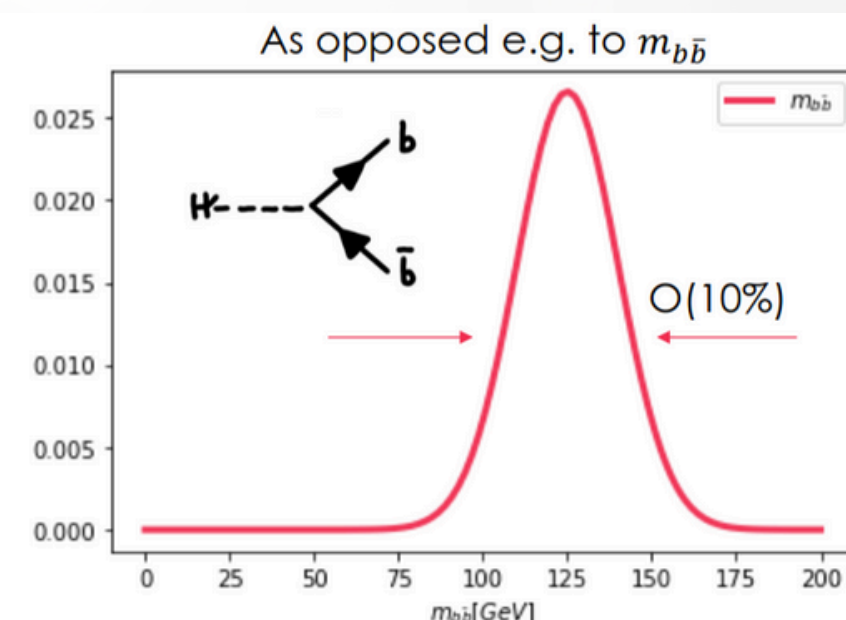
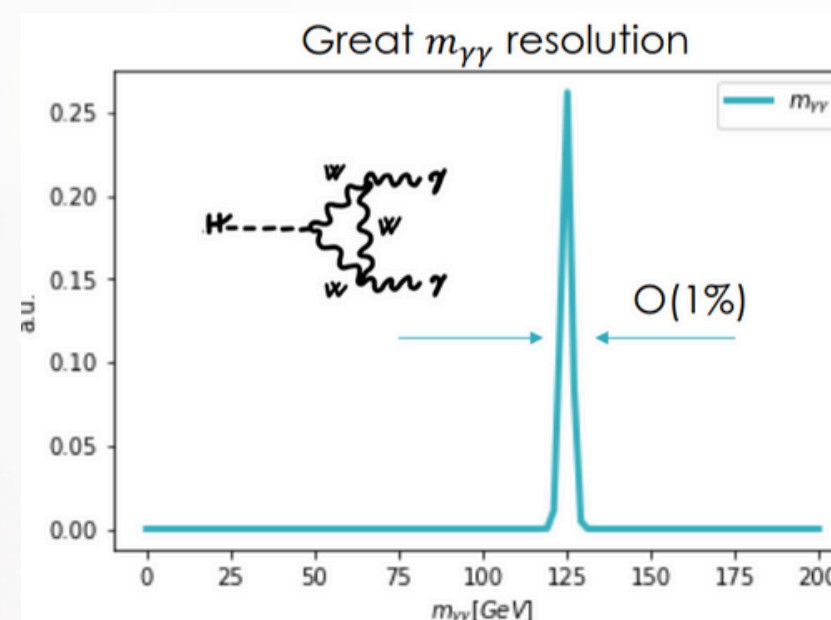
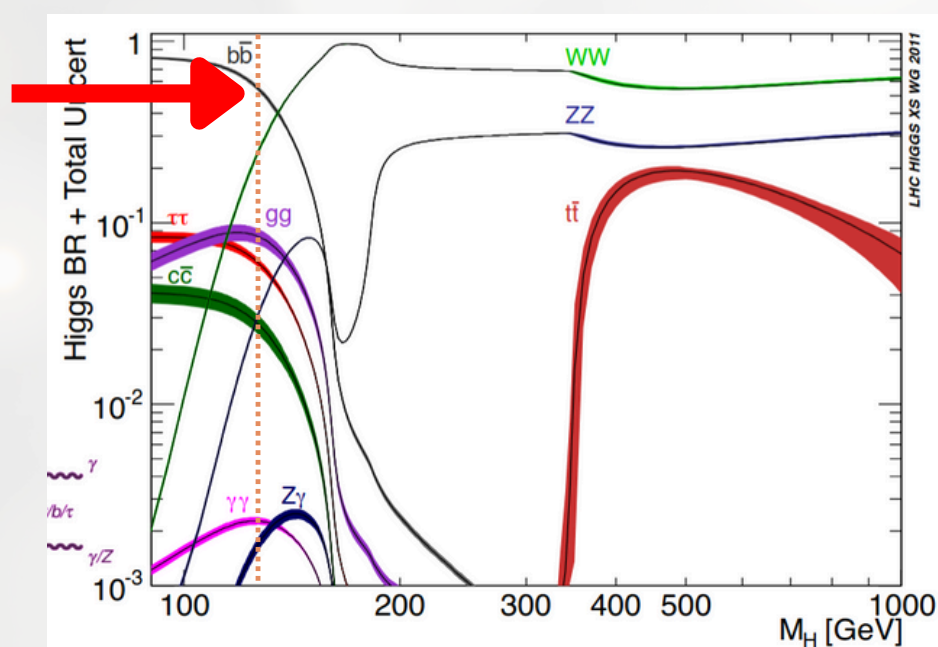
Dr. Valentina Cairo and Dr. Lorenzo Santi

CERN (HH Analysis Group)

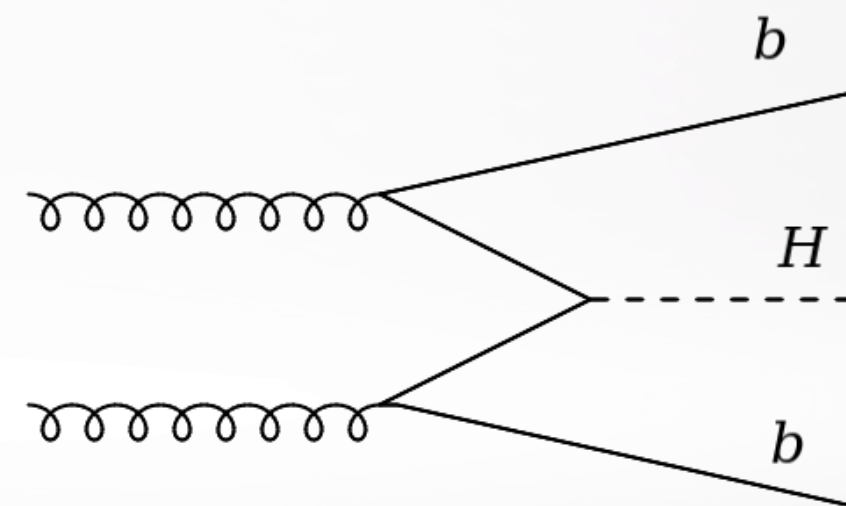
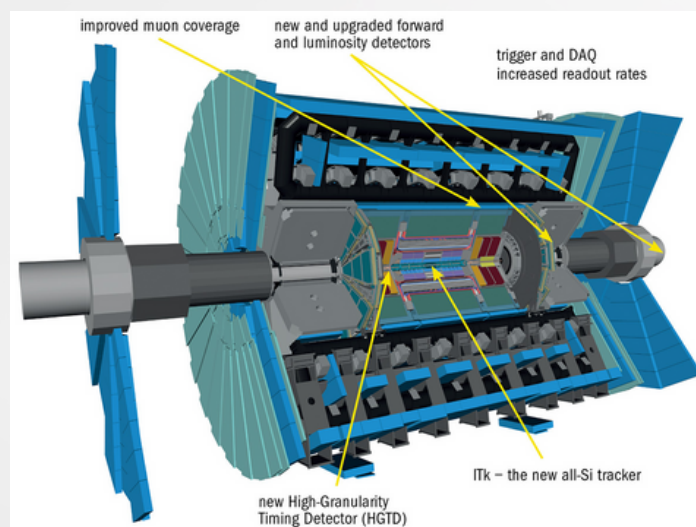


Leveraging Forward Flavour Tagging for $bbH(H \rightarrow \gamma\gamma)$ Studies in ATLAS at the HL-LHC

The Higgs-bottom Yukawa coupling y_b governs the interaction between the Higgs field and the b quark



In bbH production, bjets are usually forward and thus have a soft p_T



Probes y_b directly at tree level

Introduction

1

Reality and Limitations

2

About the samples

3

Analysis Flowchart

4

Attempts

5

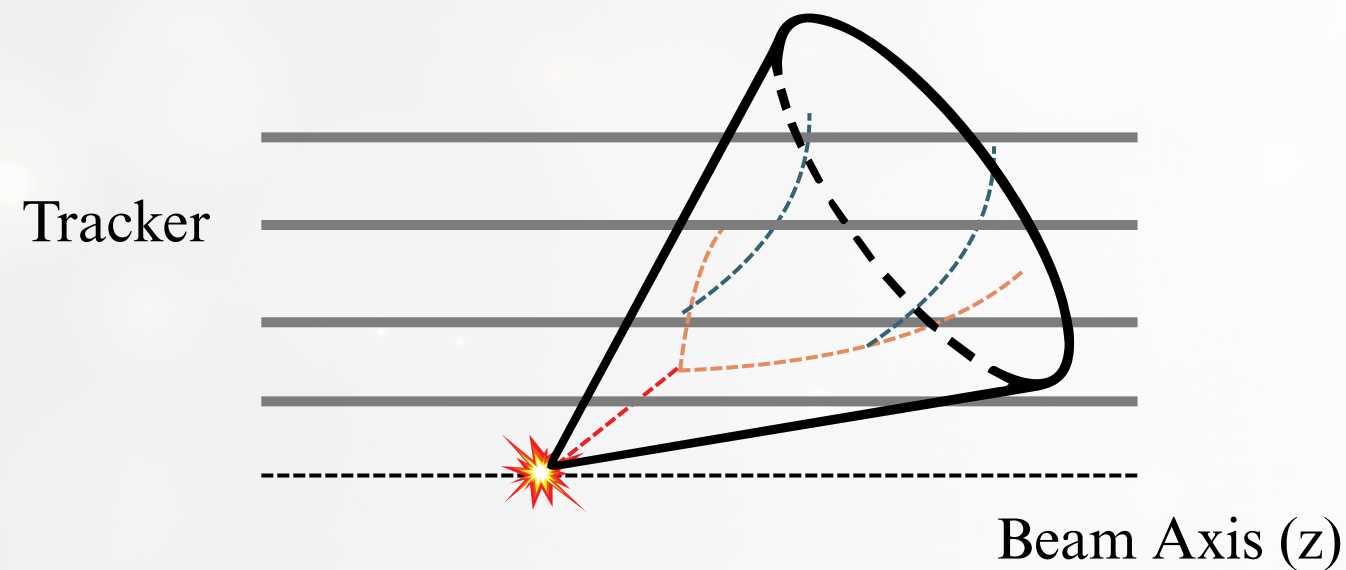
REPORT

TABLE OF CONTENTS

INTRODUCTION

WHAT IS FLAVOUR TAGGING?

- Identify the flavour of the parton from which a jet originates.

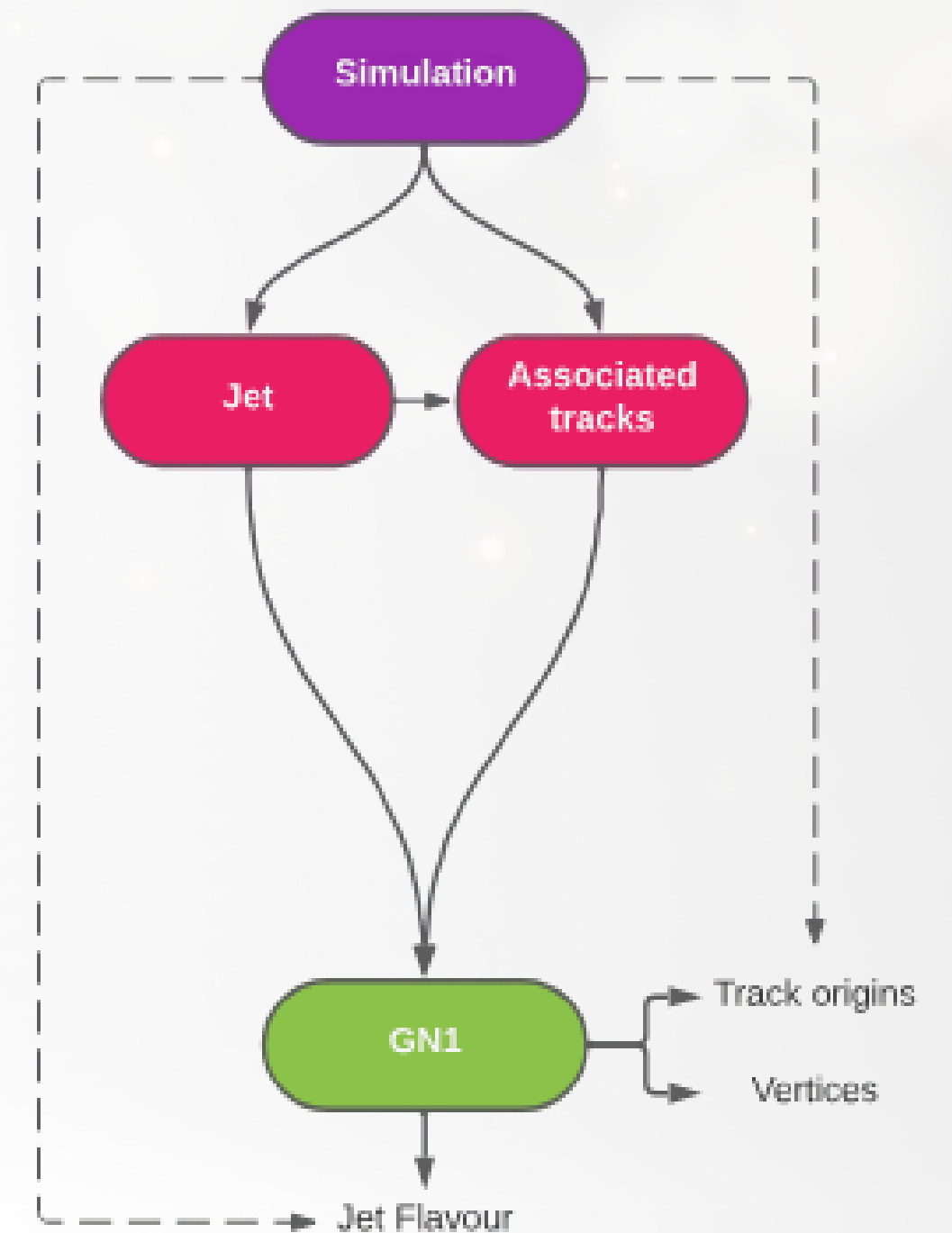


A tag from 1 to 6 (b-jet like)

WP 77%: 4, 5, 6

WP 85%: 3, 4, 5, 6

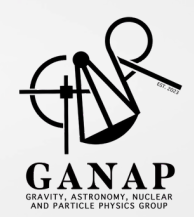
GN2



Reality and Limitations

- No HL-LHC samples currently available. (**Run 2 and Run 3** samples)
 - Which still has eta acceptance of 2.5 and below
 - The sample versions I am using is from the $HH \rightarrow b\bar{b}\gamma\gamma$

Probing the Higgs b-quark coupling (Υ_b) : $b\bar{b}H$ Analysis Feasibility study



ABOUT THE SAMPLES

SIGNAL

Higgs produced in association with b-quarks (bbH)

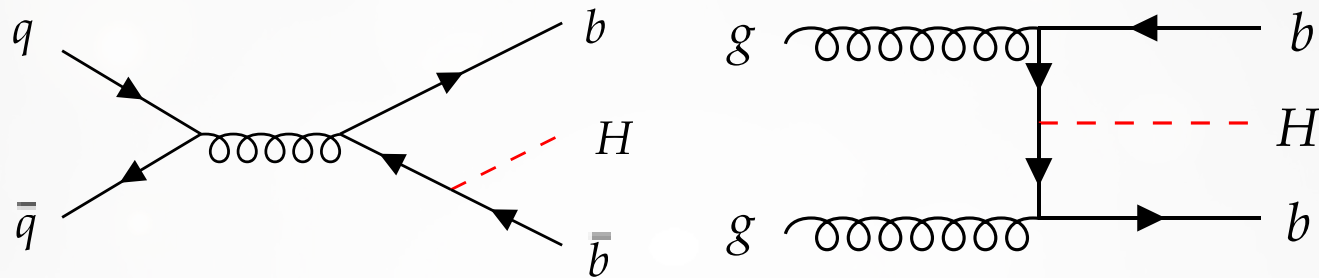
Final States: bb(H → γγ)

- 2 b-jets and 2 photons.

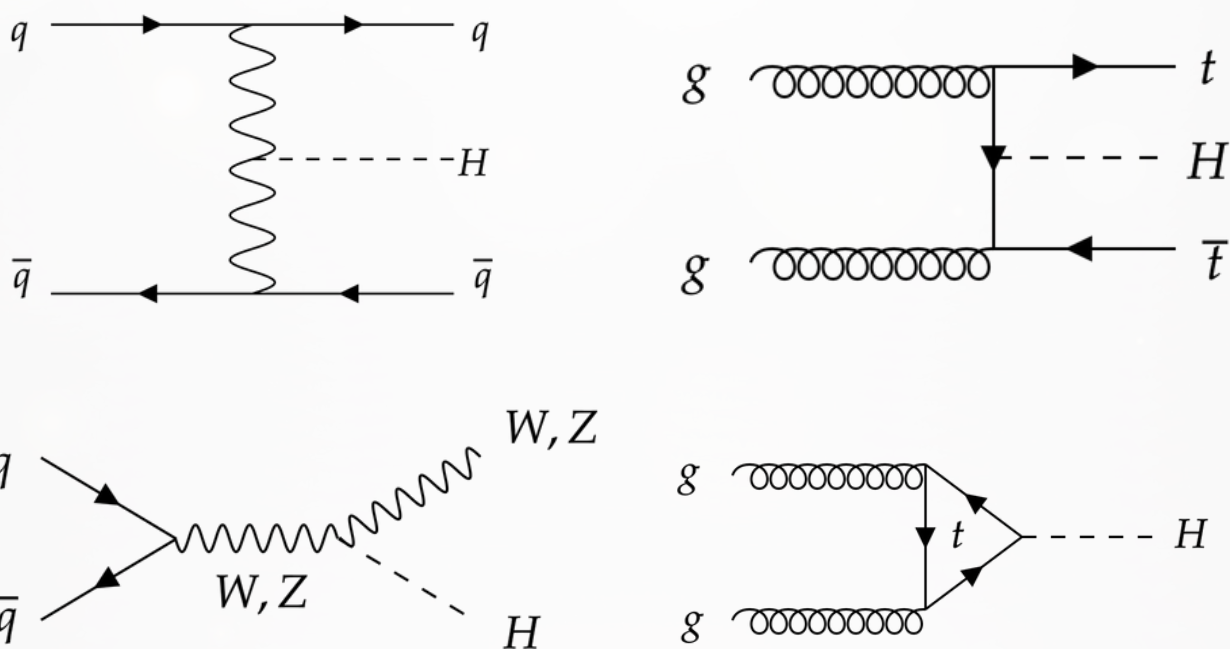
Cross-section: ~0.5 pb at 13 TeV

Feynman Diagrams

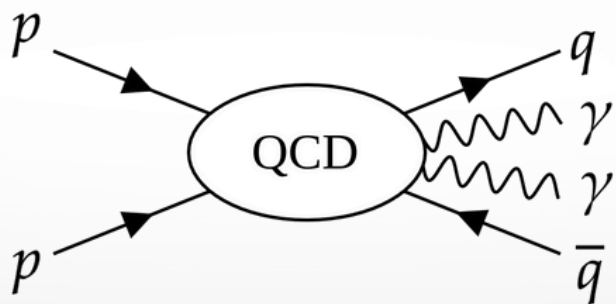
Signal



Resonant Backgrounds



Non-resonant Backgrounds



BACKGROUND

Processes with the same final states

Final States: 2 jets and 2 photons.

QCD + γγ

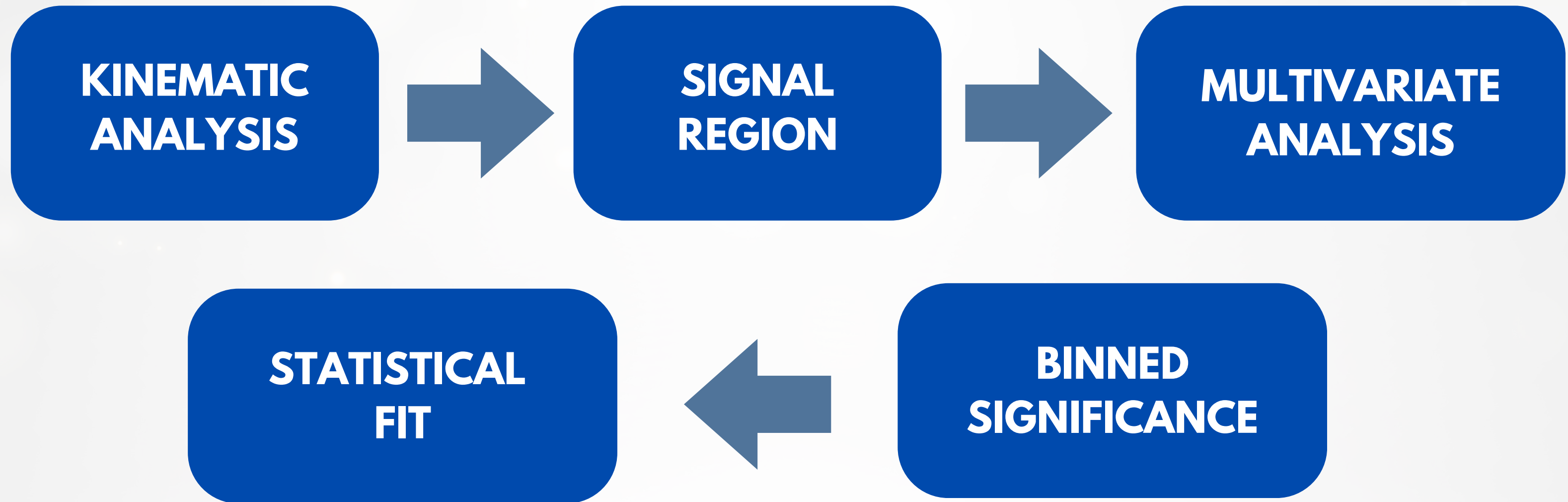
Vector Boson Fusion

gluon-gluon Fusion

Higgstrahlung

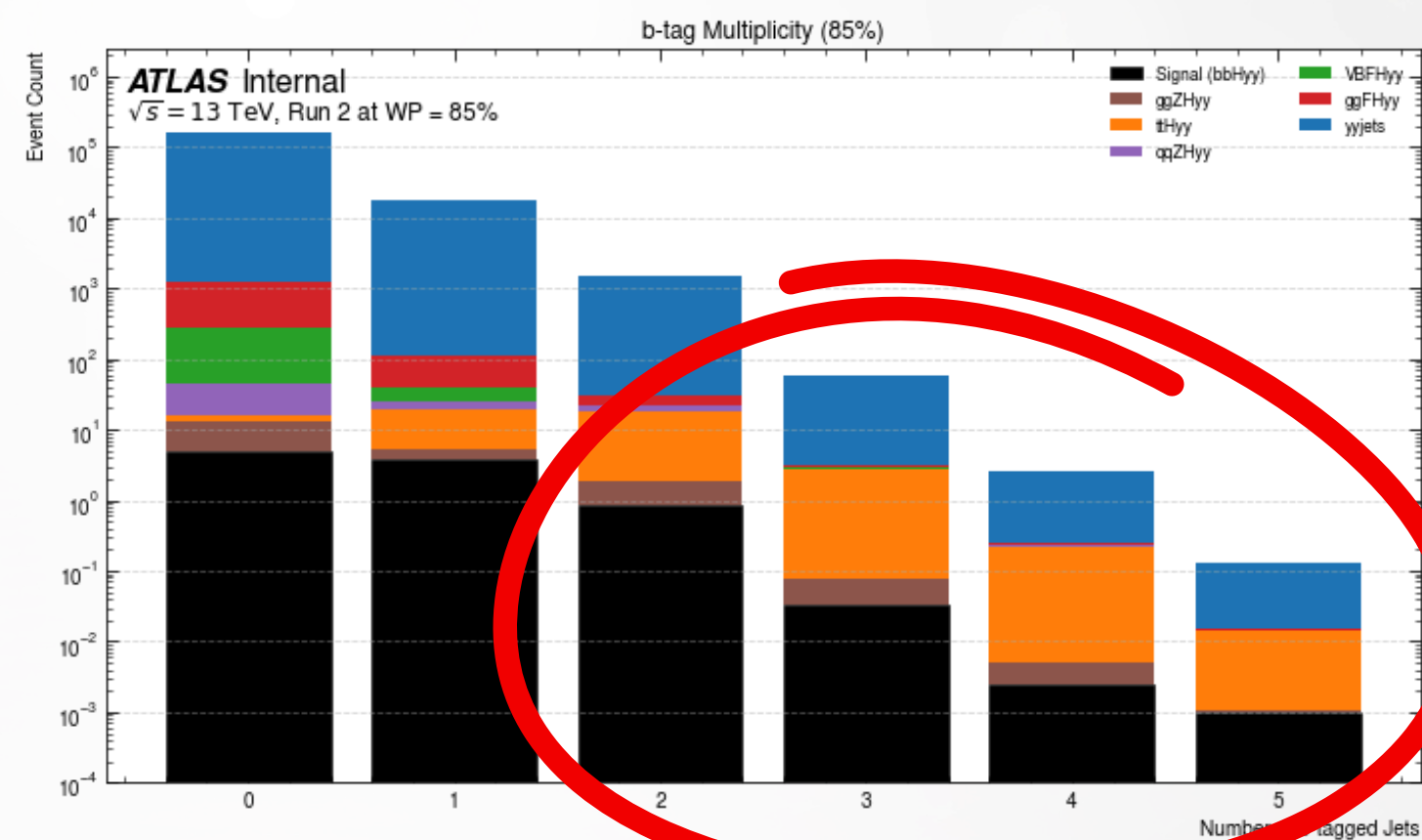
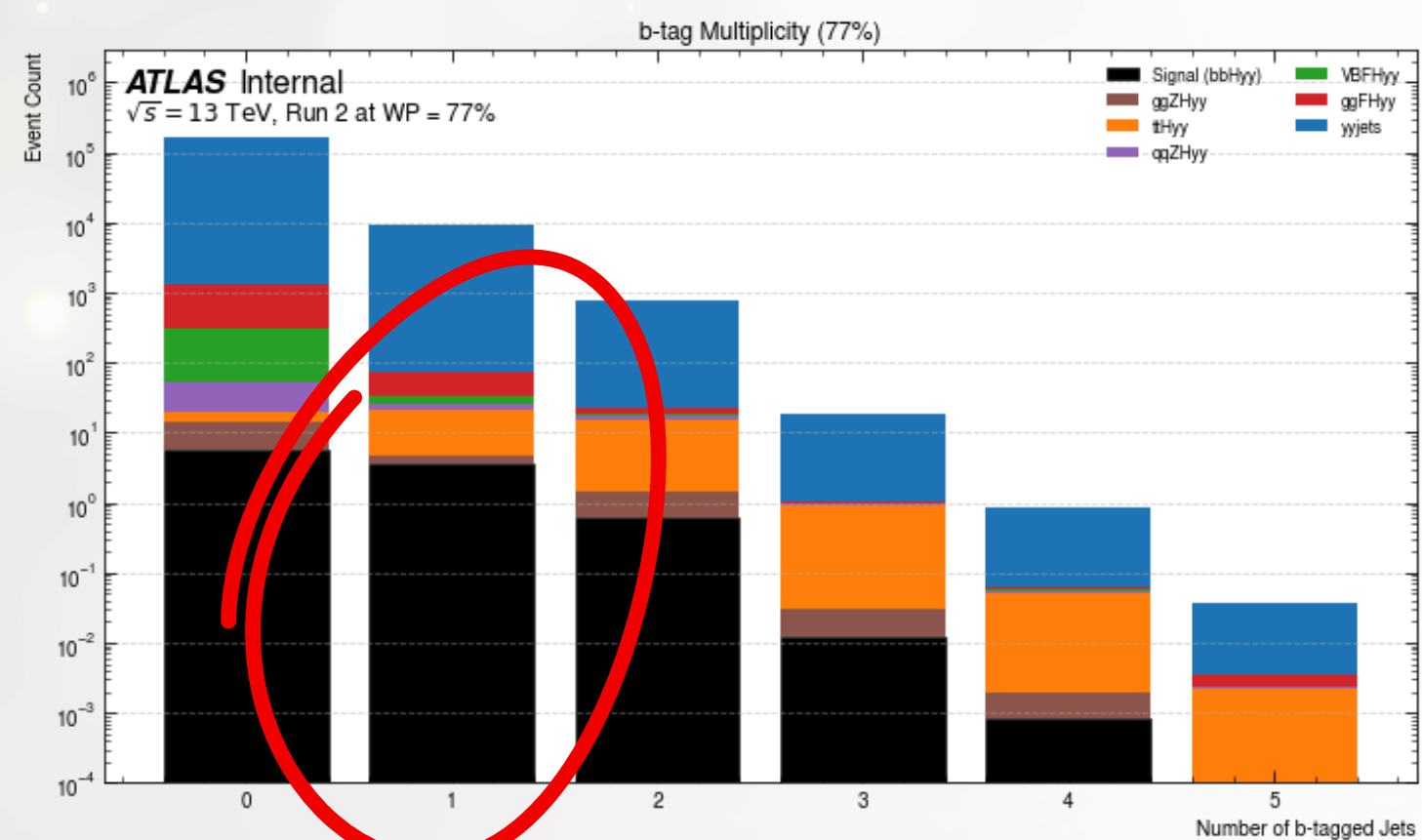
Higgs production with top quarks (ttH)

ANALYSIS FLOWCHART



1

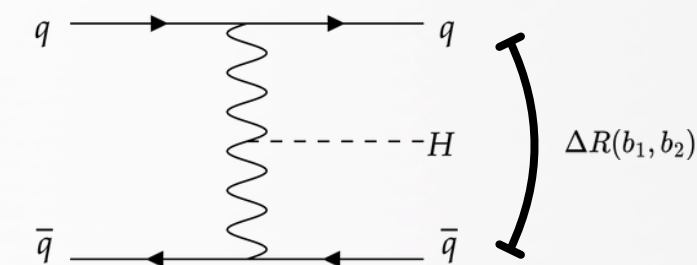
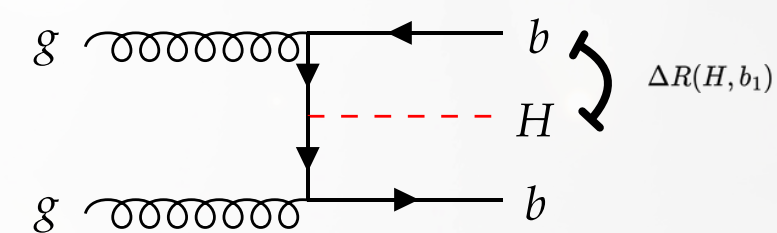
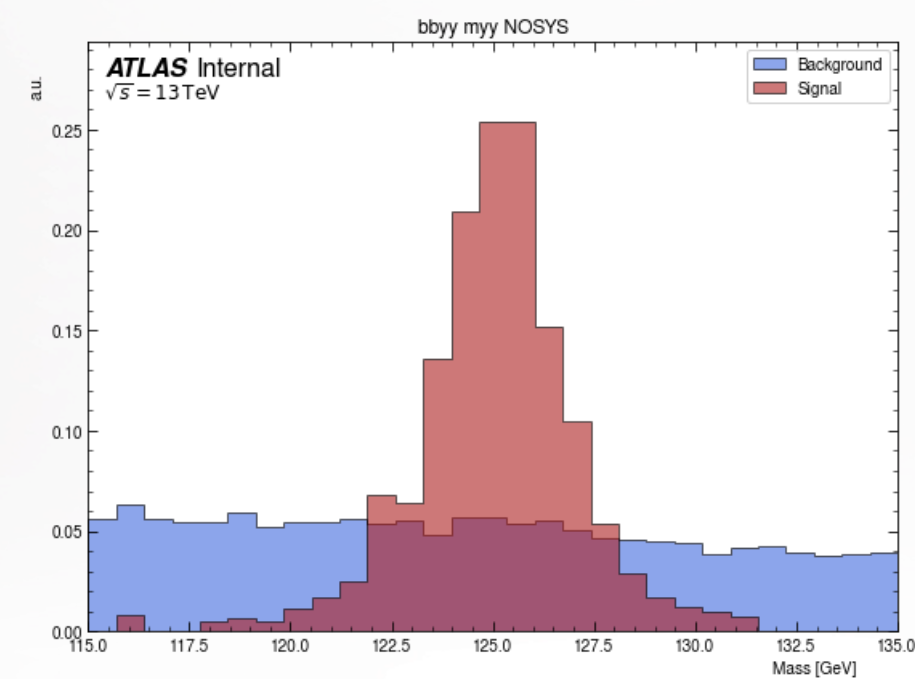
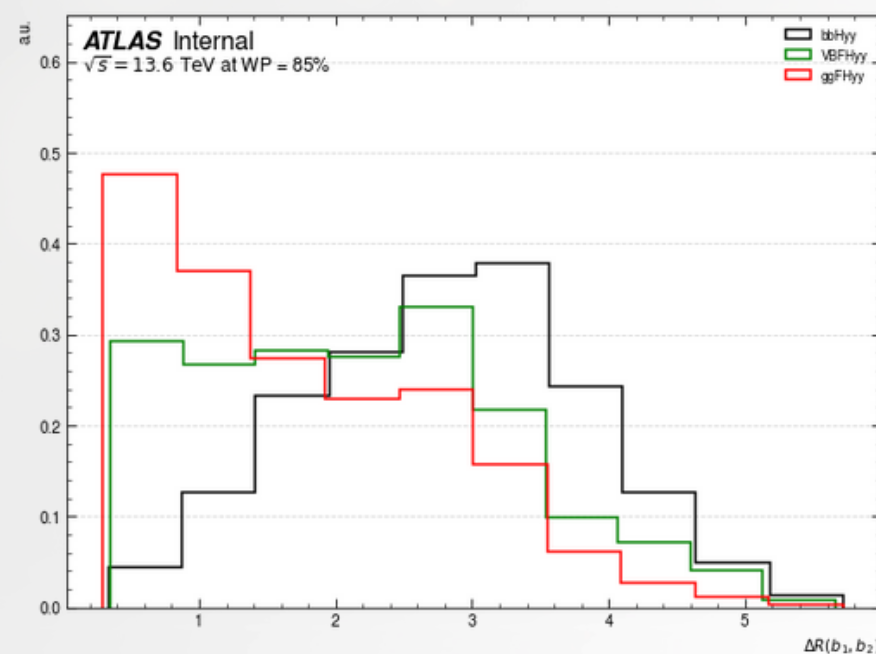
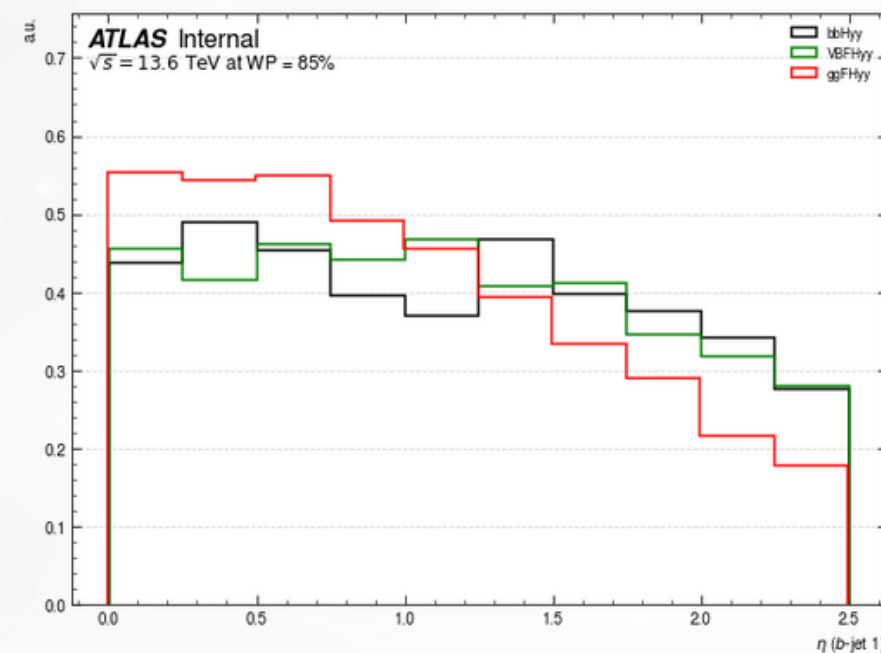
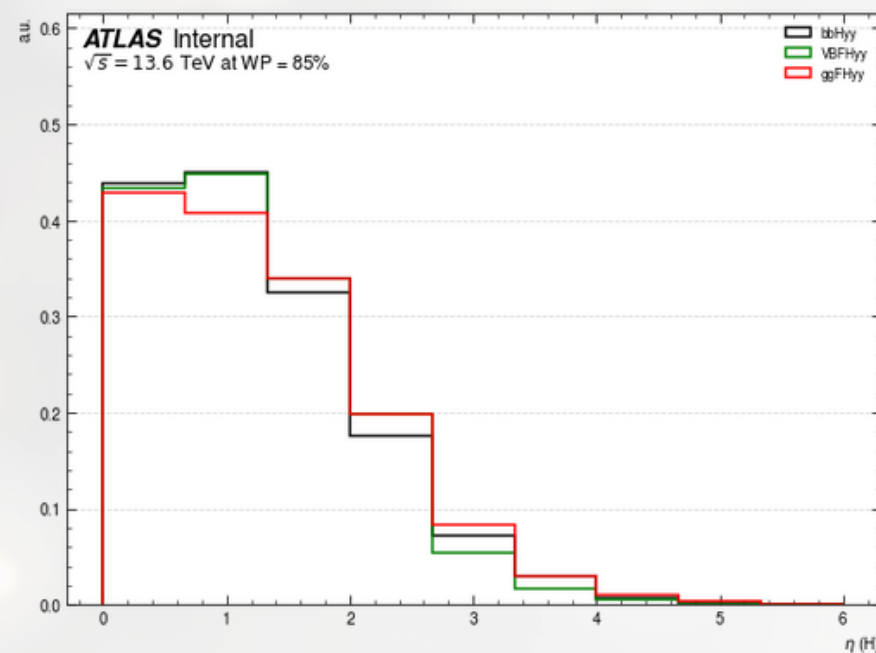
KINEMATIC ANALYSIS



2

1

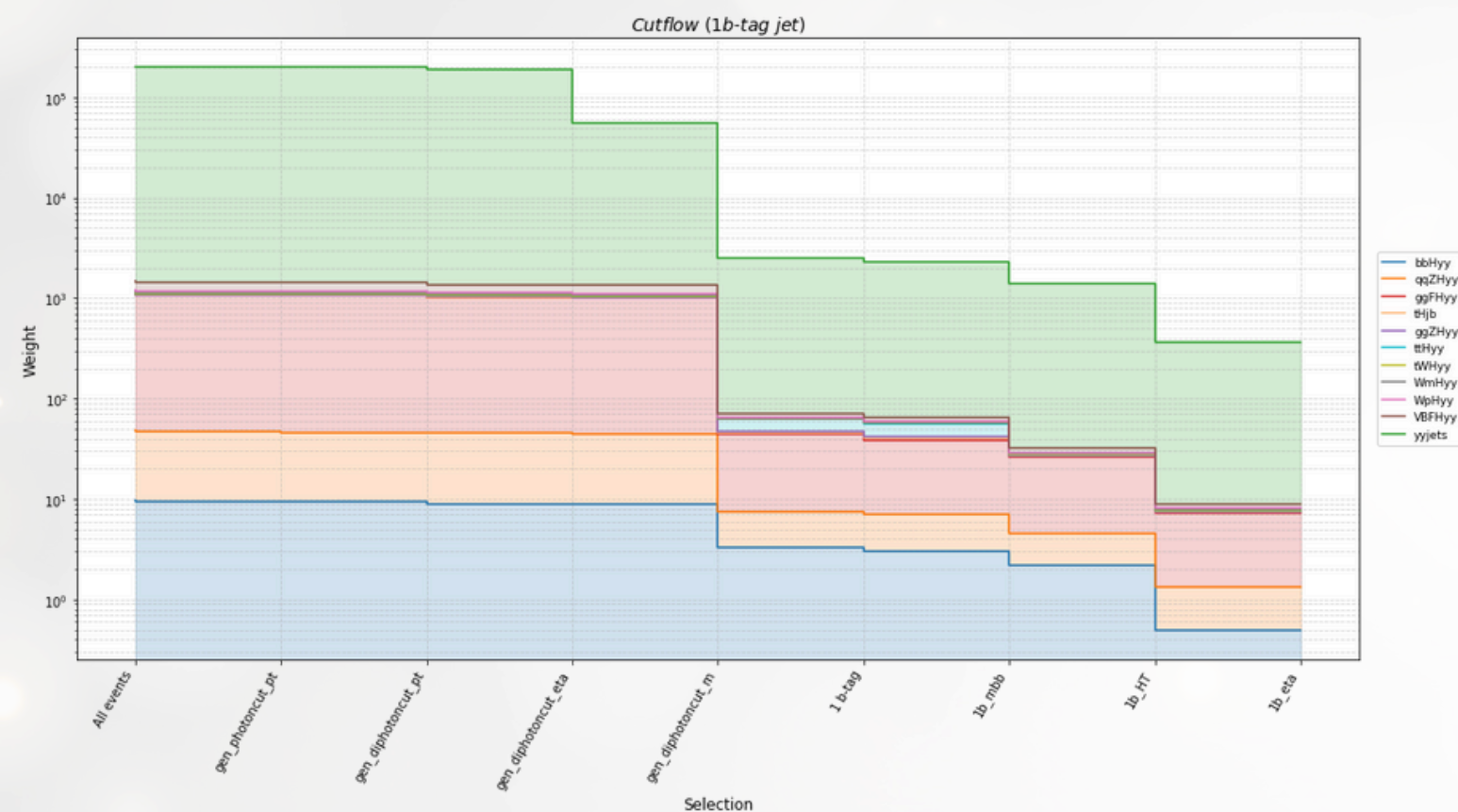
KINEMATIC ANALYSIS



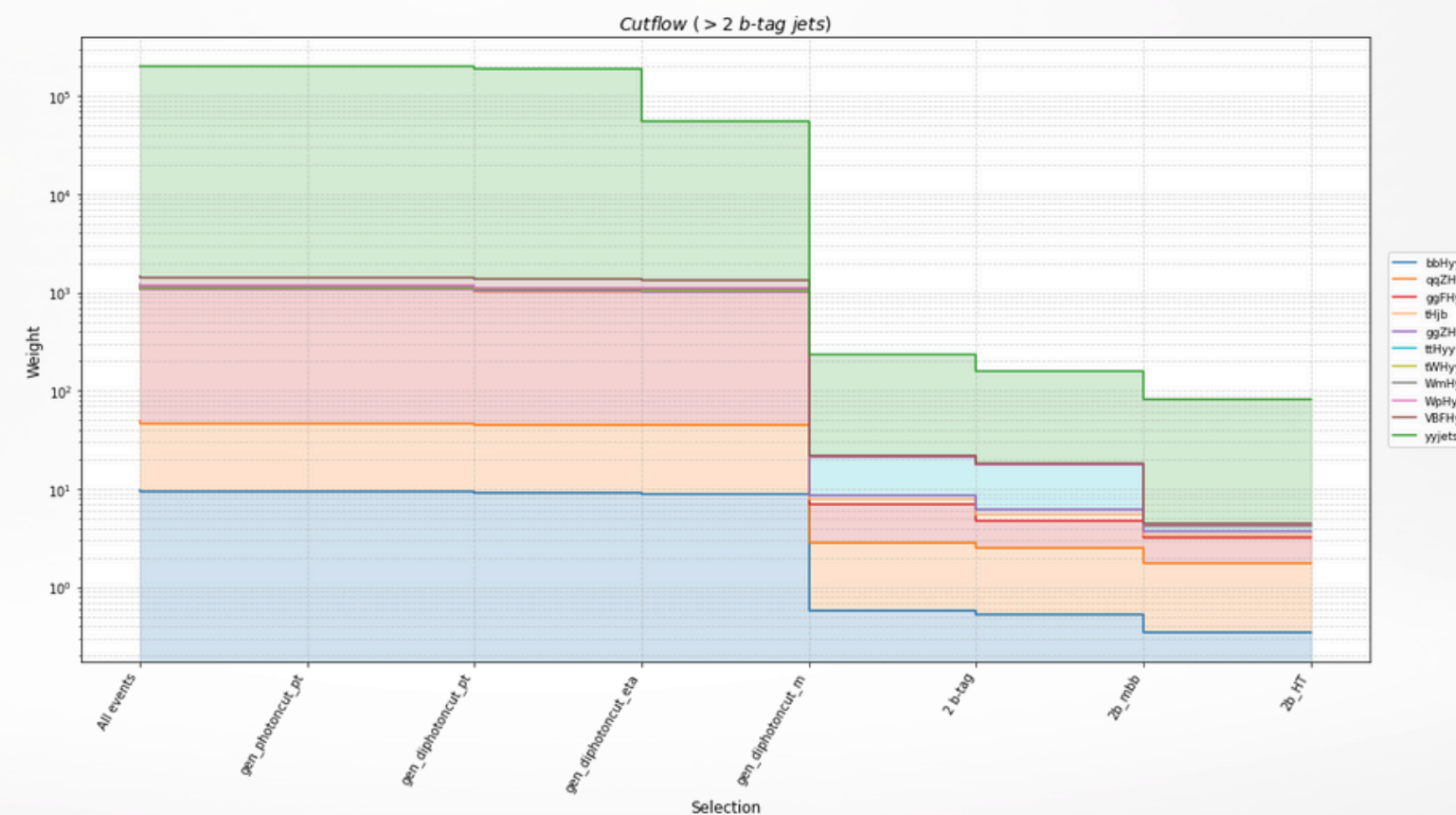
2

2

$$Z_{\text{total}} = 0.026$$



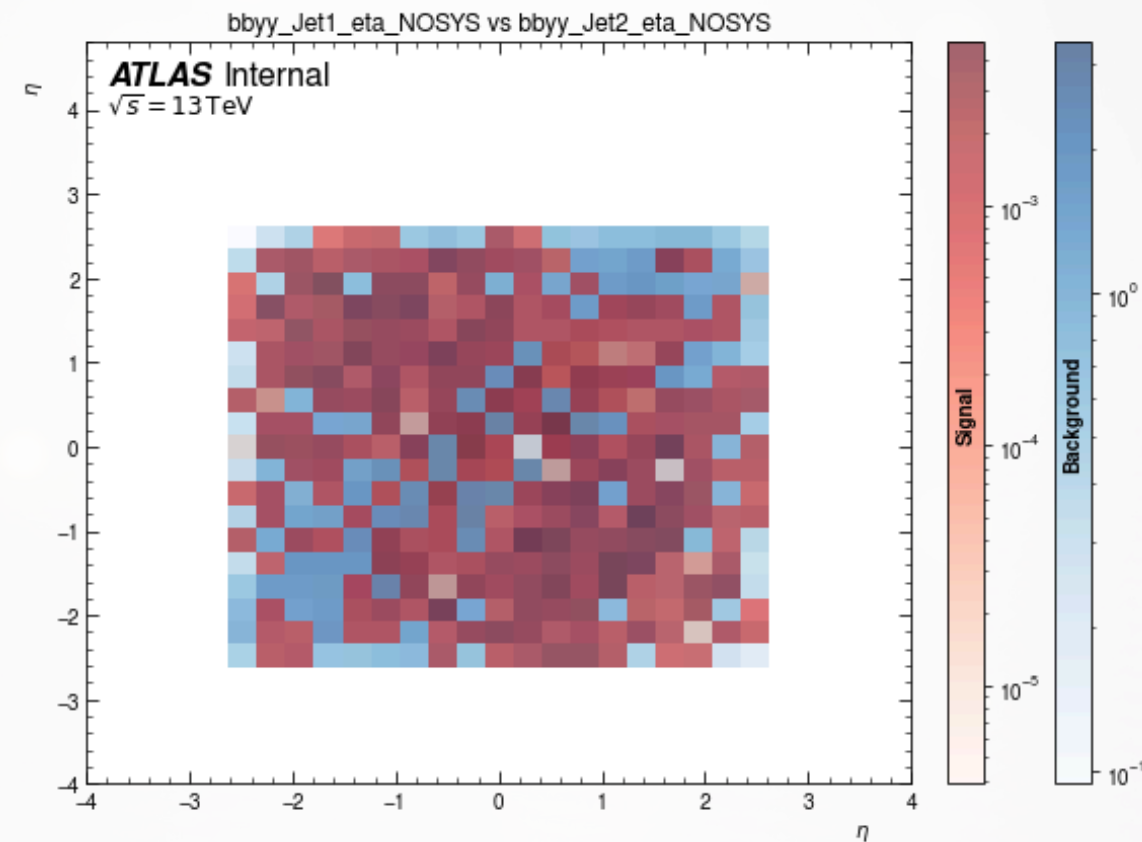
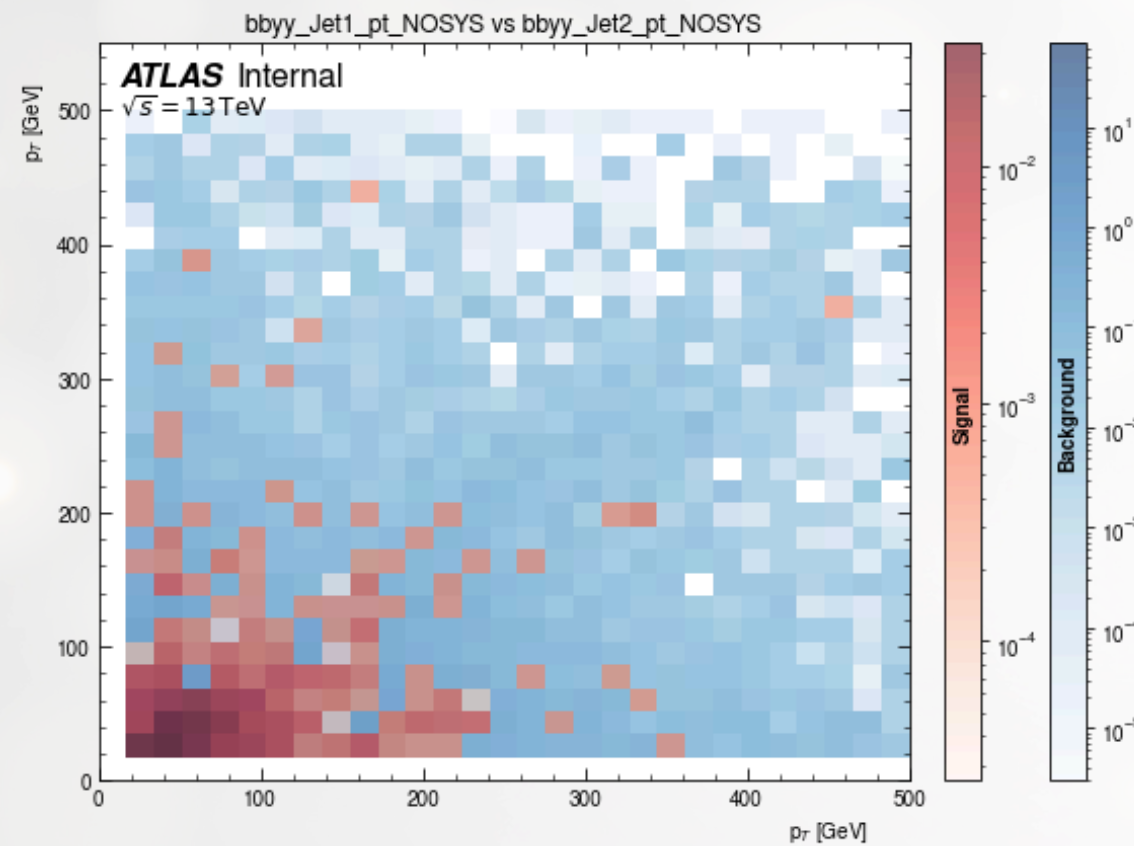
$$Z_{\text{total}} = 0.038$$

CUT-FLOW
ANALYSIS

(ATTEMPT 1)

3

leading jets (b-jet candidates)



$$\text{Central}_{p_T} = \frac{\sum_{i=1}^4 (\text{Jet } \{i\}) p_T \exp(-|\eta_i|)}{\sum_{i=1}^4 (\text{Jet } \{i\}) p_T}$$

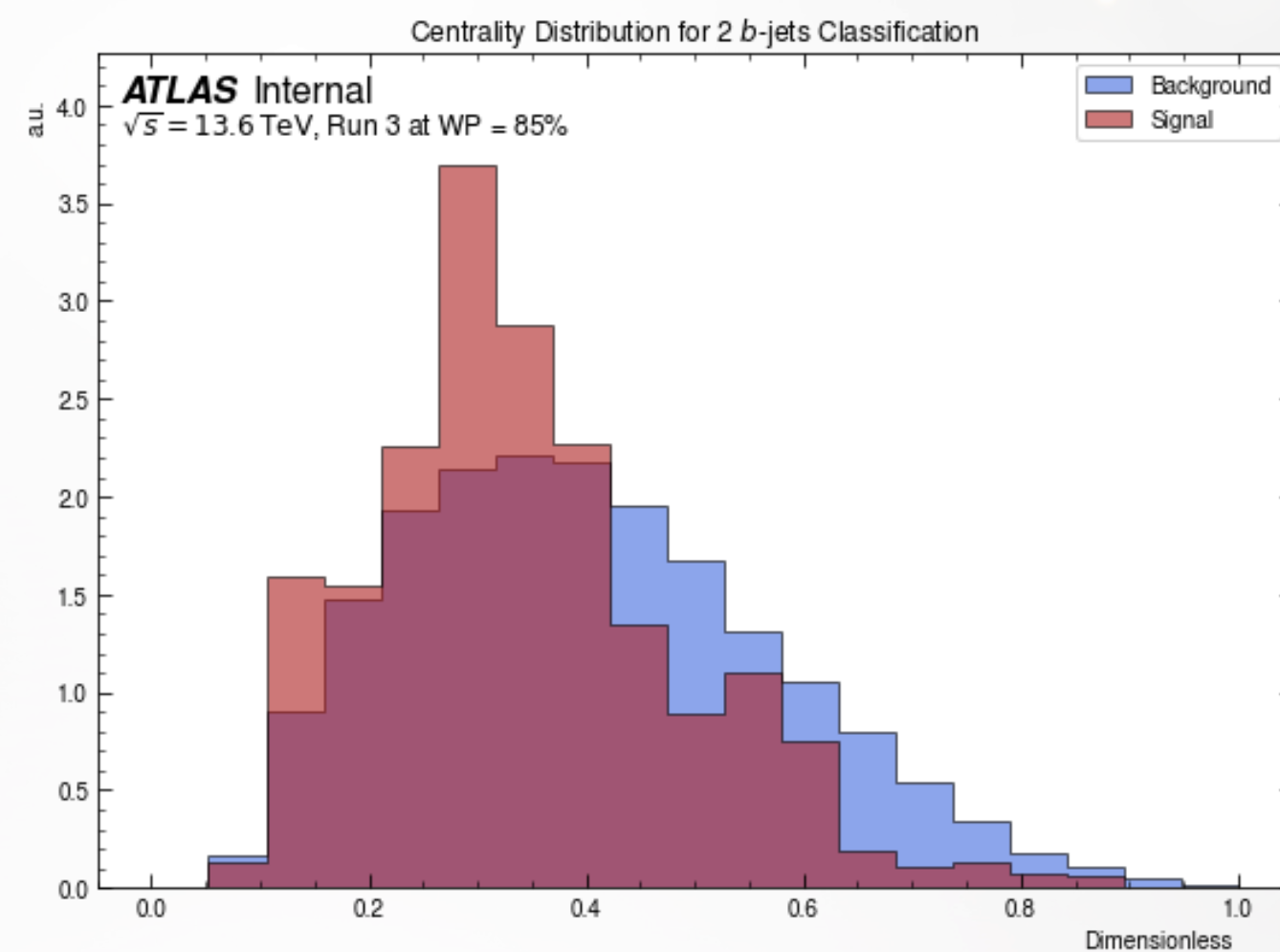
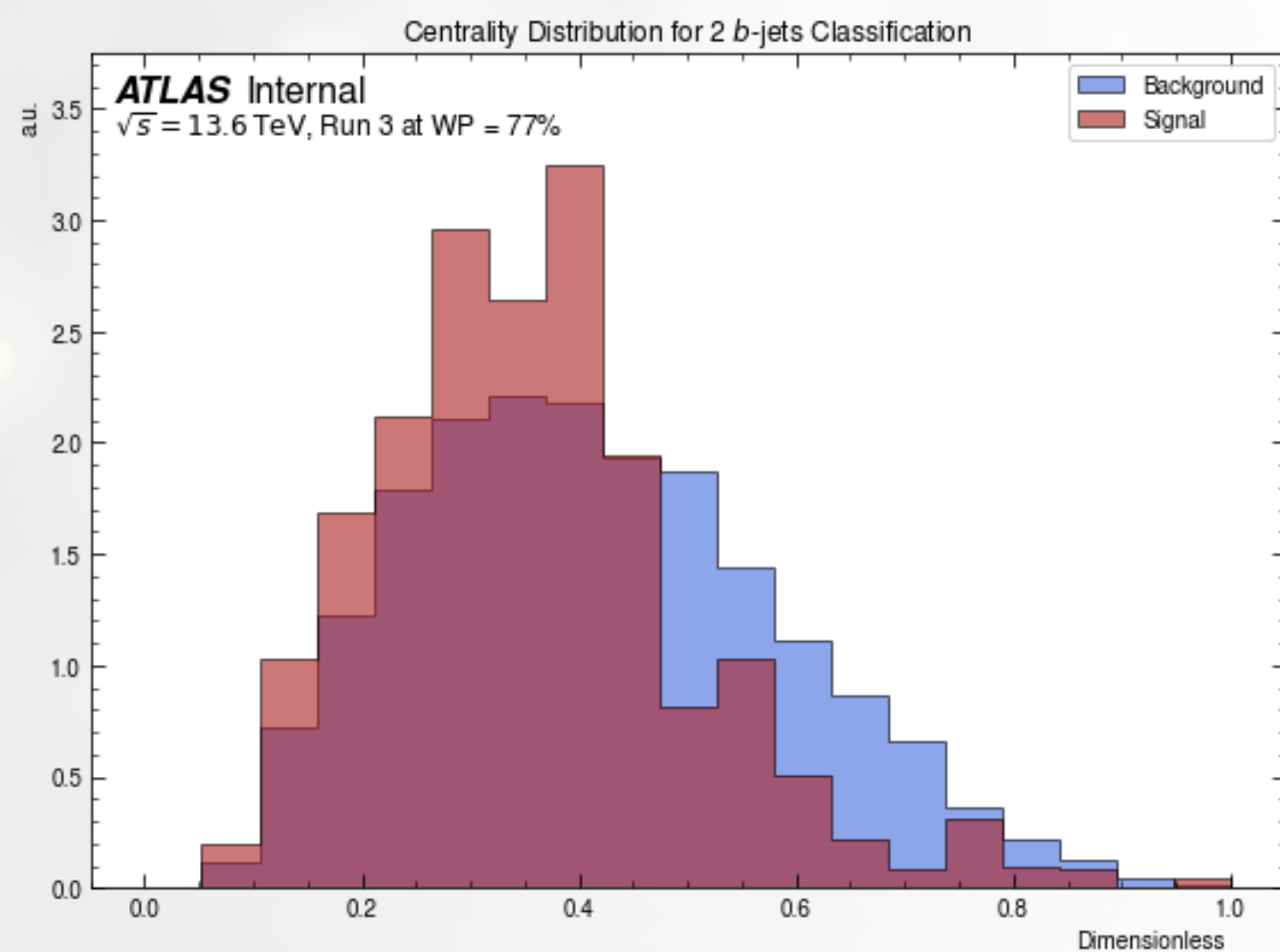
3

FEATURES

4

3

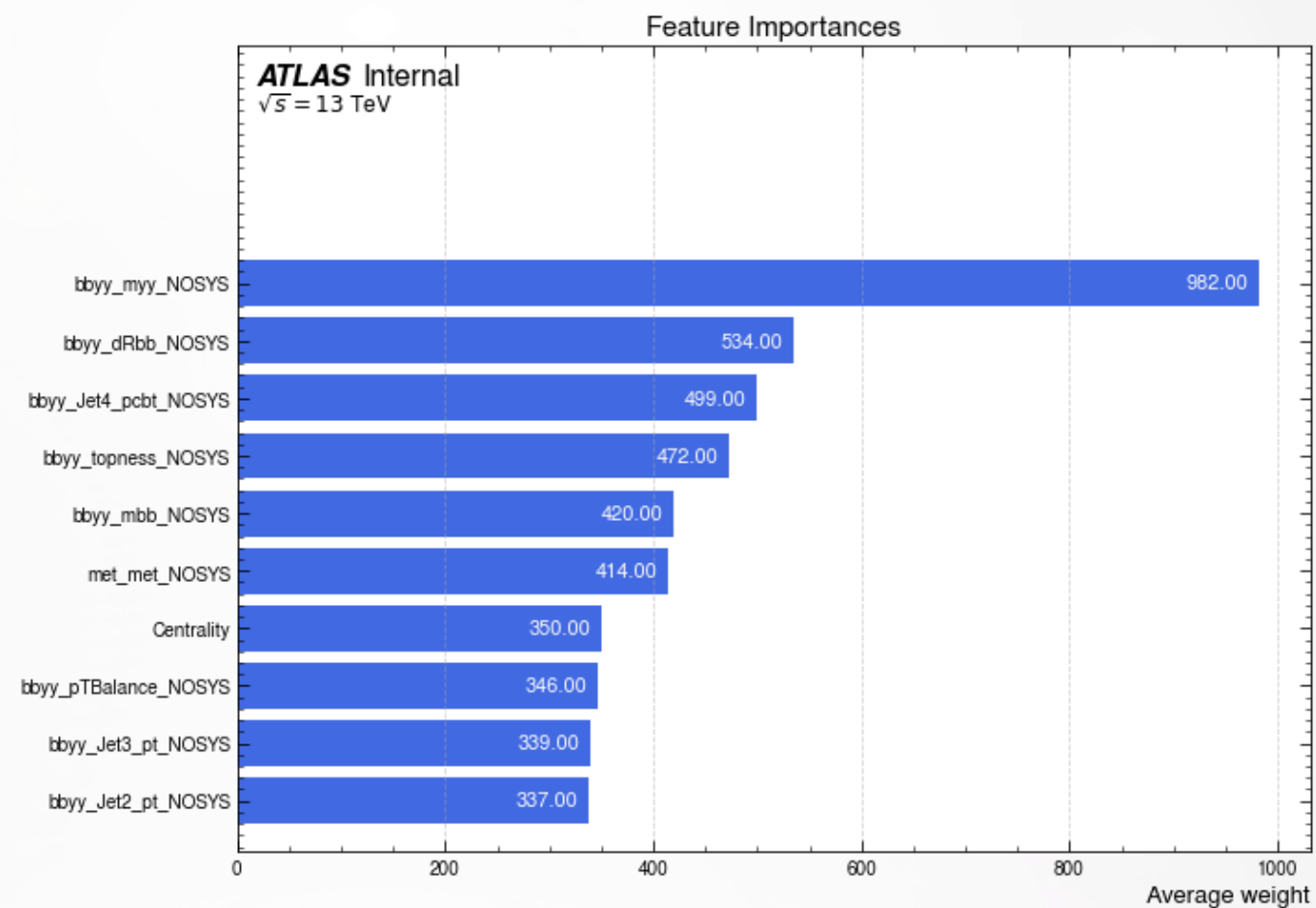
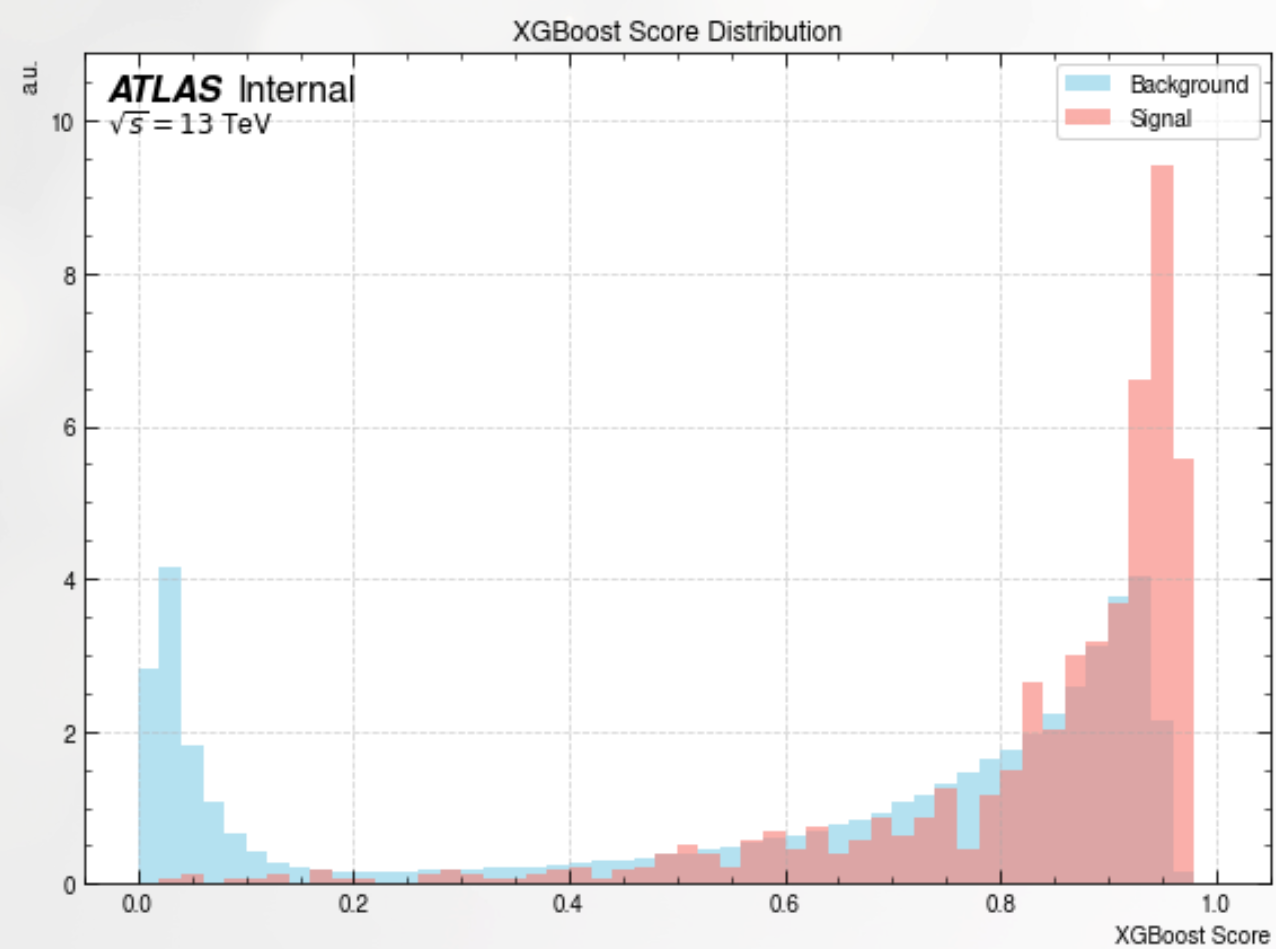
FEATURES



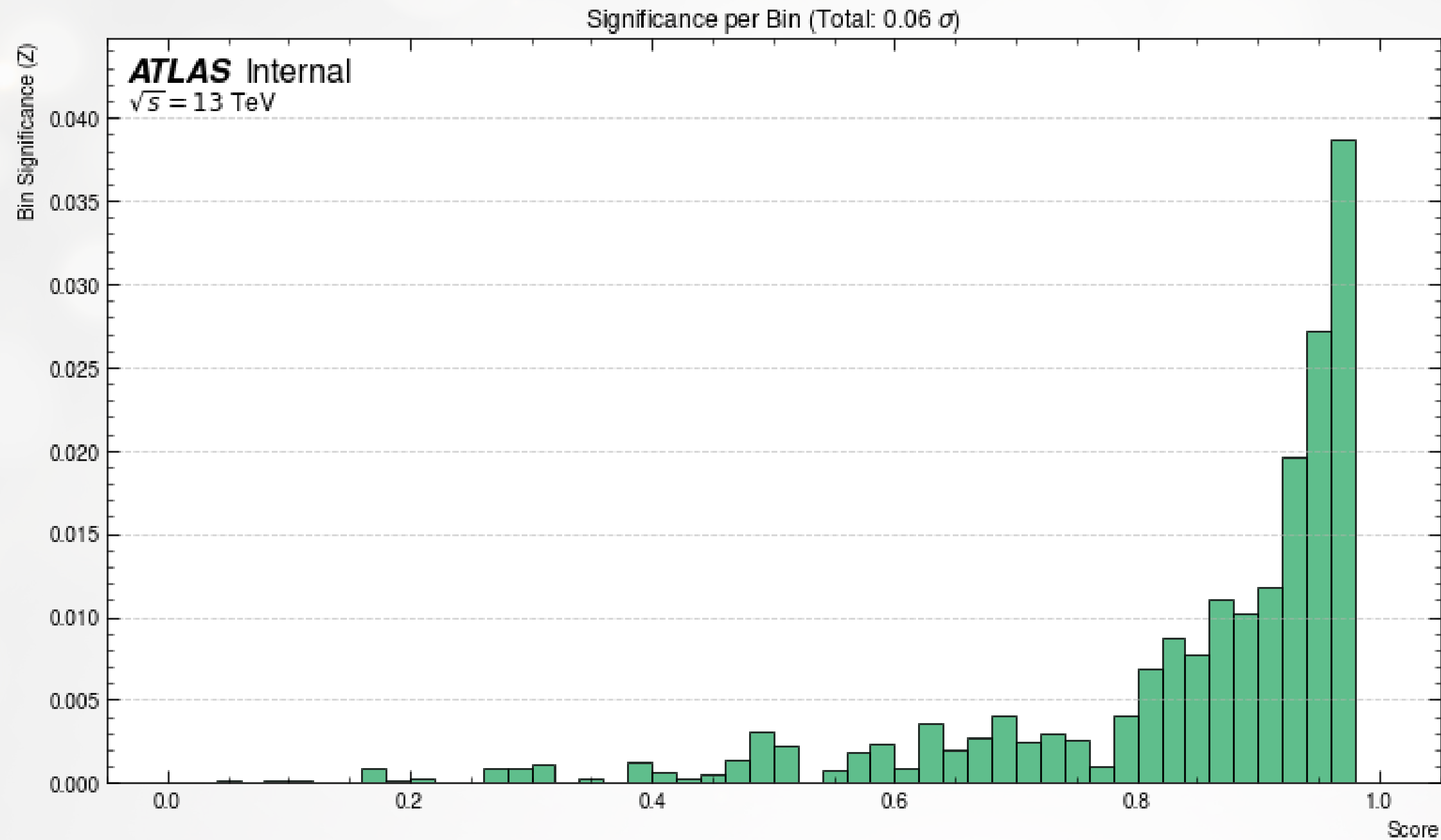
4

3

BOOSTED DECISSION TREE



4



$$Z_{total} = \sqrt{\sum_i Z_i^2}, \text{ where } Z = \sqrt{2((n_s + n_b) \log\left(1 + \frac{n_s}{n_b}\right) - n_s)}$$

4

**BINNED
SIGNIFICANCE**

5

Run 2 Significance	WP = 77%	WP = 85%
1 b-tag	0.09	0.08
2 b-tag	0.05 (0.04)	0.05 (0.06)

Run 3 Significance	WP = 77%	WP = 85%
1 b-tag	0.08	0.07
2 b-tag	0.02 (0.08)	0.03 (0.06)

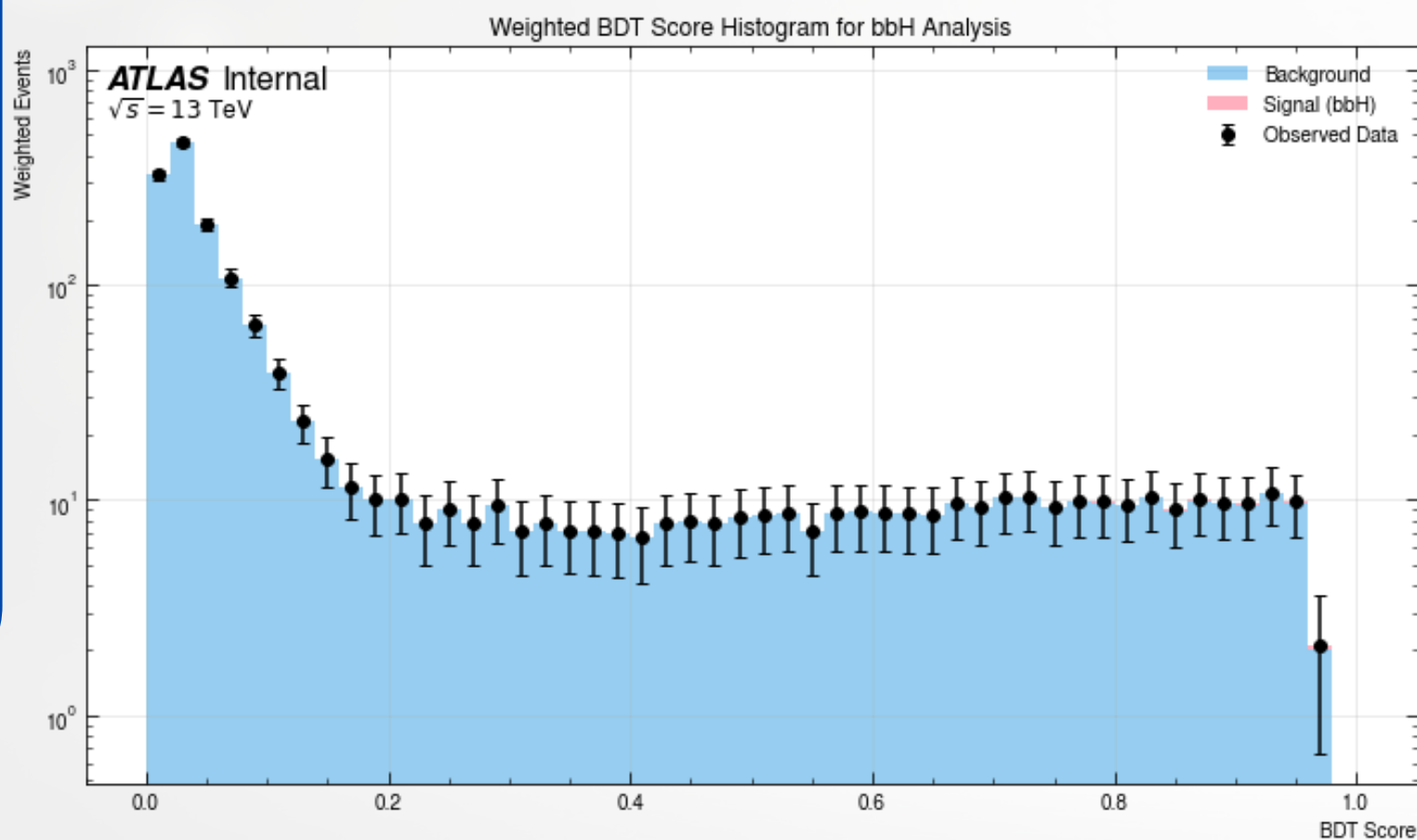
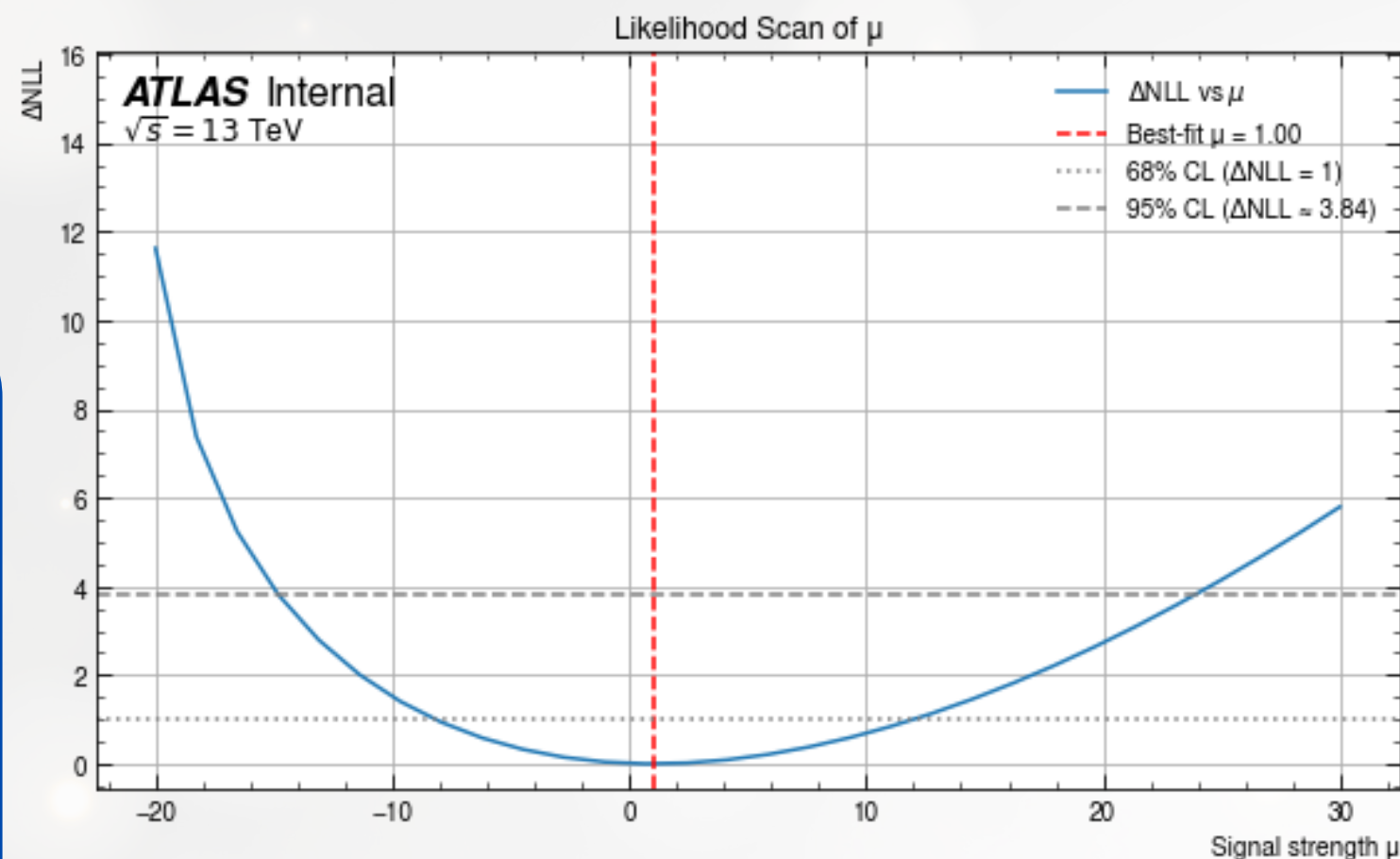
4

BINNED
SIGNIFICANCE

5

5

STATISTICAL FIT



In finding the signal strength (μ), the negative log likelihood is minimized

$$NLL = -\log(\mathcal{L})$$

where the likelihood is defined as,

$$\mathcal{L}(\text{data}, \mu) = \prod_i \mathcal{P}(n_i | \mu \cdot s_i + b_i)$$

Test statistic

$$q(\mu) = -2 \ln \left(\frac{\mathcal{L}(\mu)}{\mathcal{L}(\mu_{best})} \right)$$

The 95% region is defined as $q(\mu) \leq 3.84$

Result:

Signal strength (μ): 1.000

95% CL interval: $\mu \in [-14.83, 24.83]$

CONCLUSION

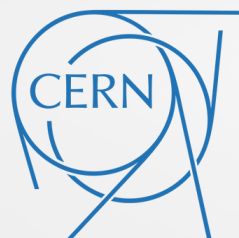
Our current feasibility study shows that with the Run 2/3 acceptance and statistics, the sensitivity is very limited. The main challenges are the small number of signal events, significant kinematic overlap with resonant backgrounds, and detector geometry

Overall, while the current results show the difficulty of the measurement with present datasets, they also point to clear directions for improvement at the HL-LHC

NEXT STEPS

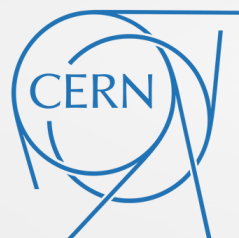
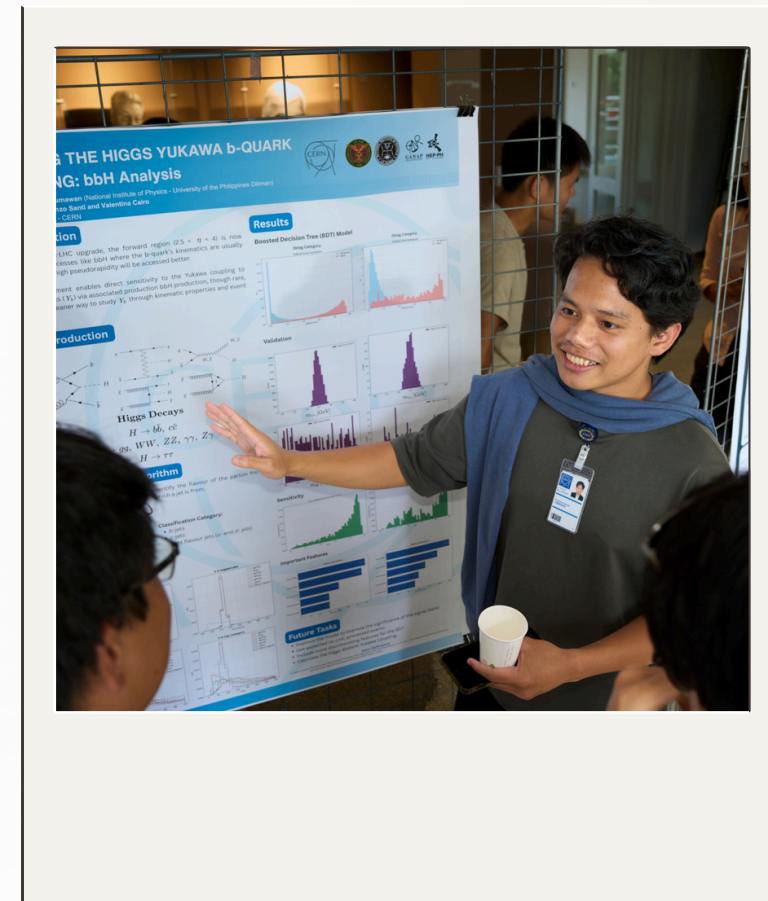
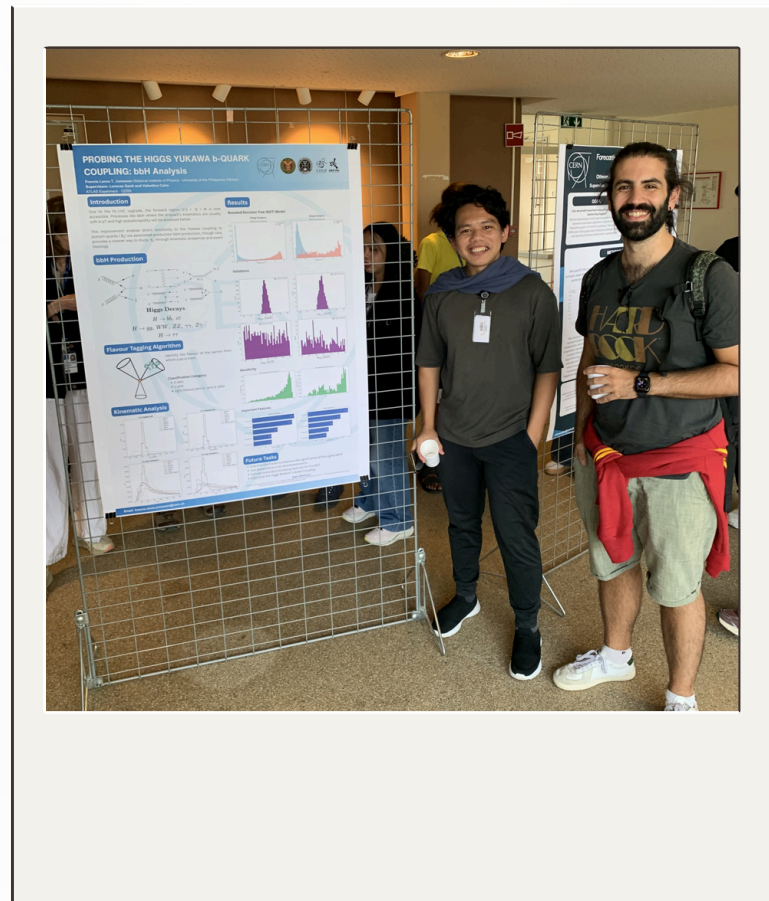
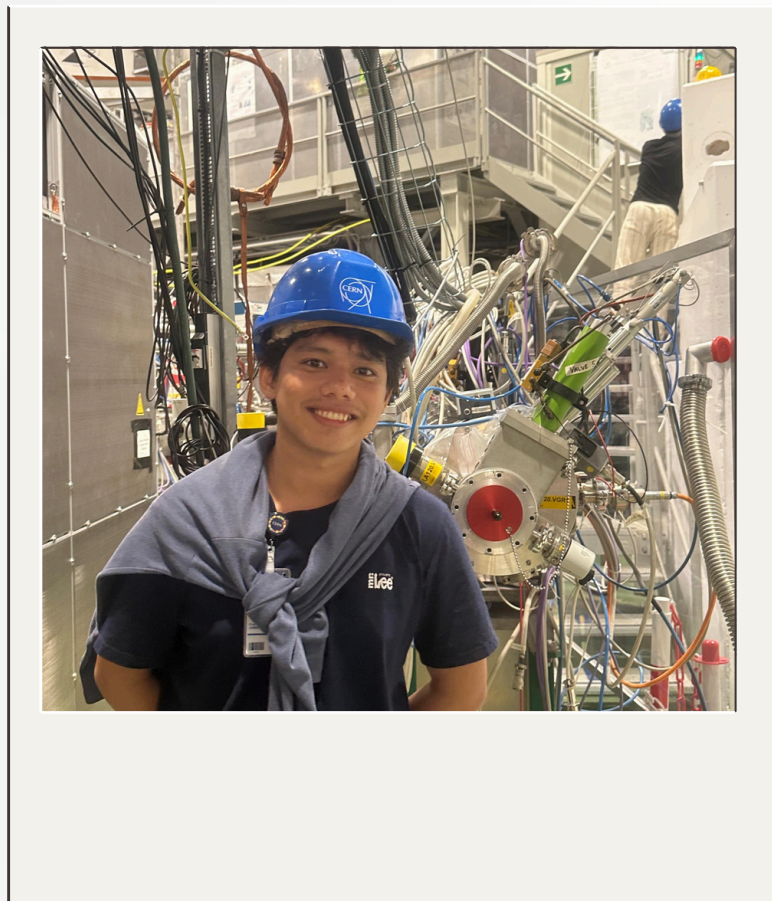
- HL-LHC conditions will give more statistics and extended η coverage
- Better signal–background separation using additional discriminating features and more advanced machine learning
- Improvements in forward b–tagging performance will also help
- A statistical fit on on data will allow us to set meaningful upper limits on the signal strength μ

THANK YOU



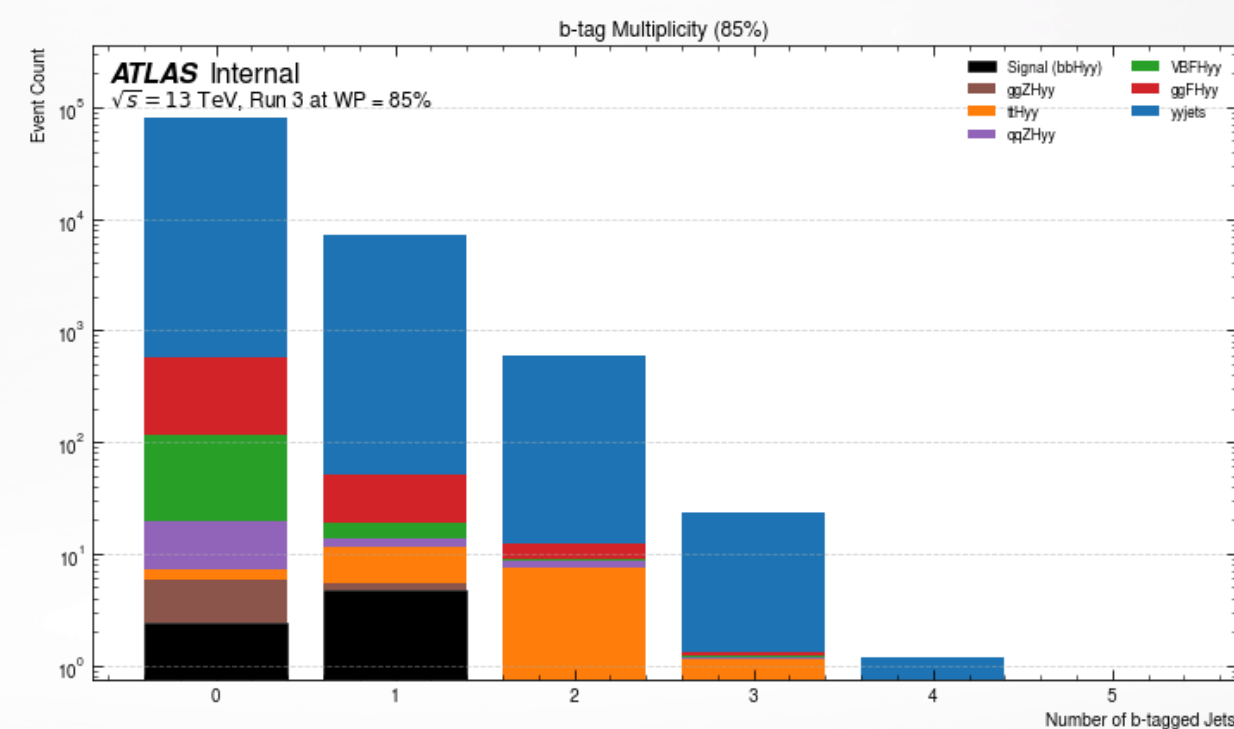
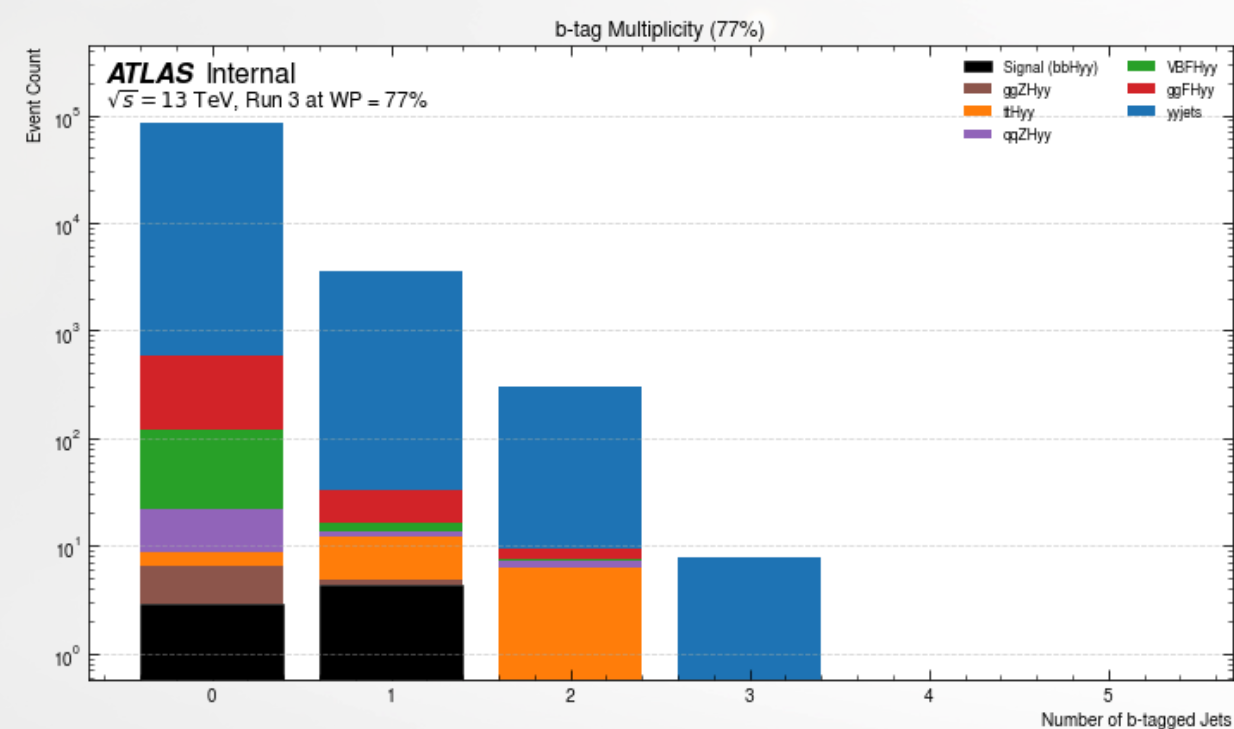
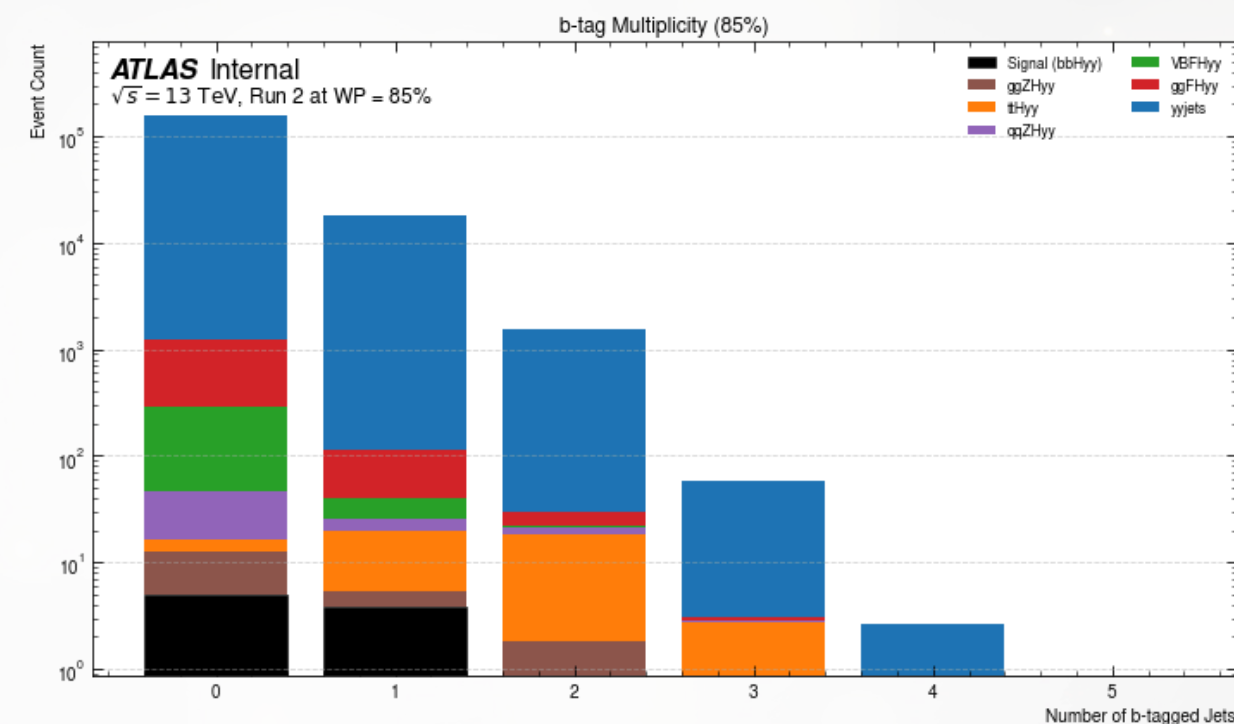
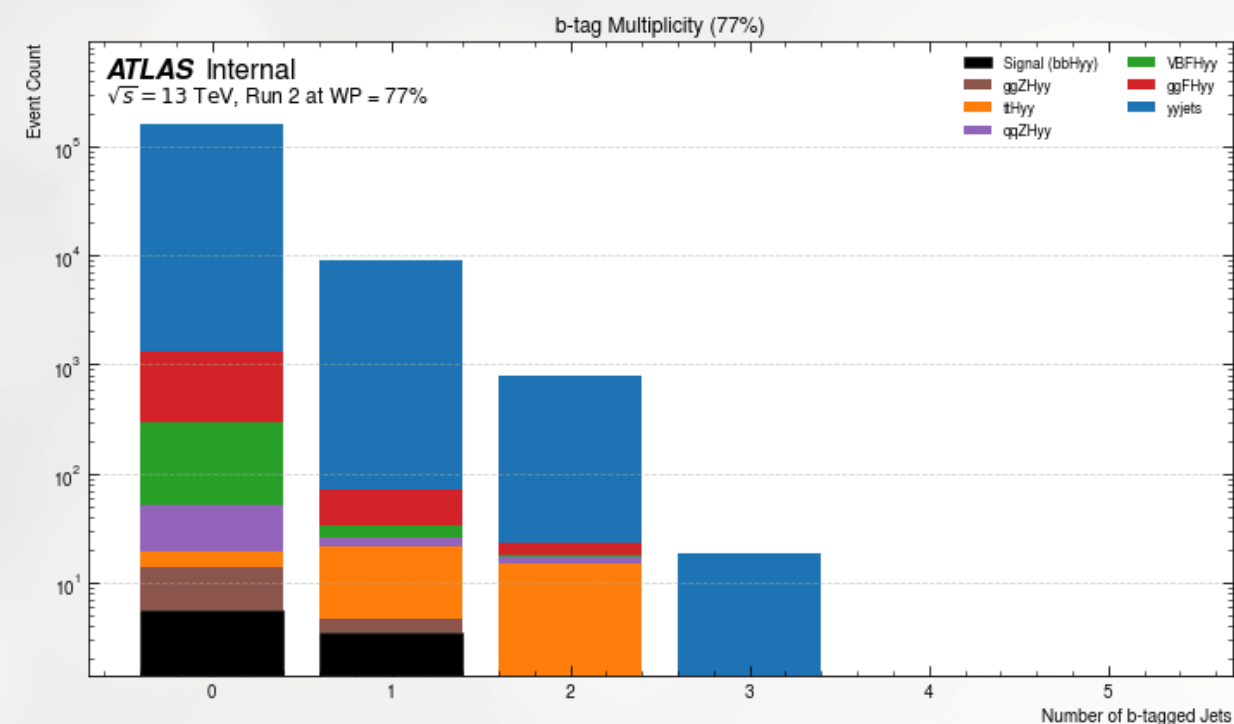
THANK YOU

SUMMER STUDENT PROGRAM 2025



1

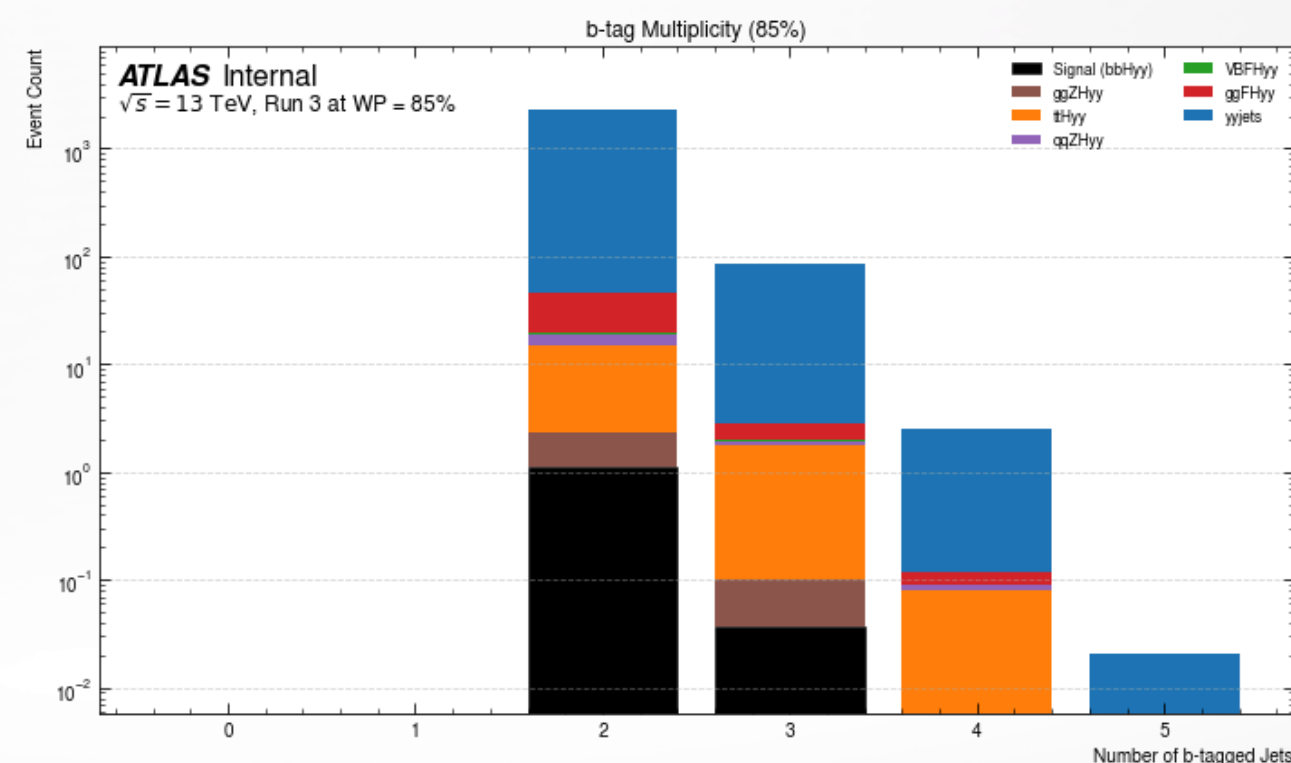
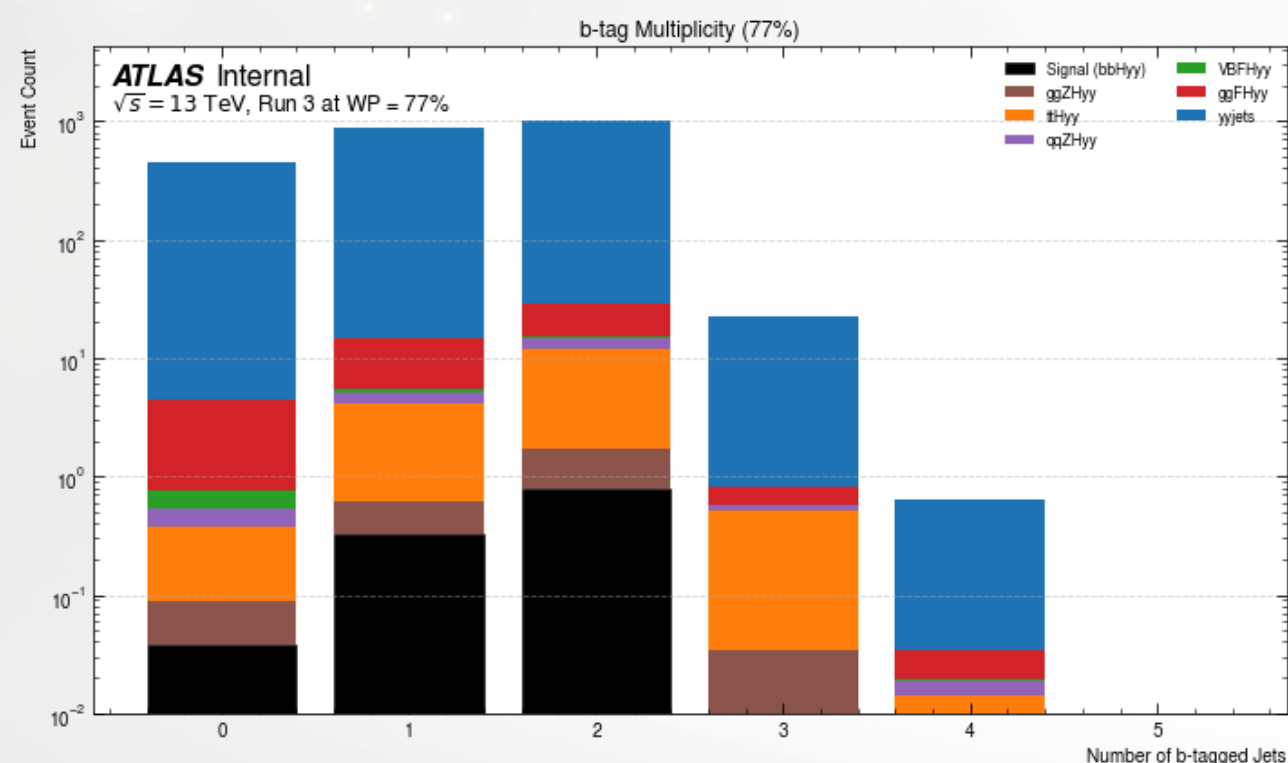
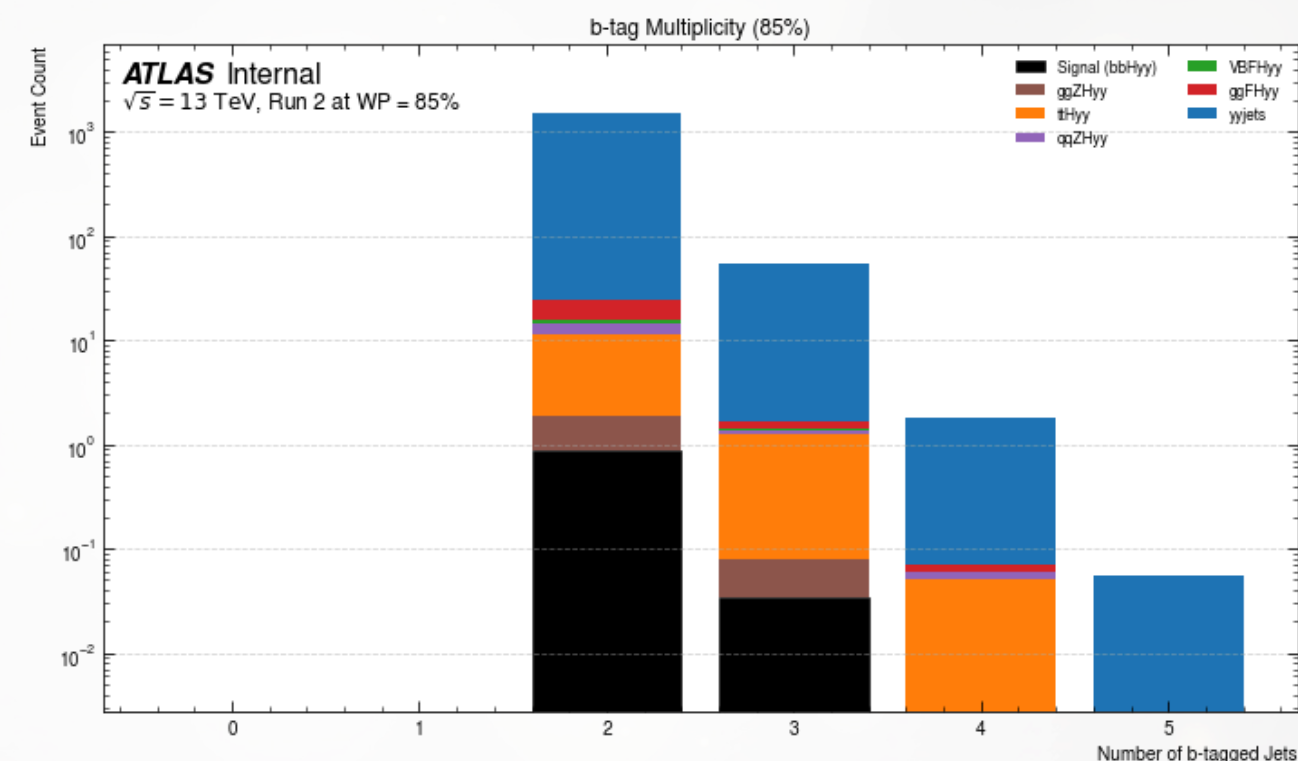
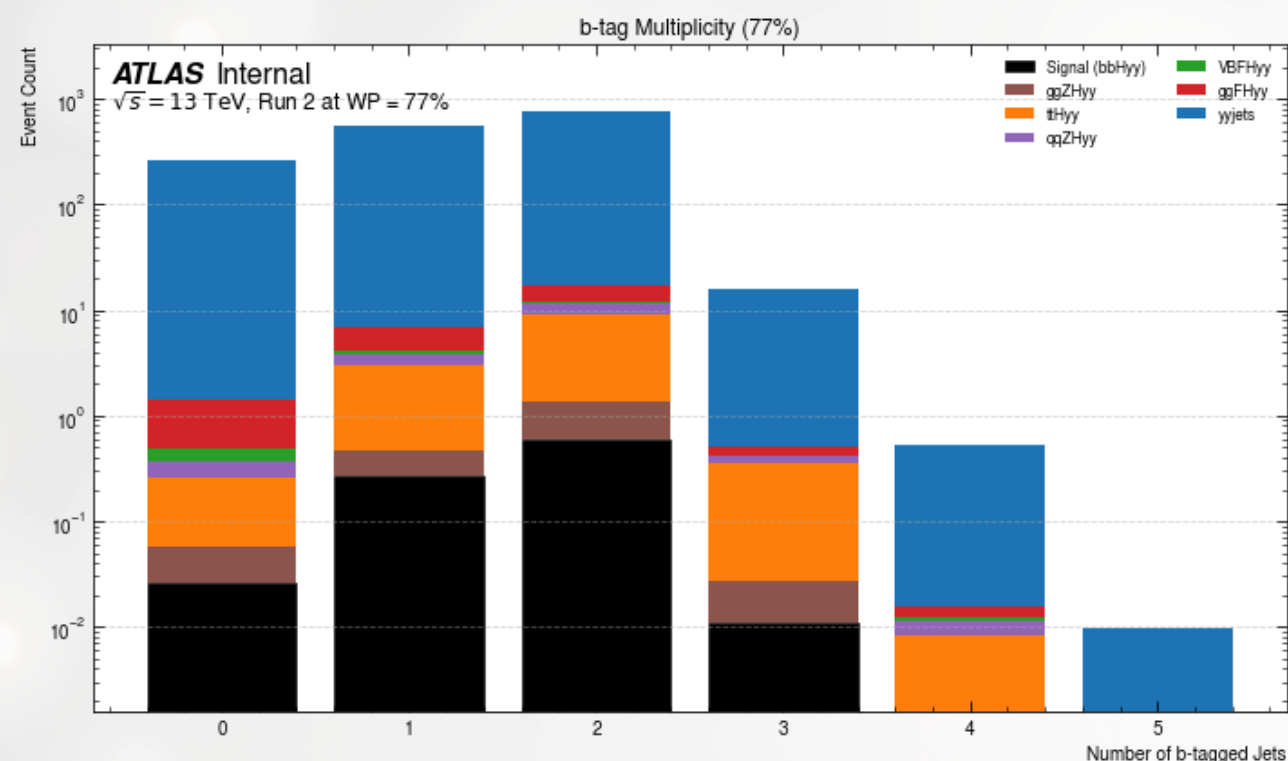
KINEMATIC ANALYSIS



2

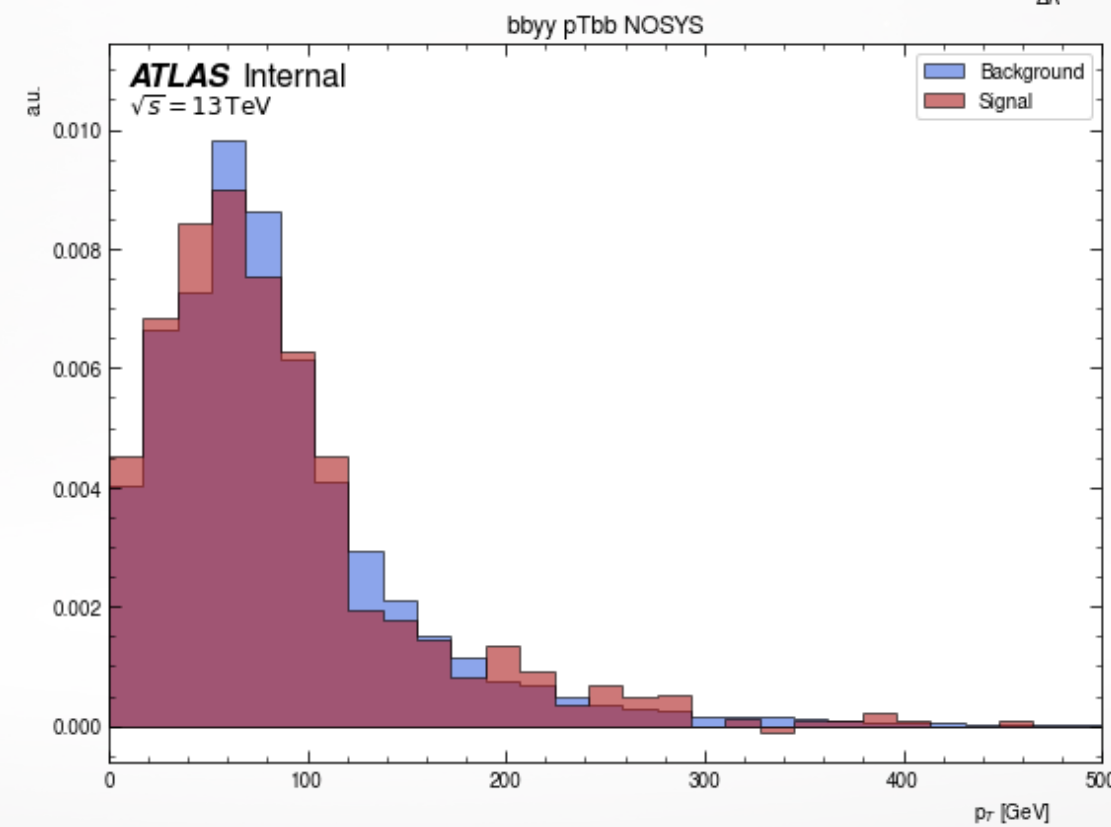
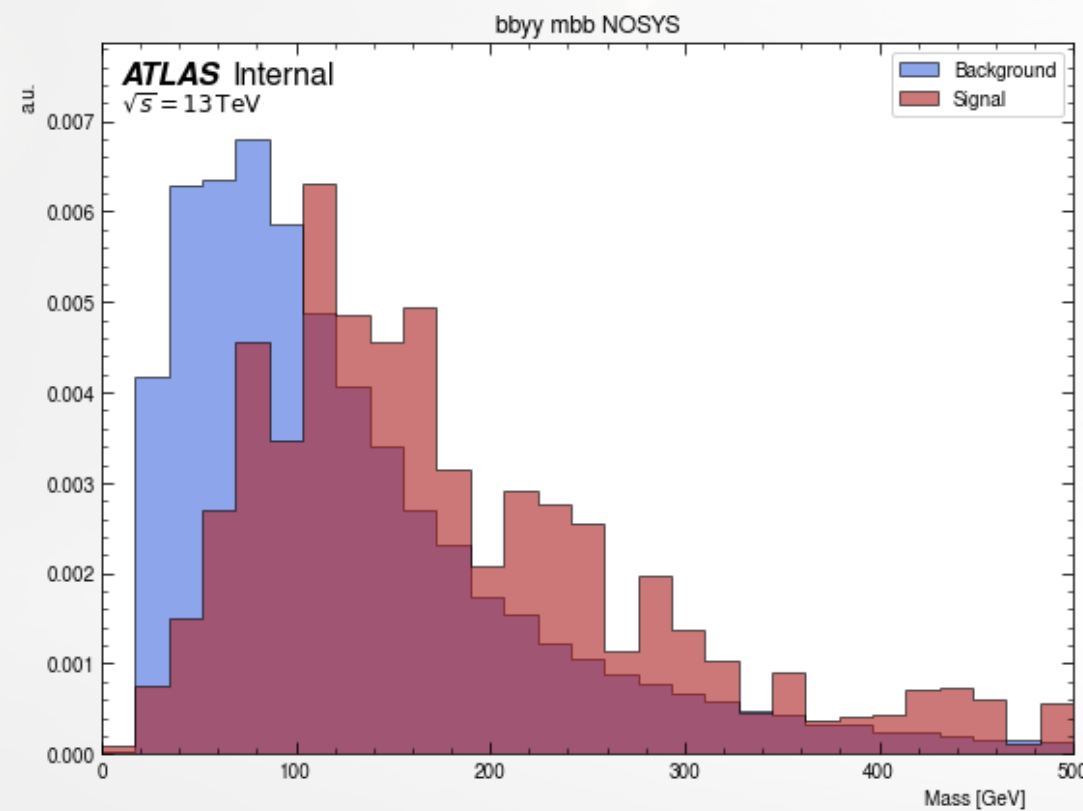
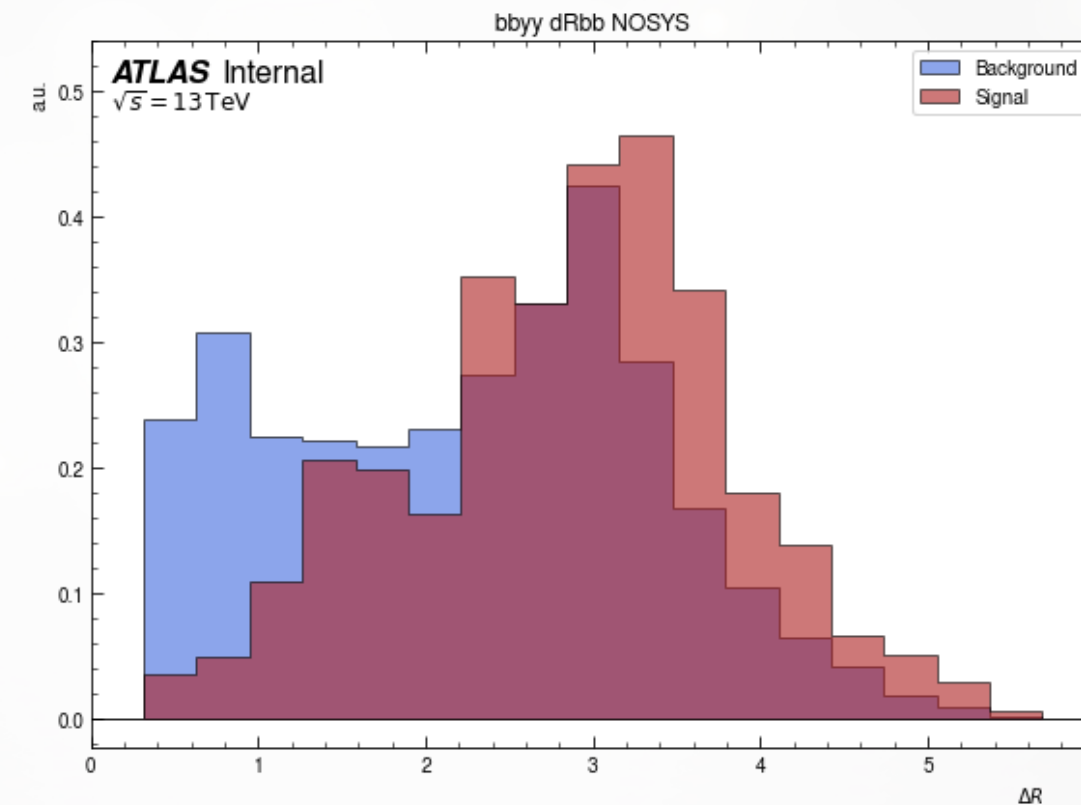
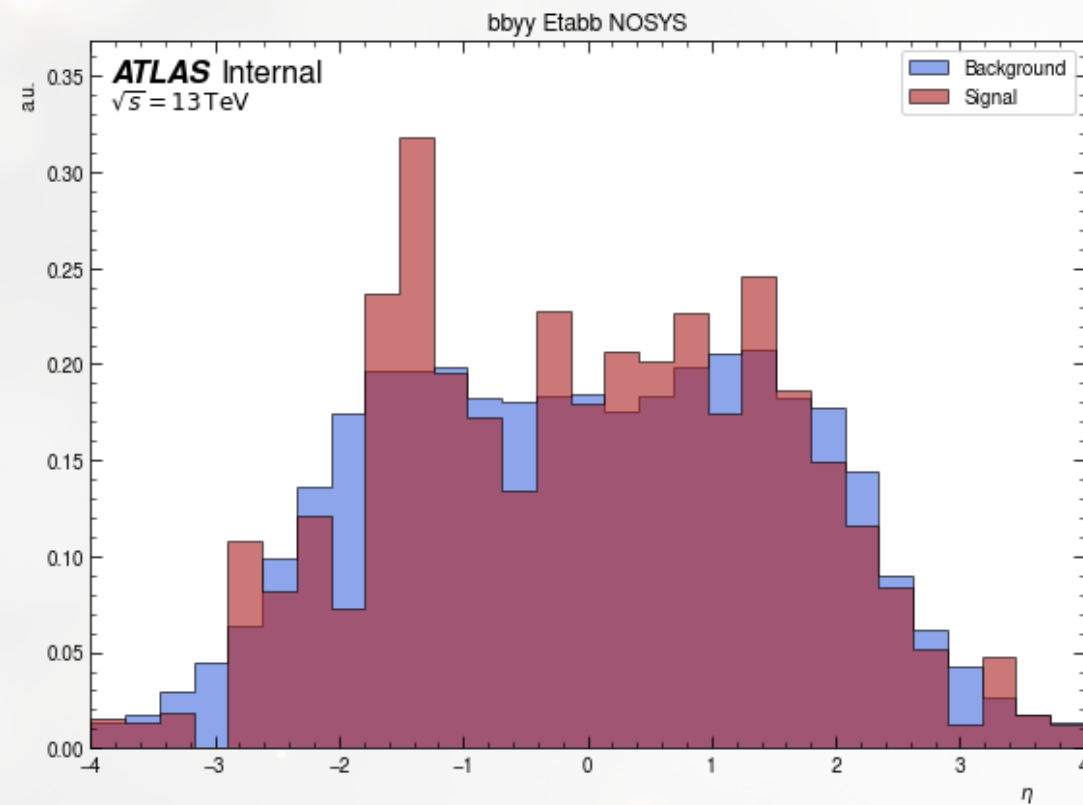
1

KINEMATIC ANALYSIS



2

bb-System

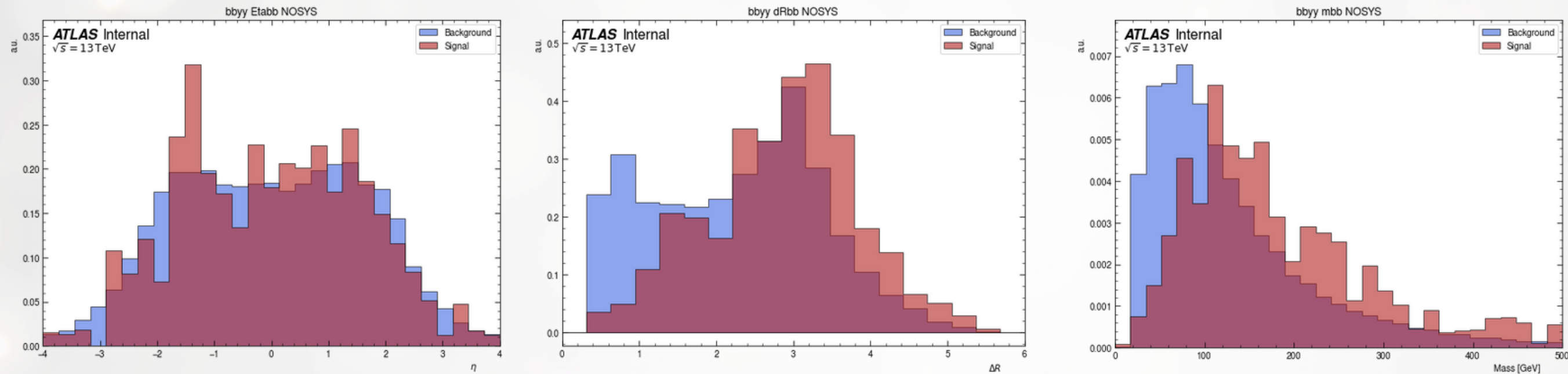


1

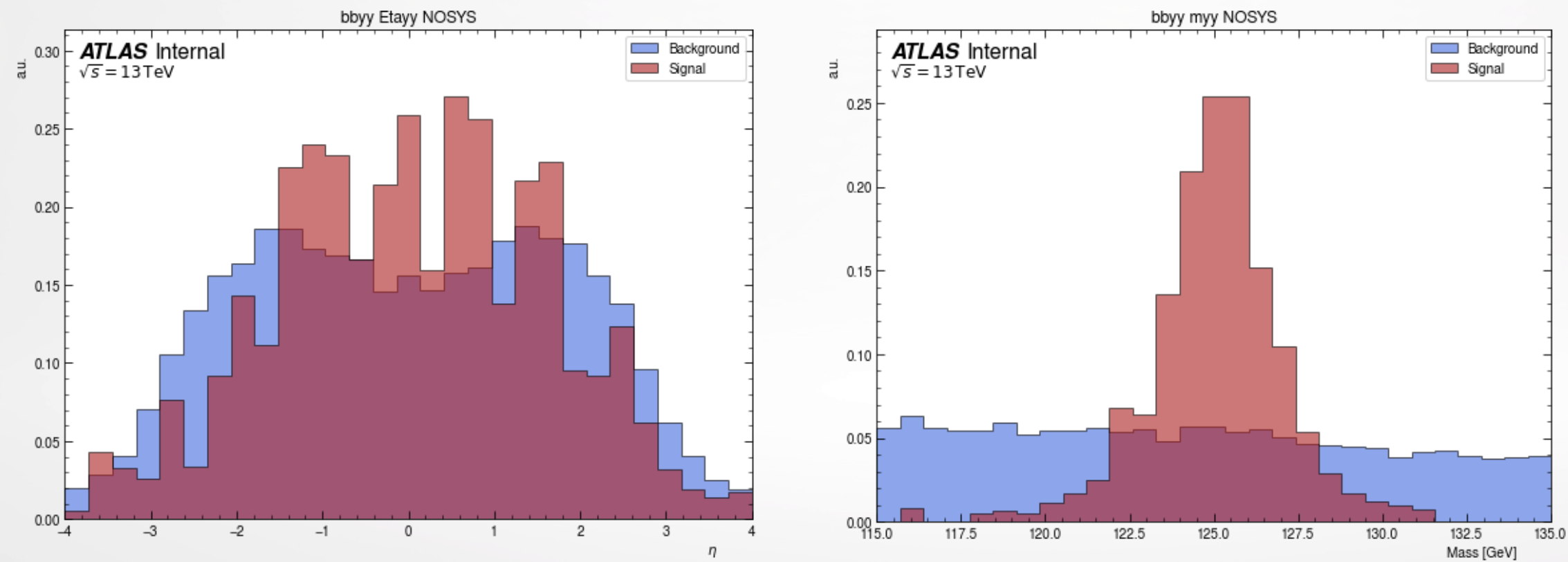
KINEMATIC ANALYSIS

2

bb-System



yy-System

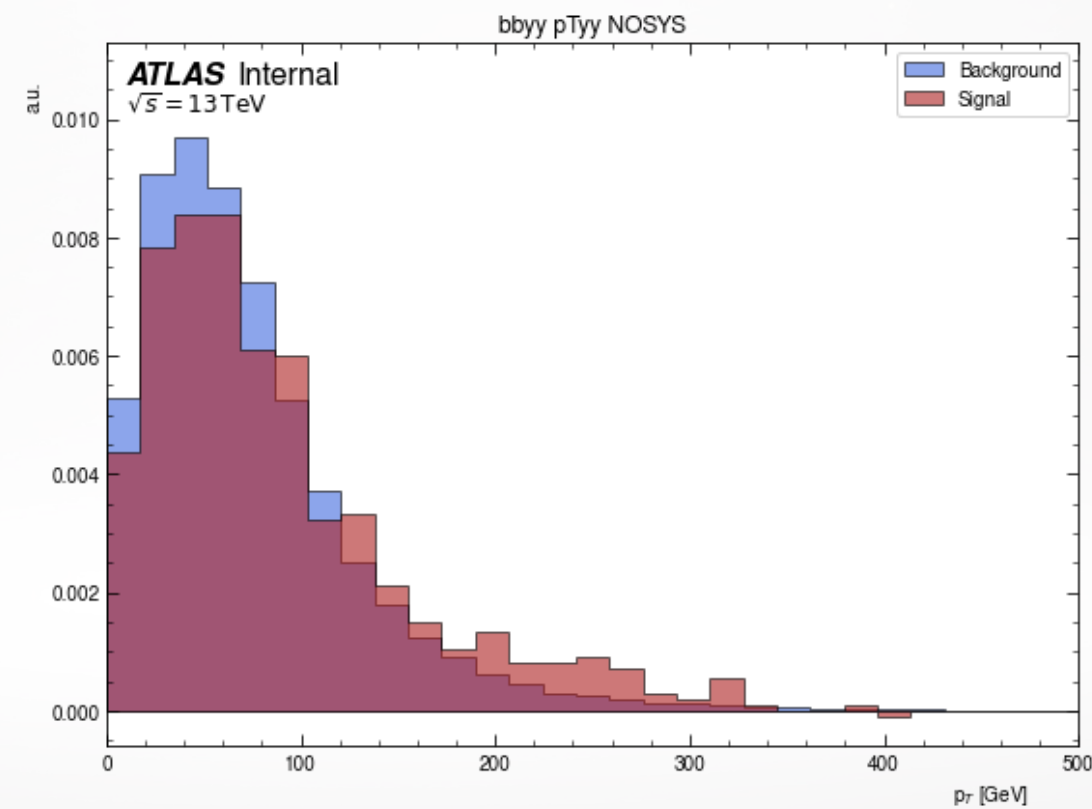
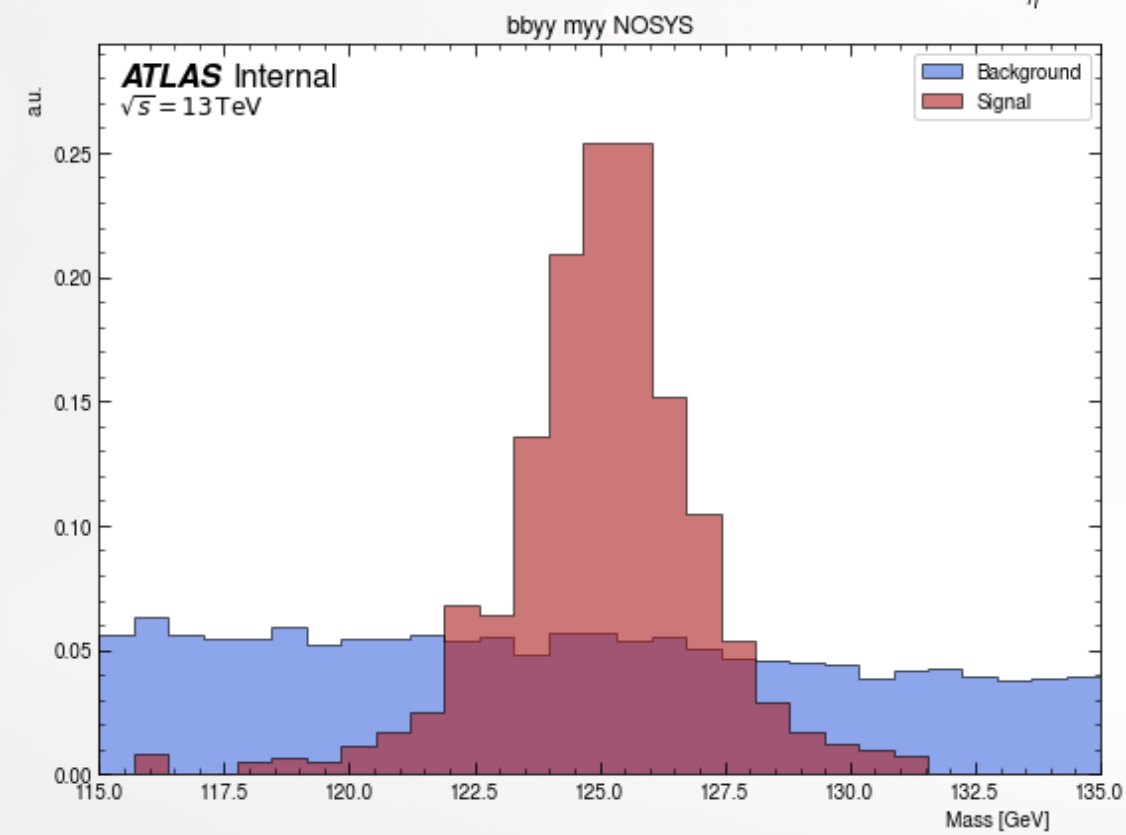
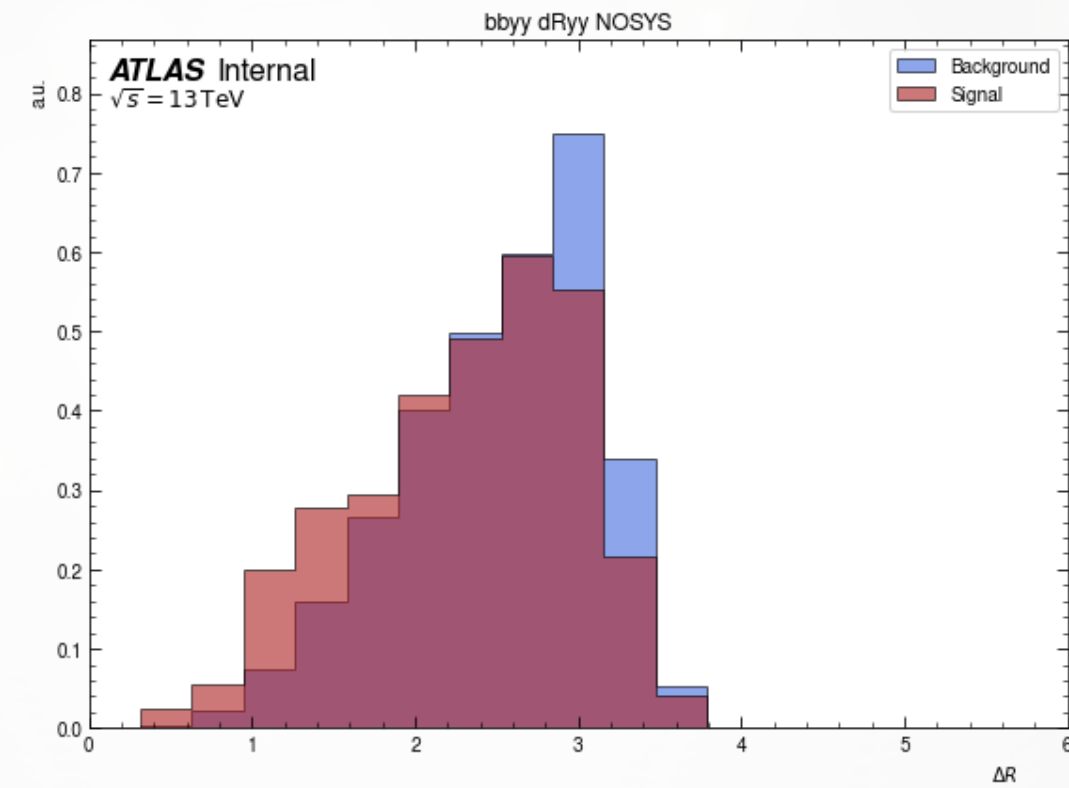
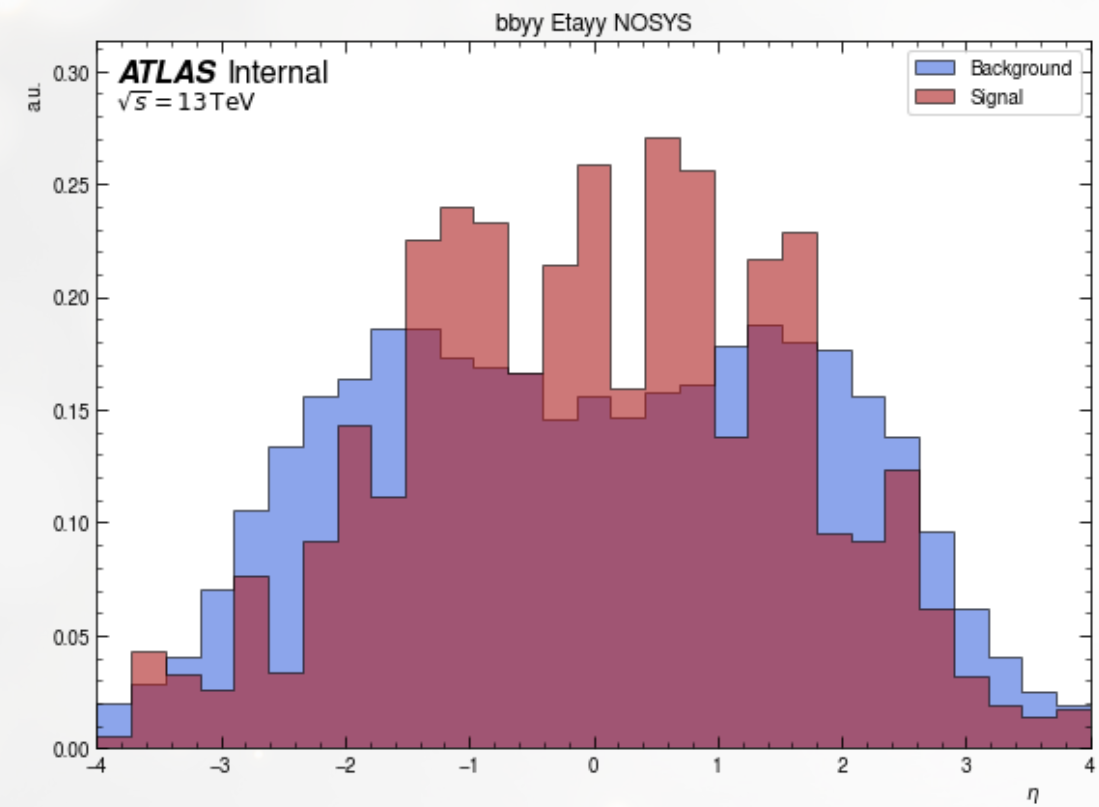


1

**KINEMATIC
ANALYSIS**

2

yy-System

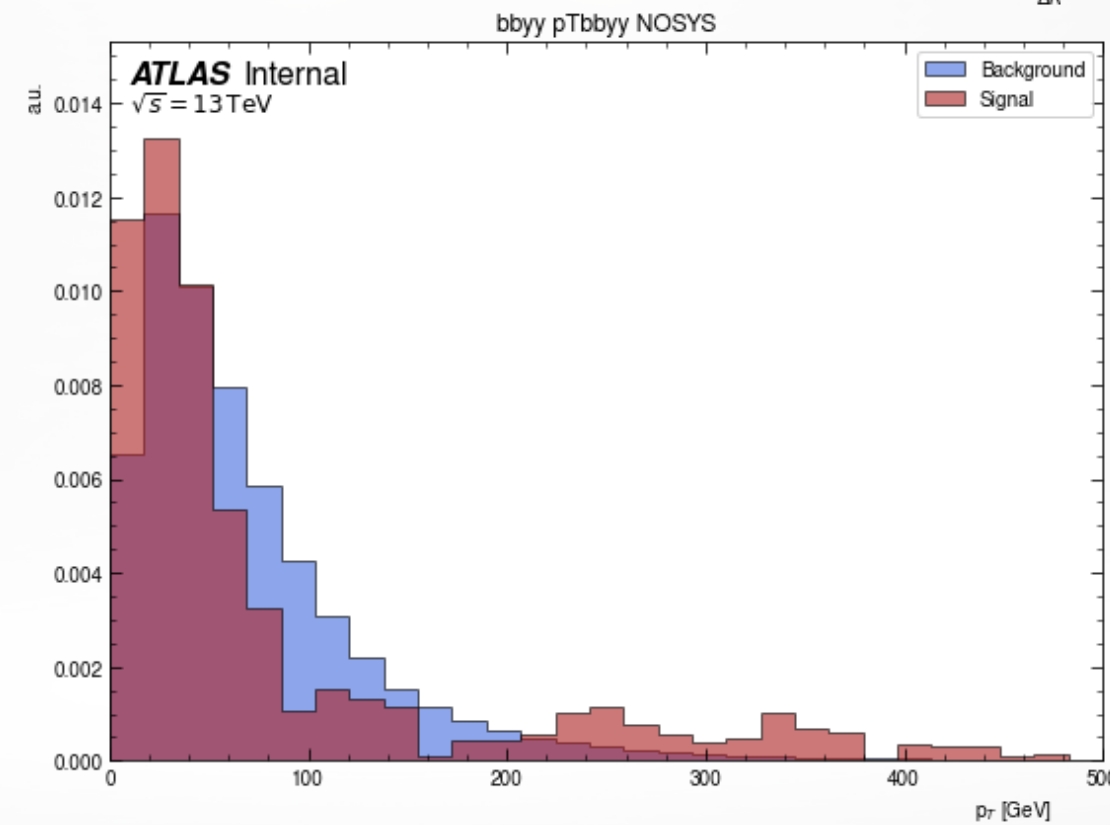
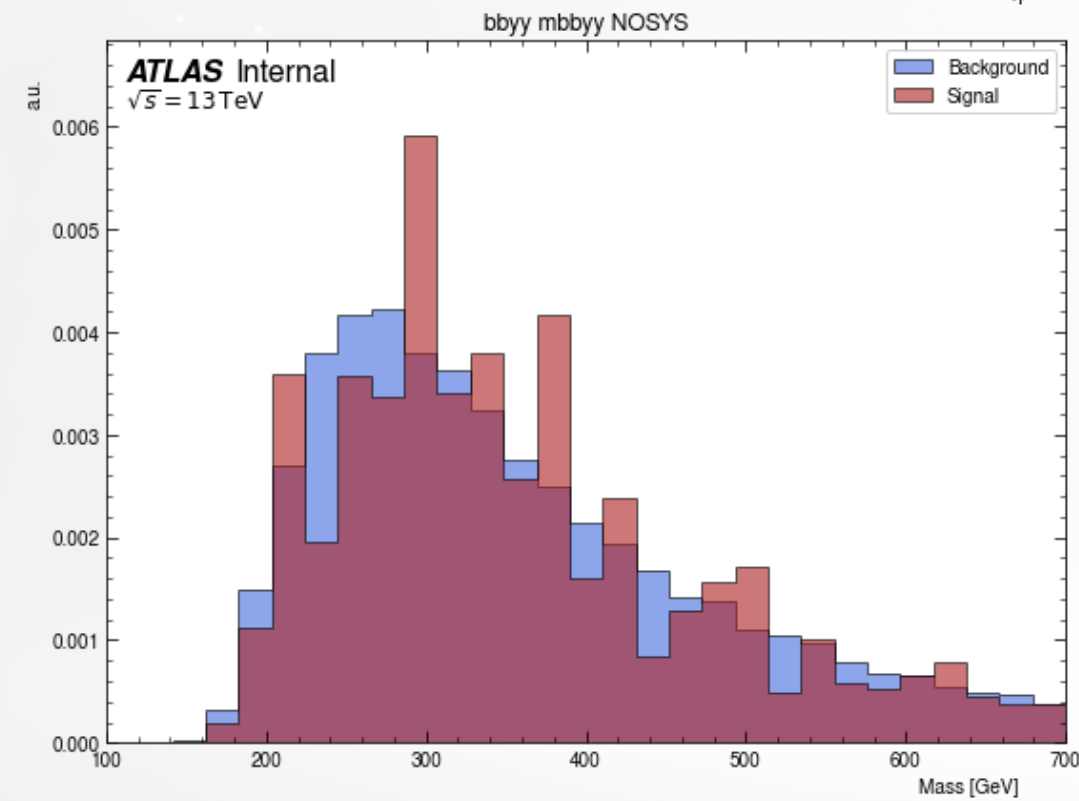
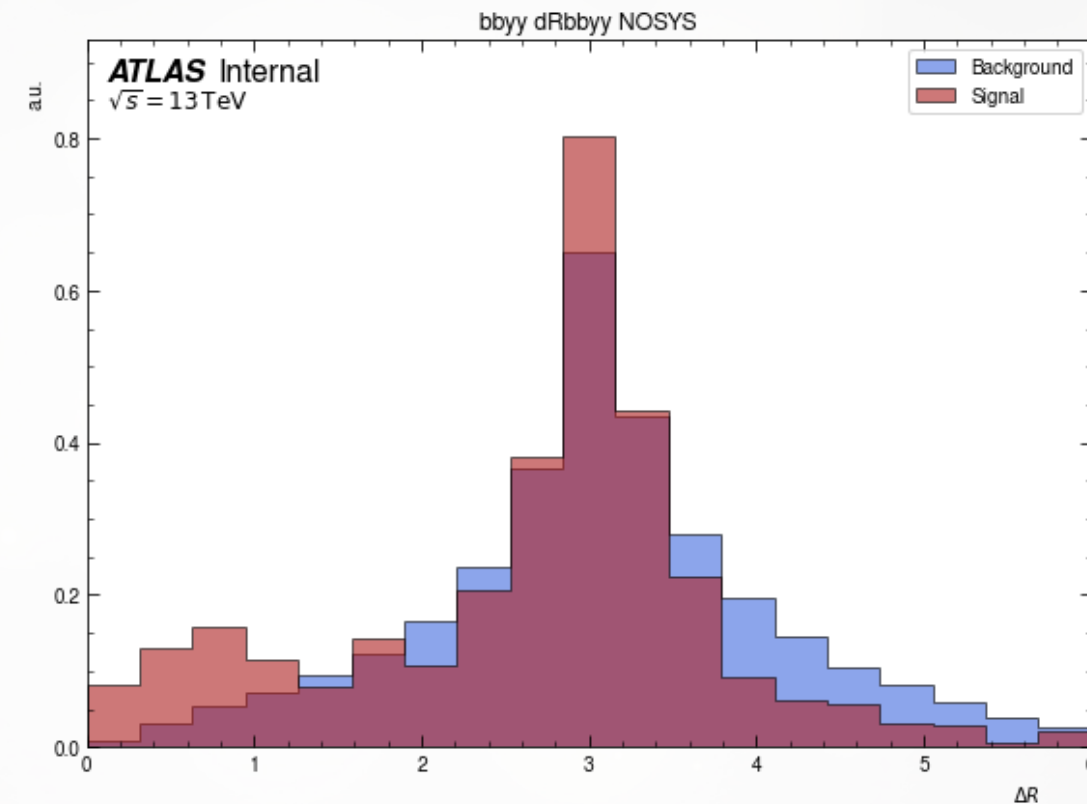
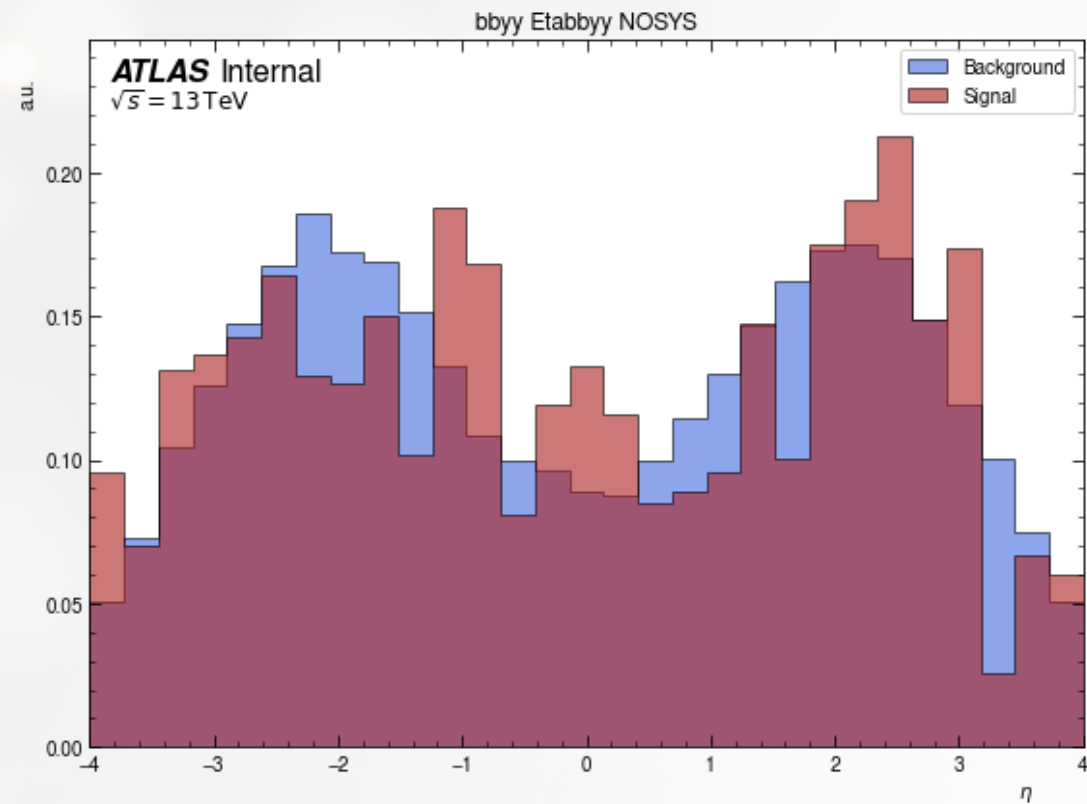


1

KINEMATIC ANALYSIS

2

bbyy-System

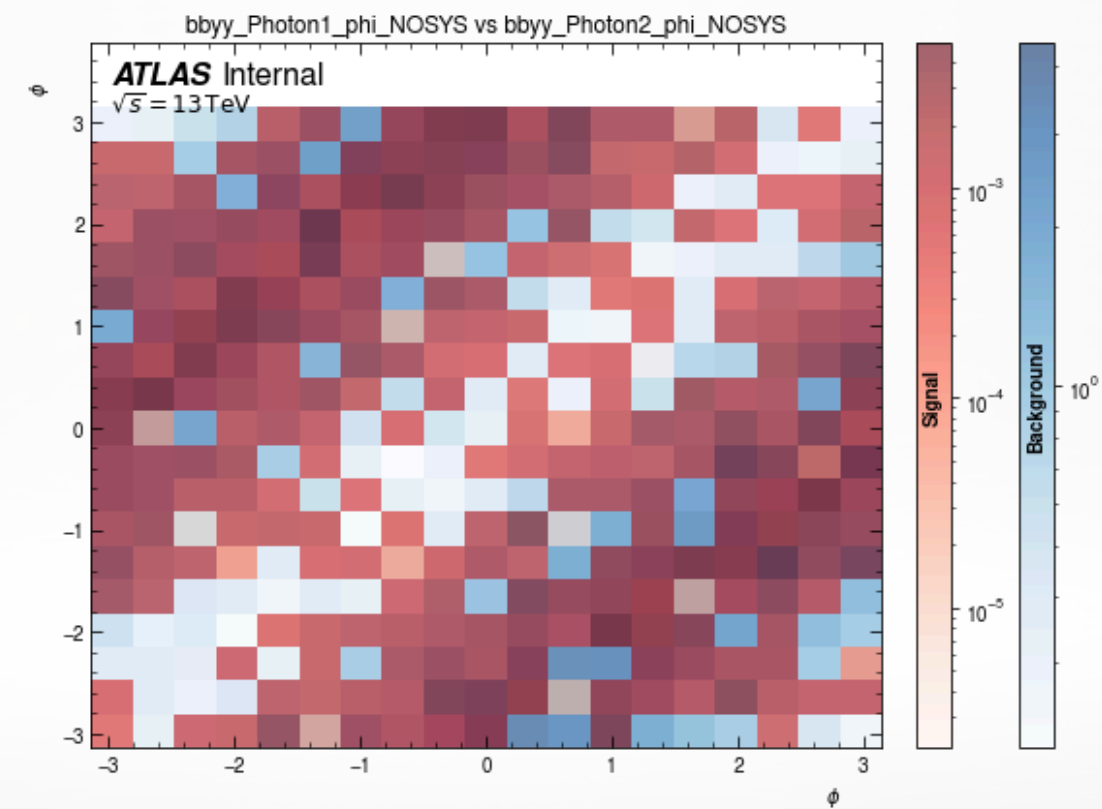
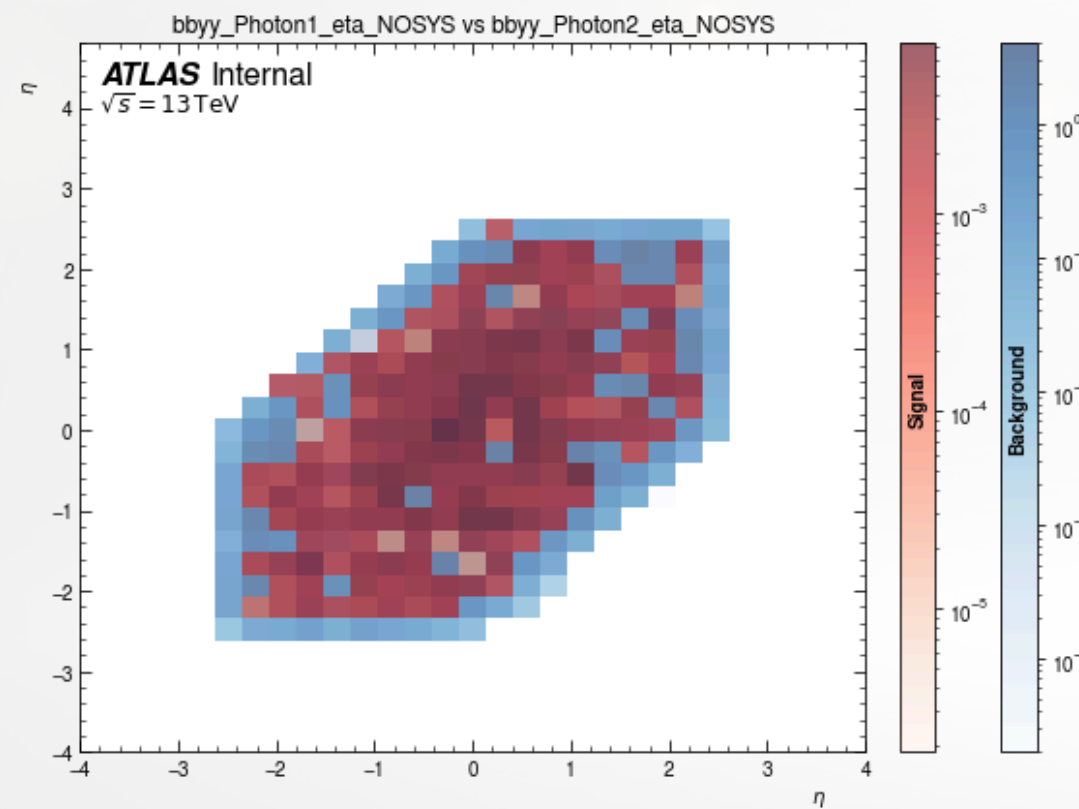
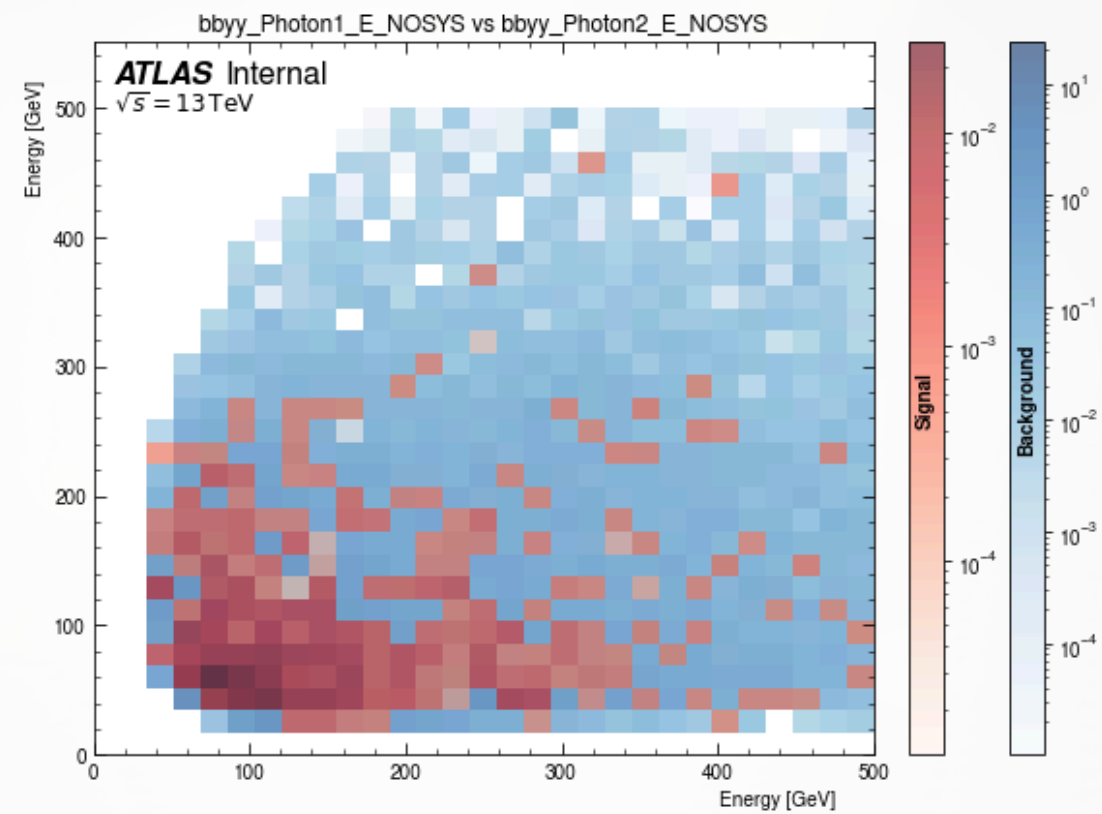
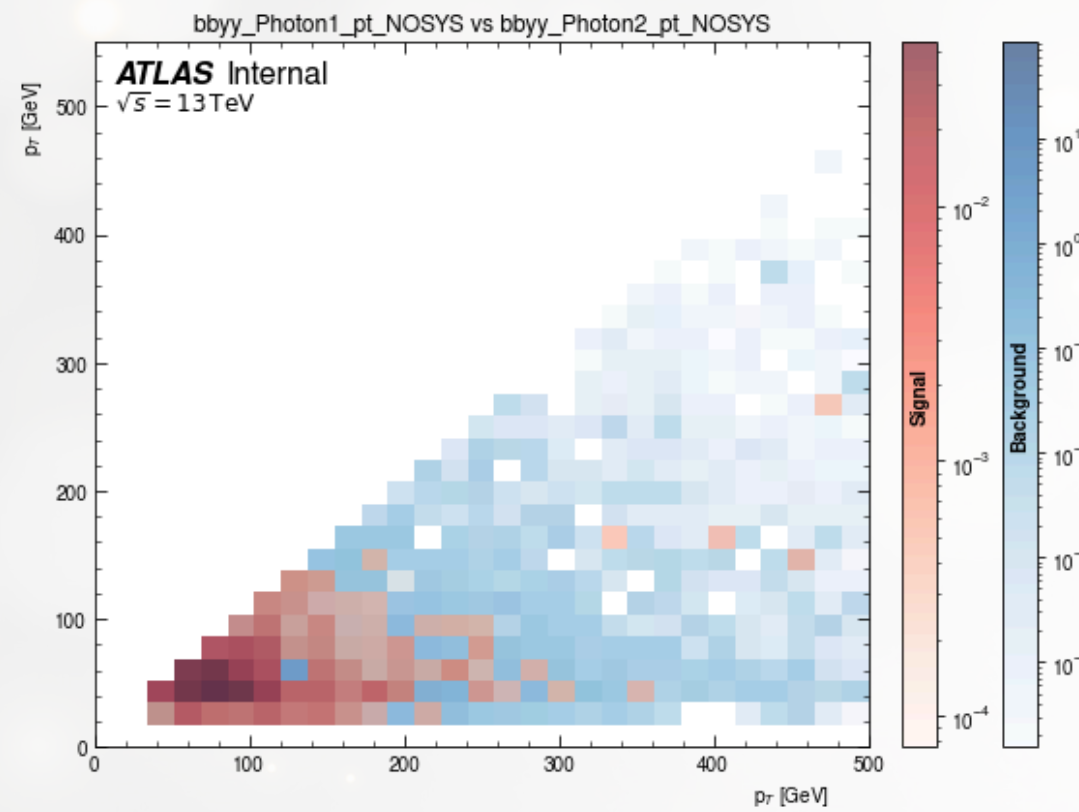


1

KINEMATIC ANALYSIS

2

photon candidates

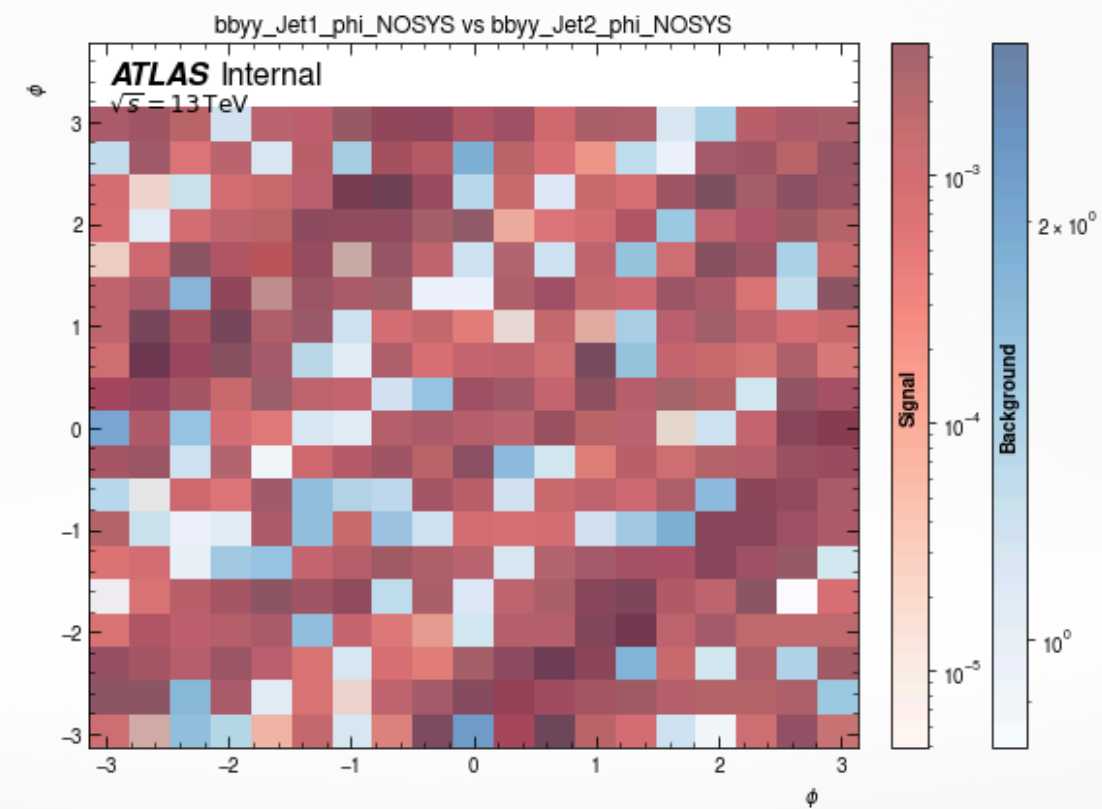
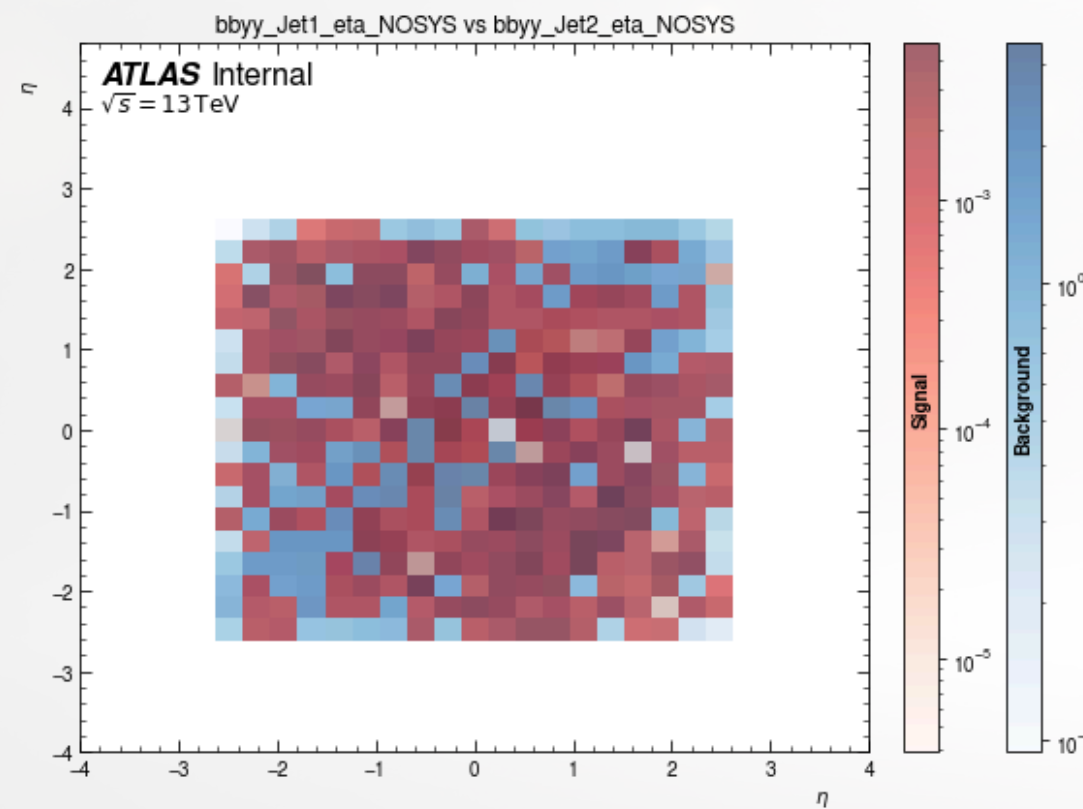
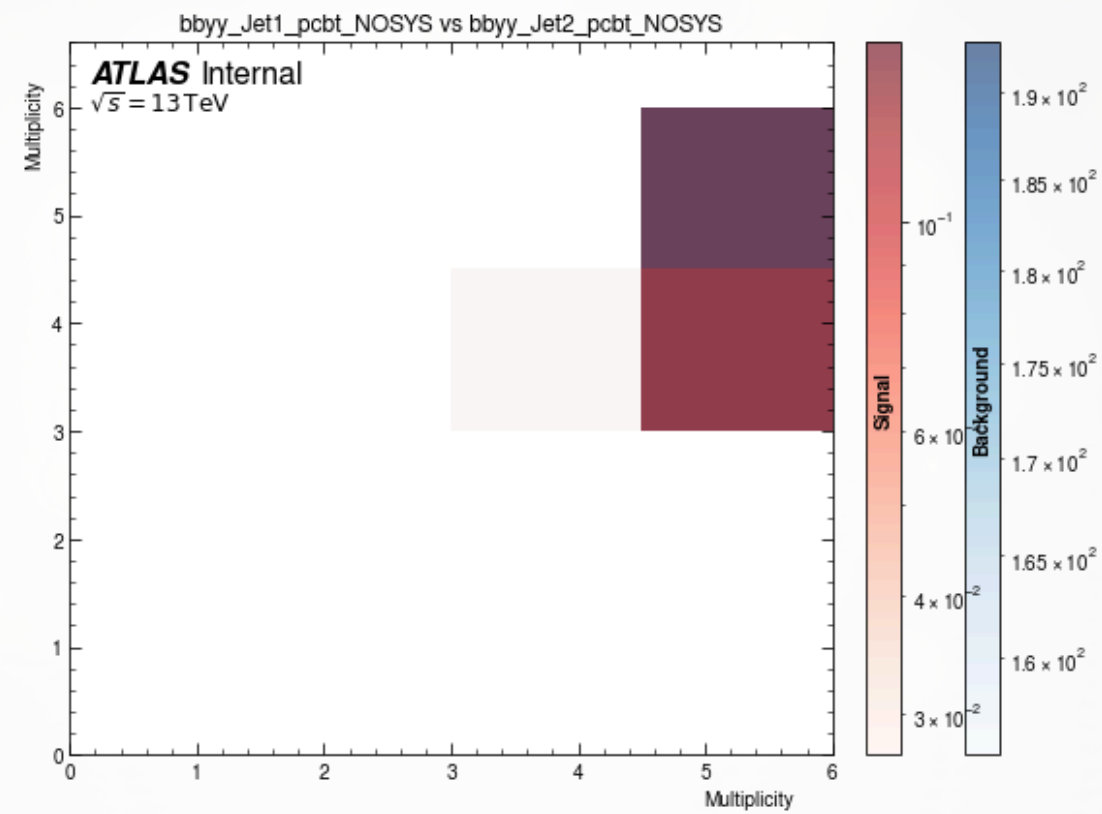
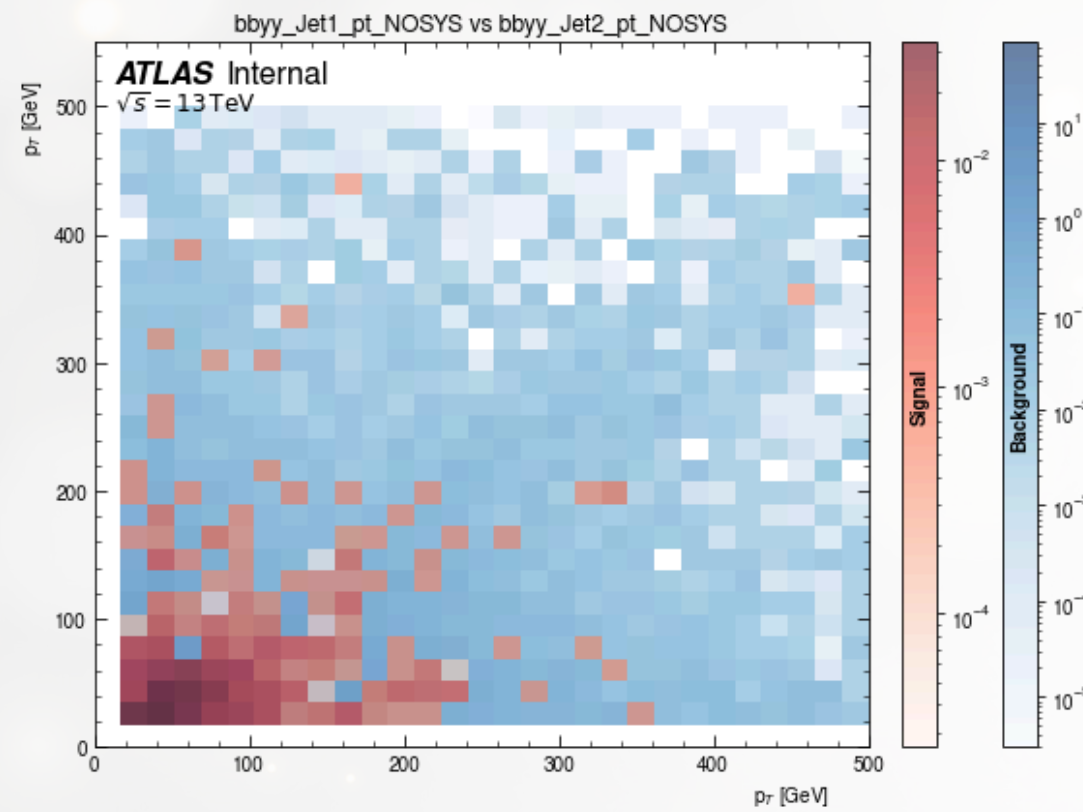


1

KINEMATIC ANALYSIS

2

leading jets (b-jet candidates)



1

KINEMATIC ANALYSIS

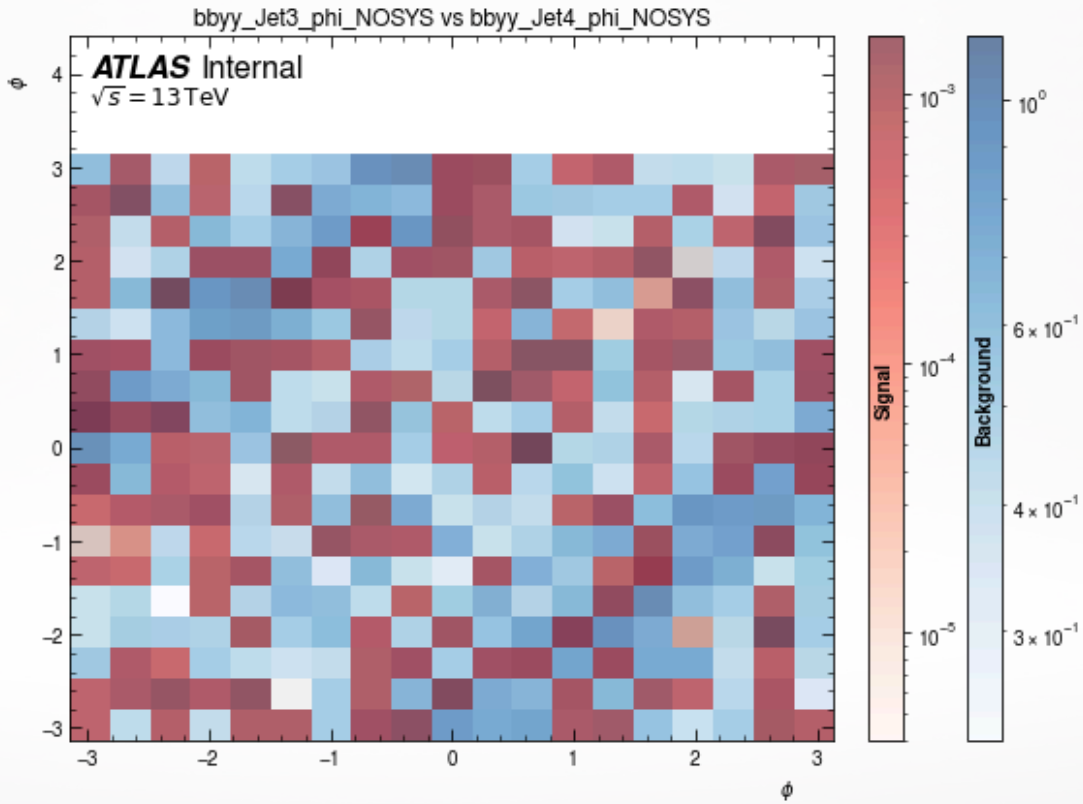
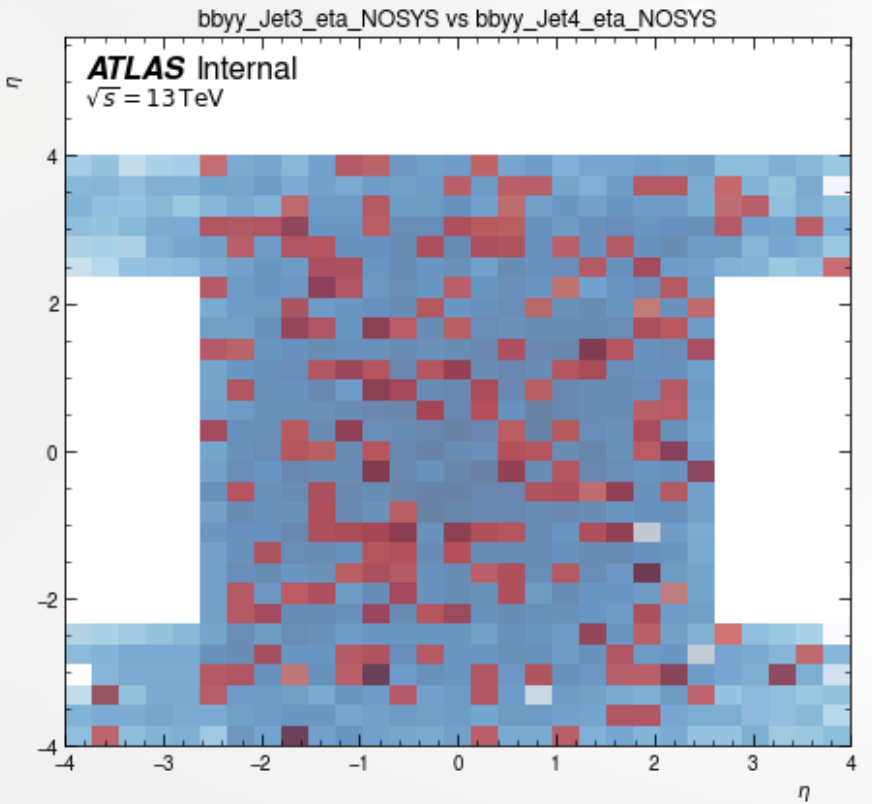
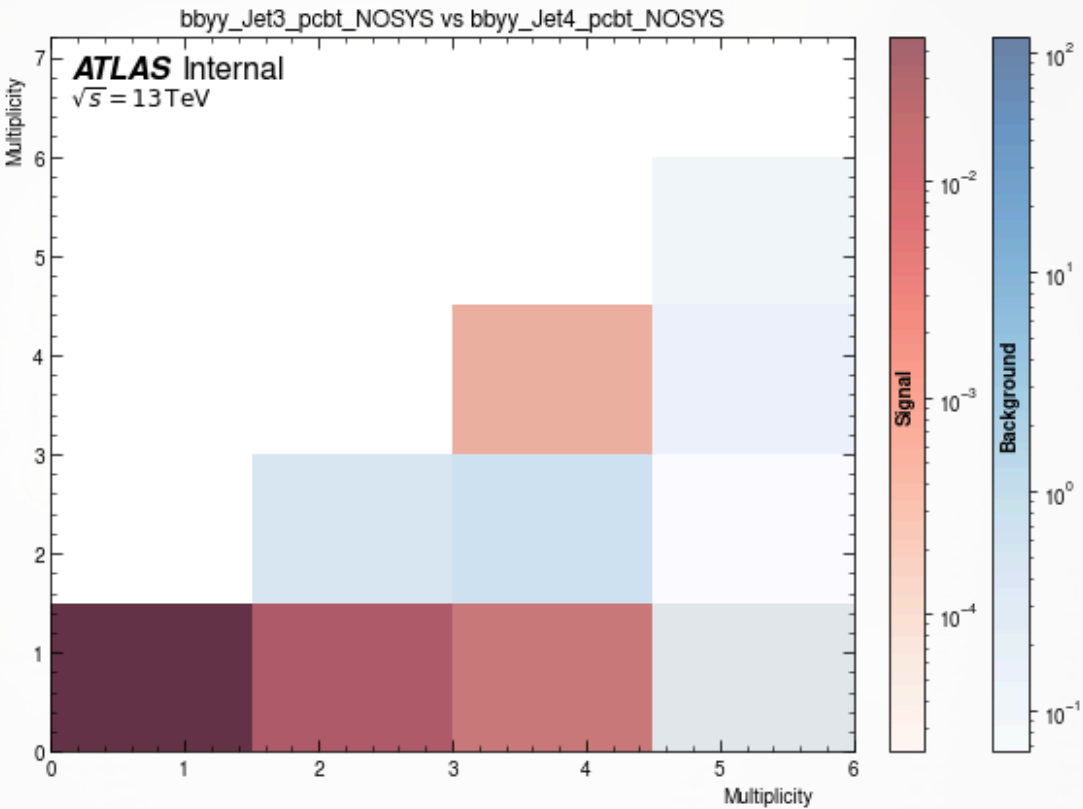
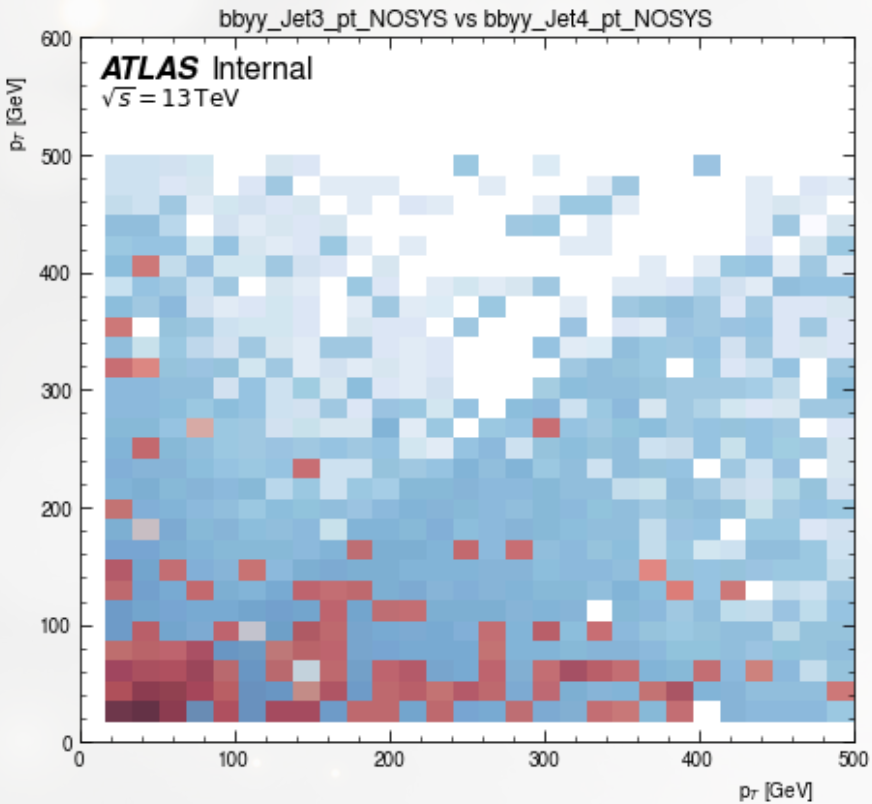
2

subleading jets (Jet 3 and Jet 4)

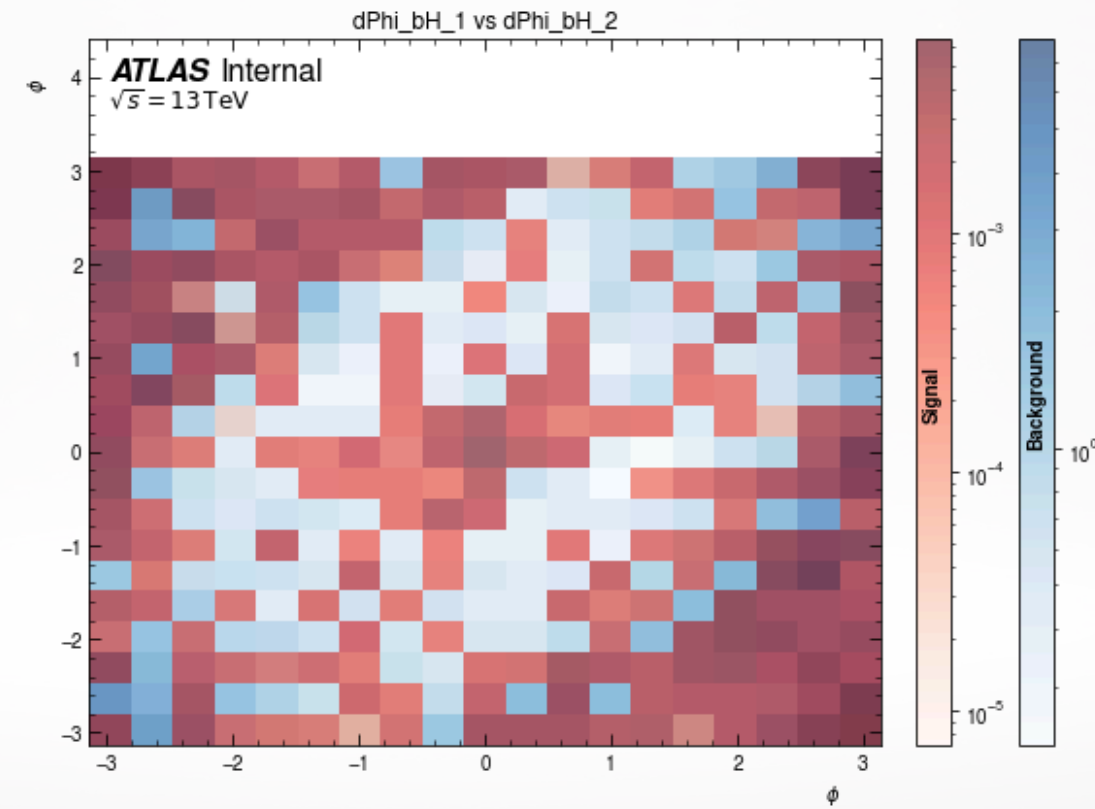
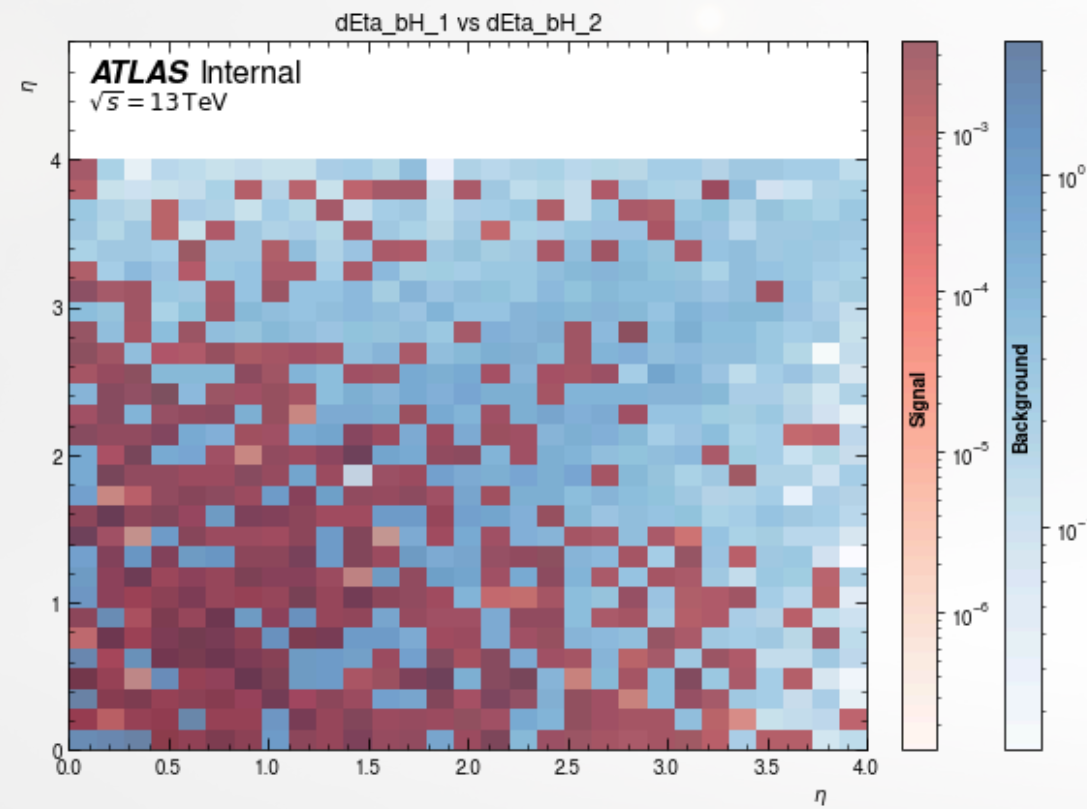
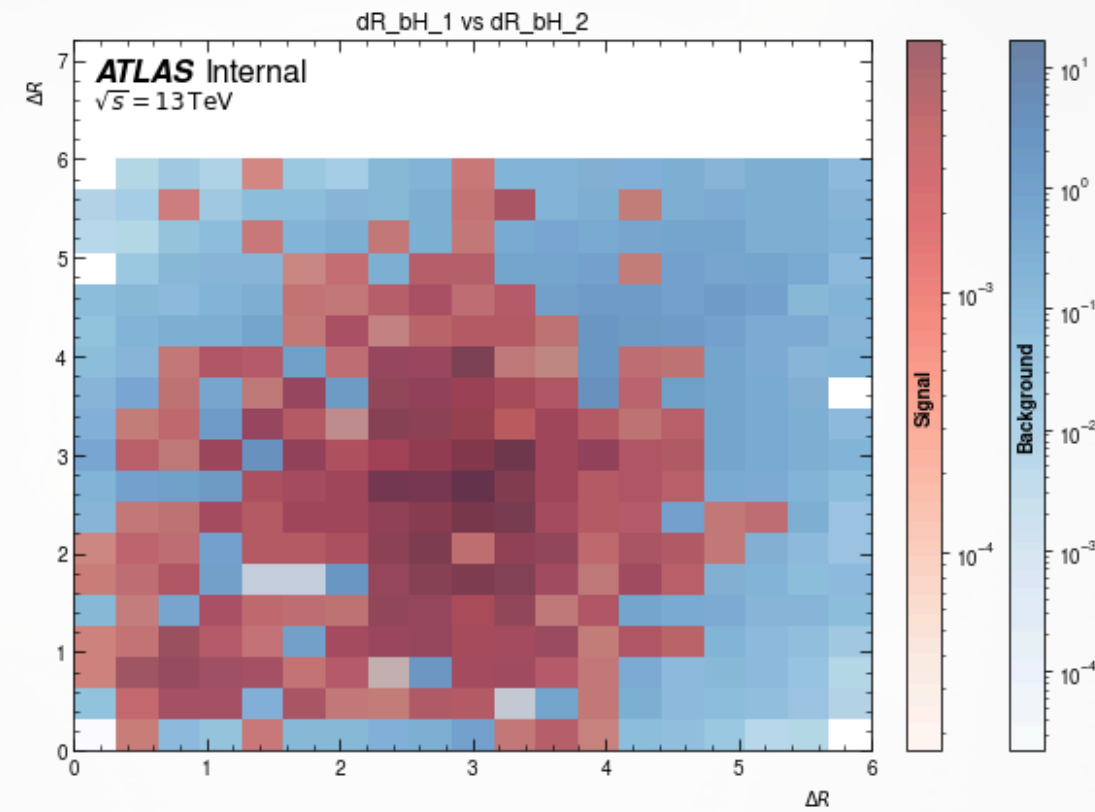
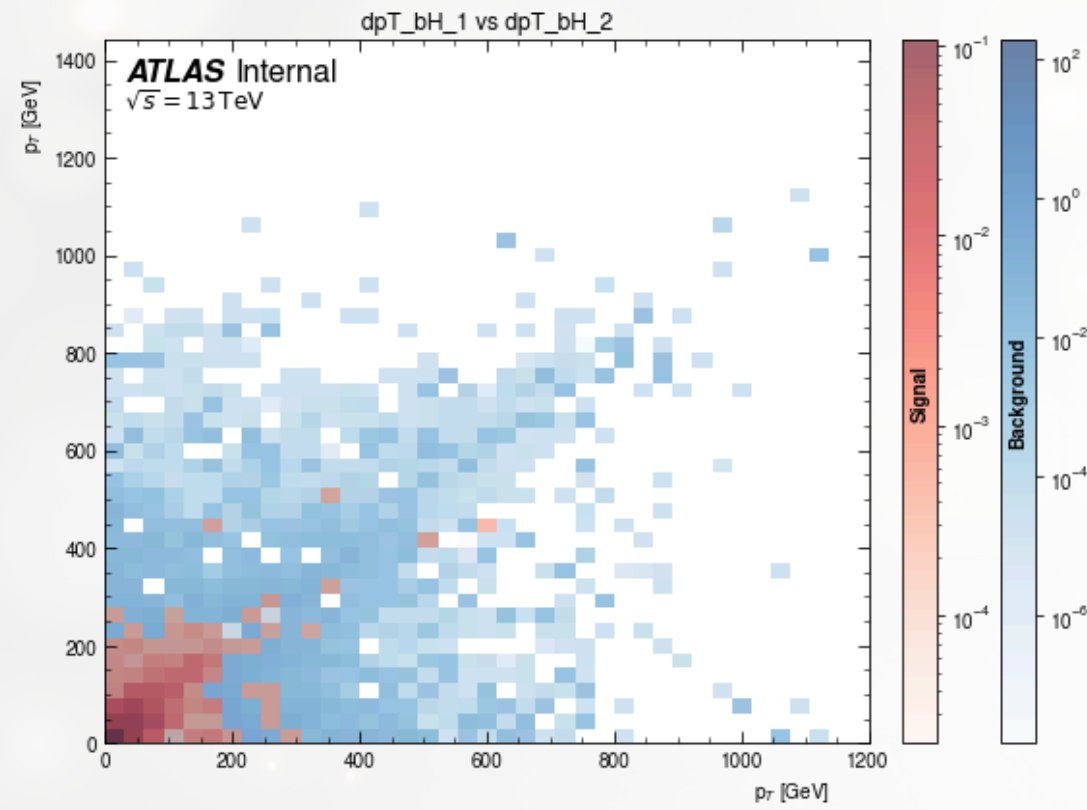
1

KINEMATIC ANALYSIS

2



bH System

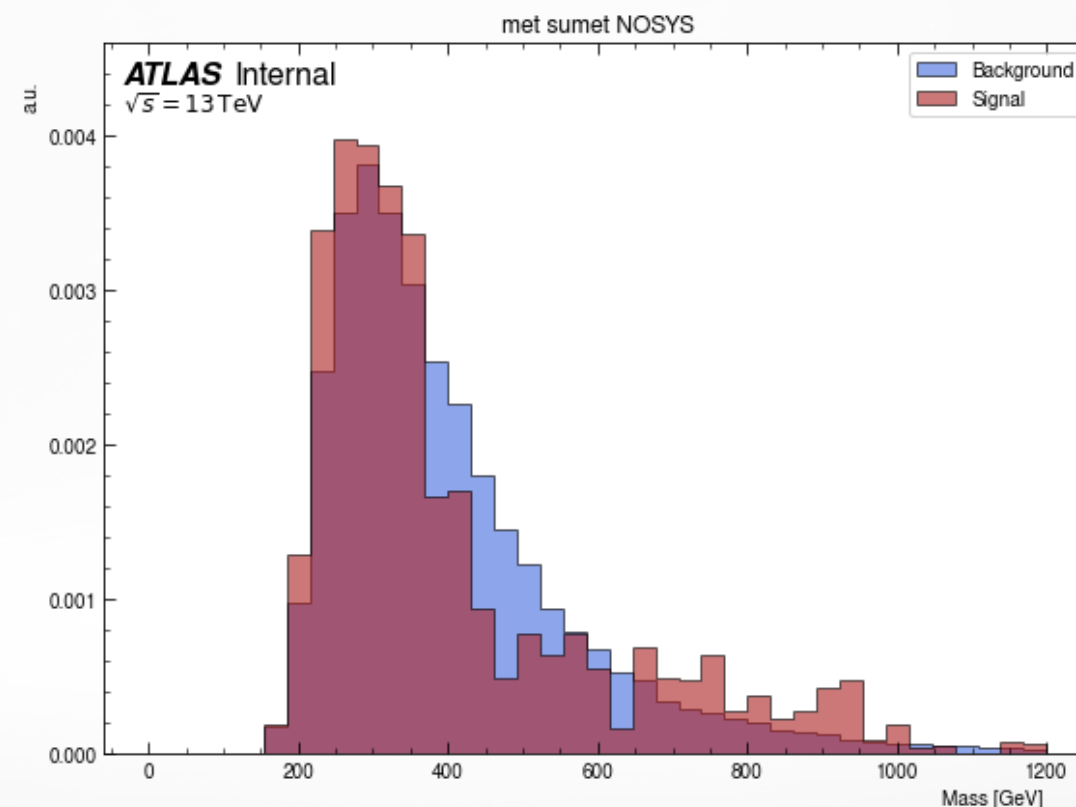
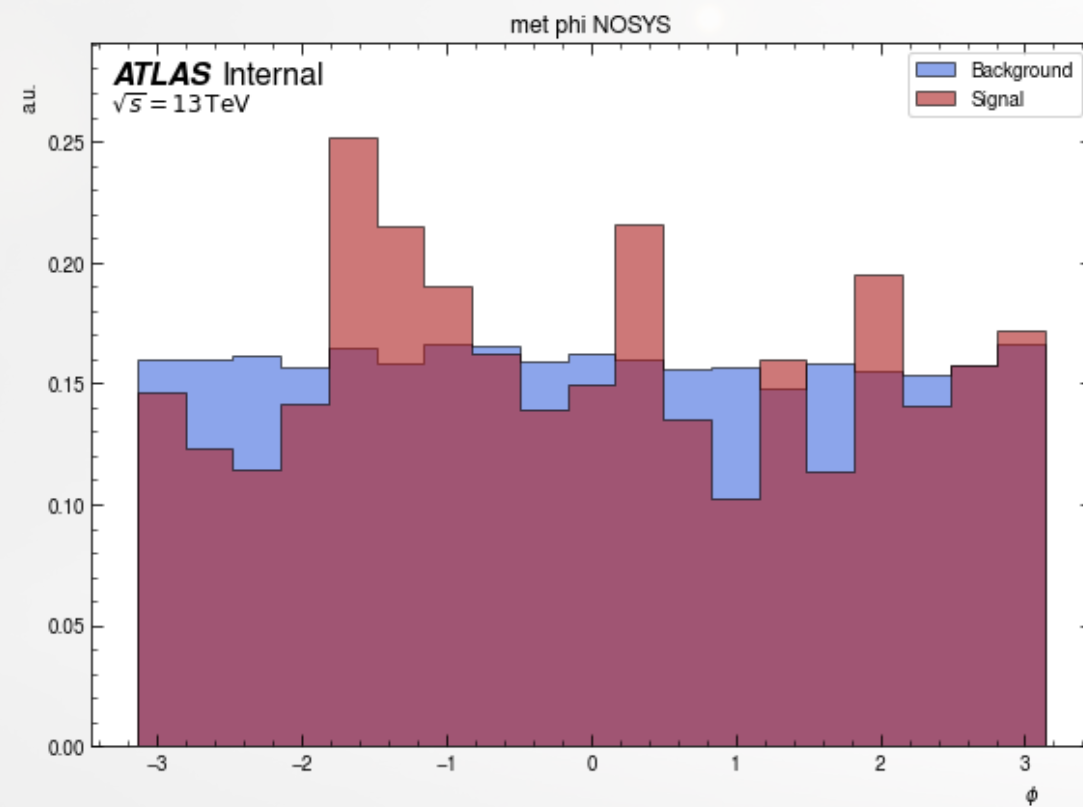
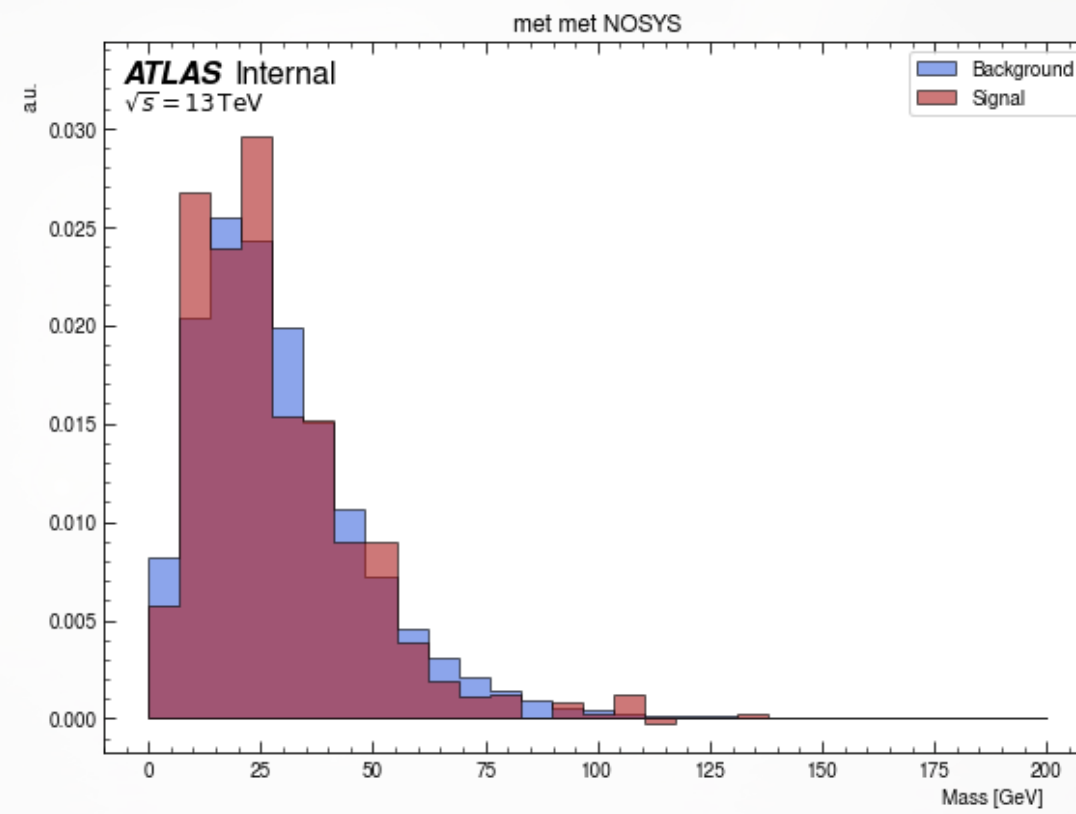
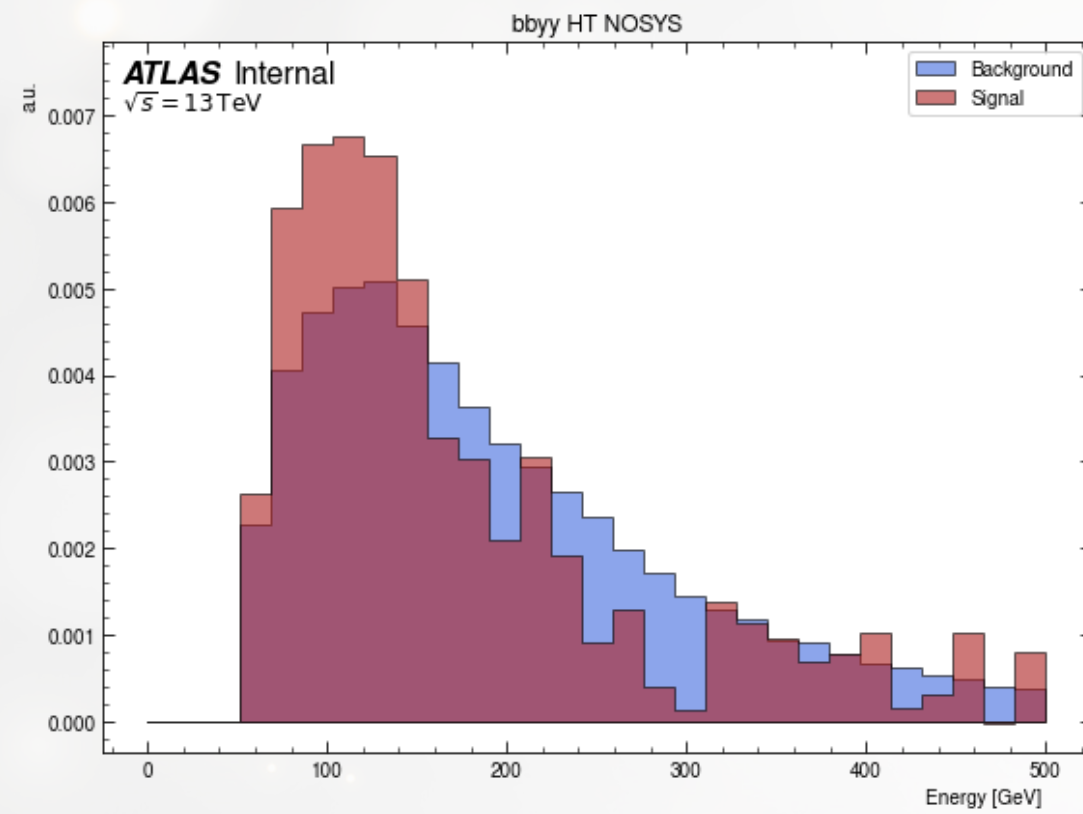


1

KINEMATIC ANALYSIS

2

Other variables

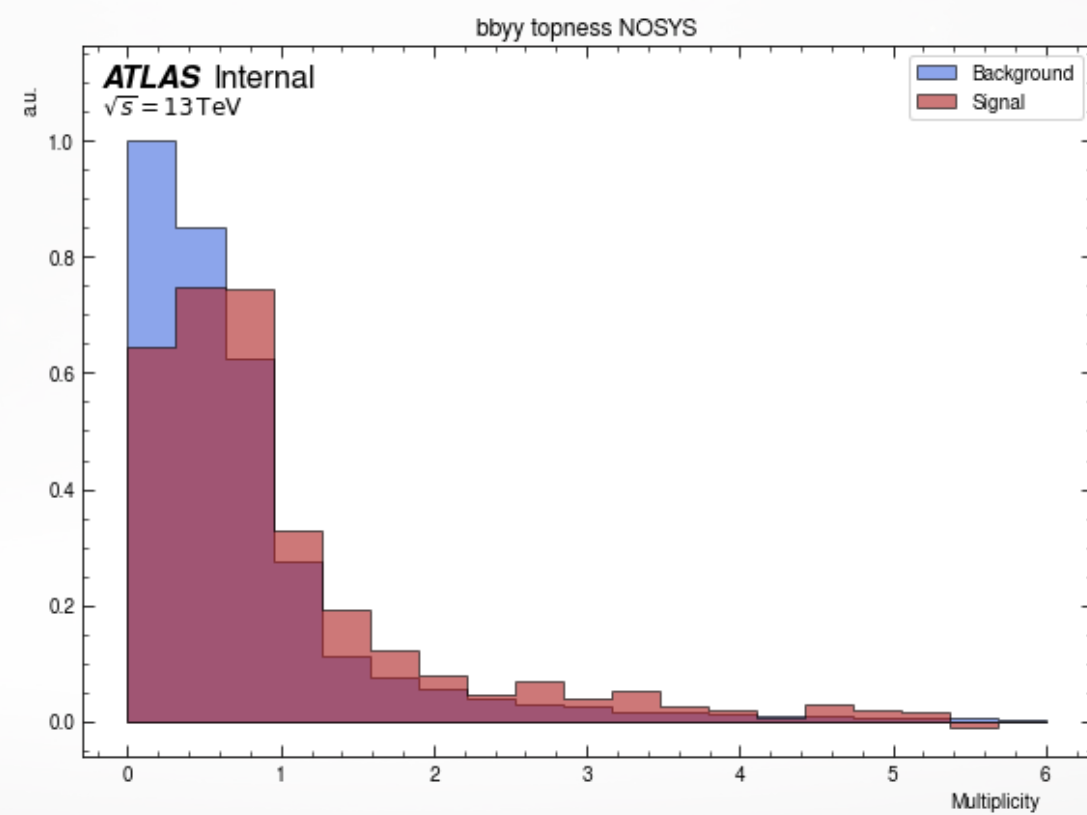
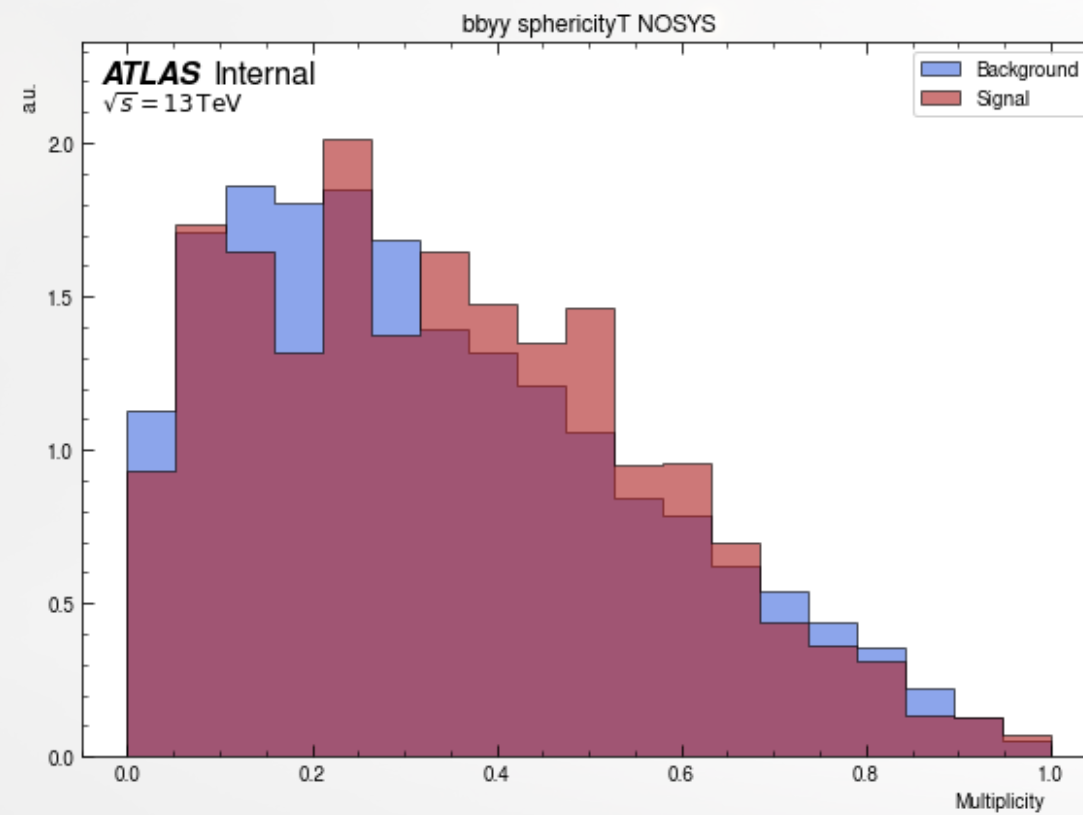
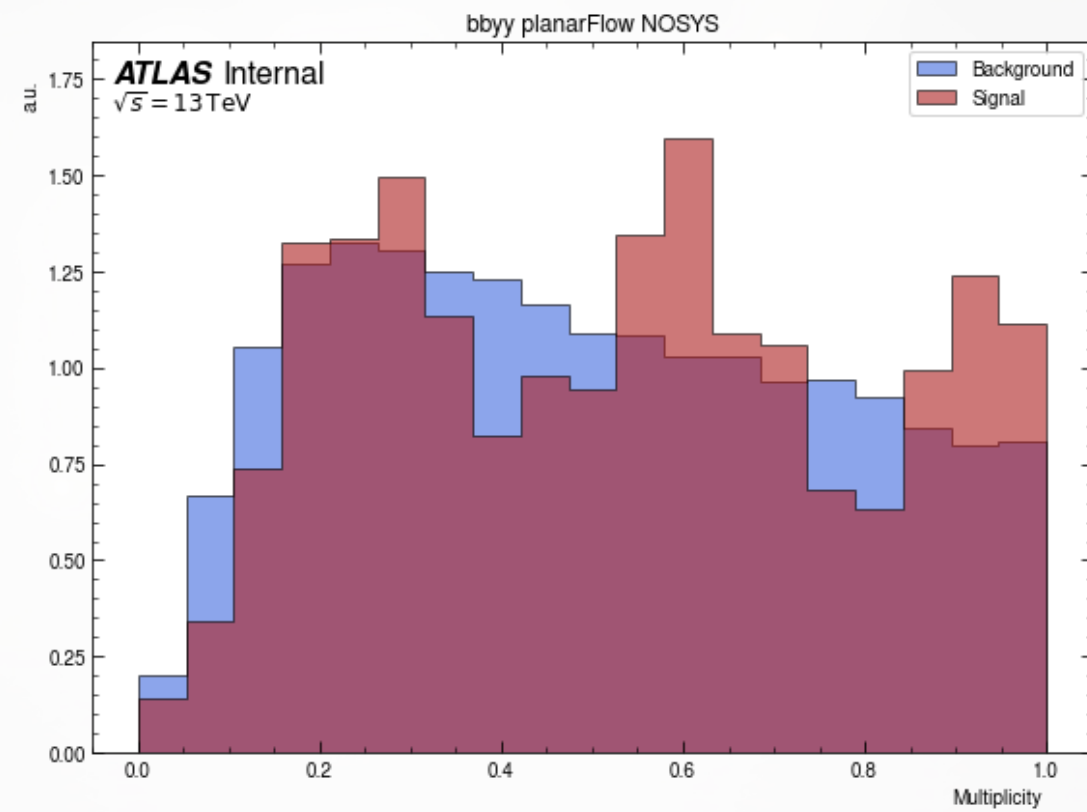
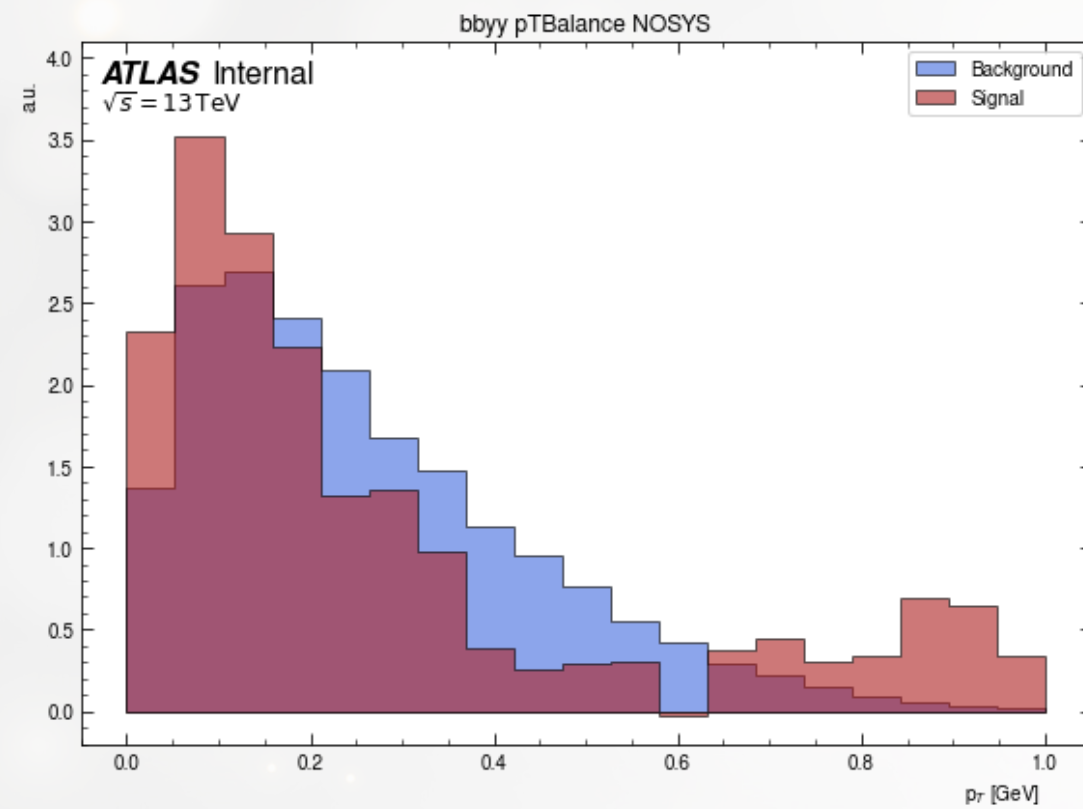


1

KINEMATIC ANALYSIS

2

Other variables

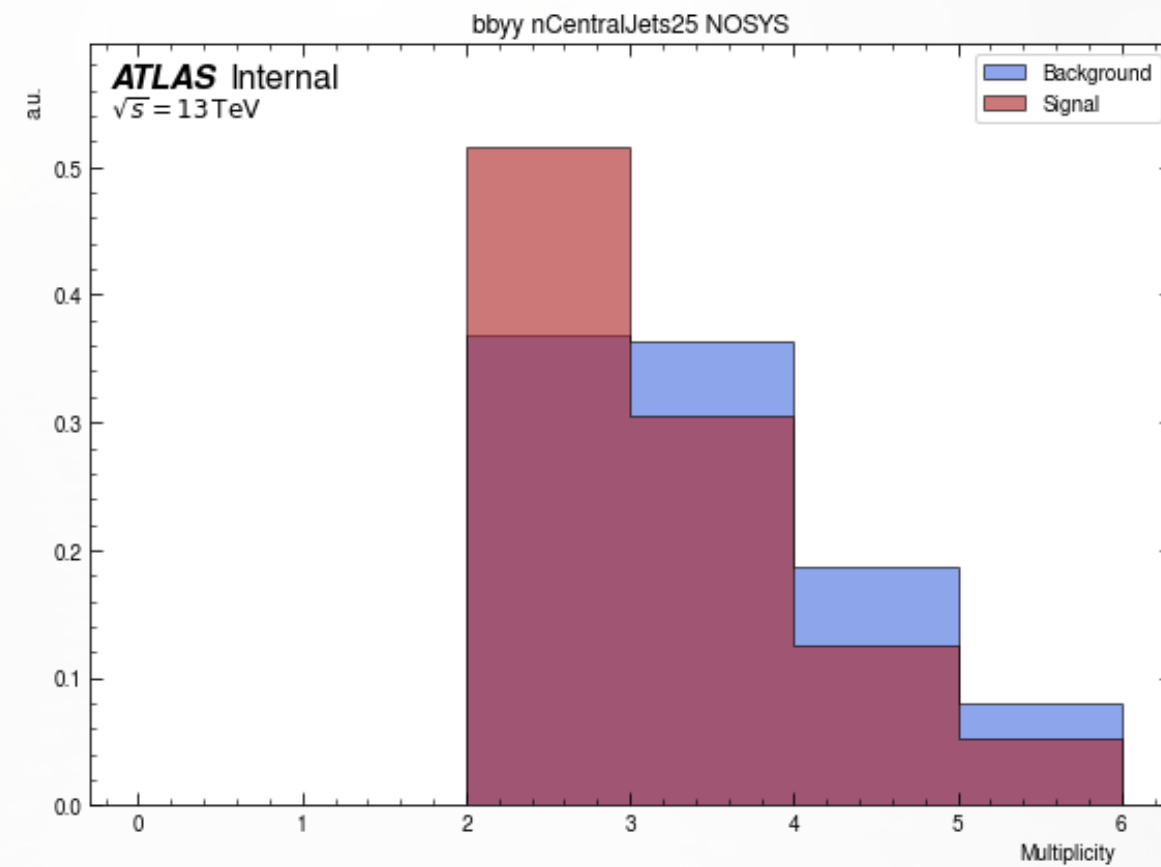
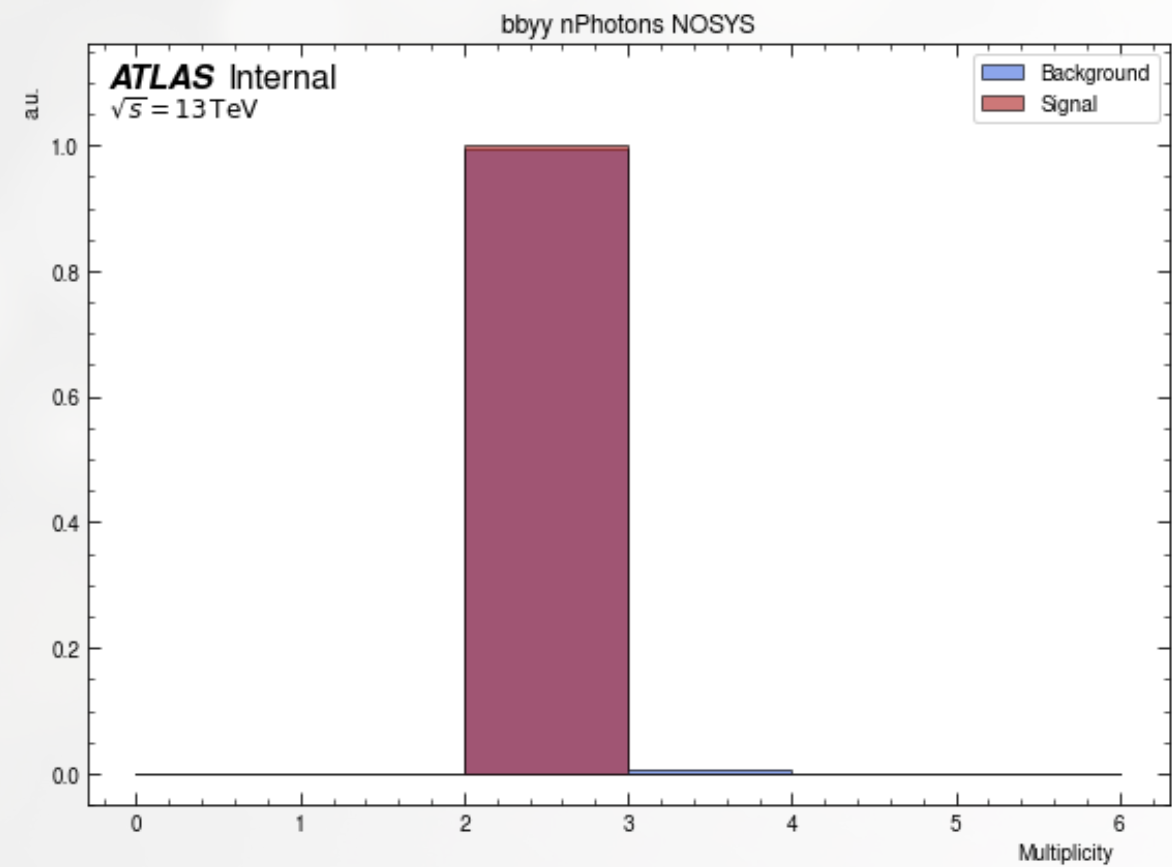


1

KINEMATIC ANALYSIS

2

Other variables



1

KINEMATIC ANALYSIS

2

2

FEATURES

b-tagging ratio

$$b\text{-tag ratio} = \frac{\text{pcbt}_{\text{jet } 1} + \text{pcbt}_{\text{jet } 2}}{\text{pcbt}_{\text{jet } 3} + \text{pcbt}_{\text{jet } 4} + 0.001}$$

Central p_T

$$\text{Central}_{p_T} = \frac{\sum_{i=1}^4 (\text{Jet } \{i\}) p_T \exp(-|\eta_i|)}{\sum_{i=1}^4 (\text{Jet } \{i\}) p_T}$$

Vector p_T Sum

$$\text{Jet_ph}_{\vec{p_T}} = \frac{\left| \sum_{i=1}^4 \text{Jet } \vec{p_{T,i}} + \sum_{i=1}^2 \gamma \vec{p_{T,i}} \right|}{\sum_{i=1}^4 \text{Jet } p_{T,i} + \sum_{i=1}^2 \gamma p_{T,i}}$$

Higgs p_T

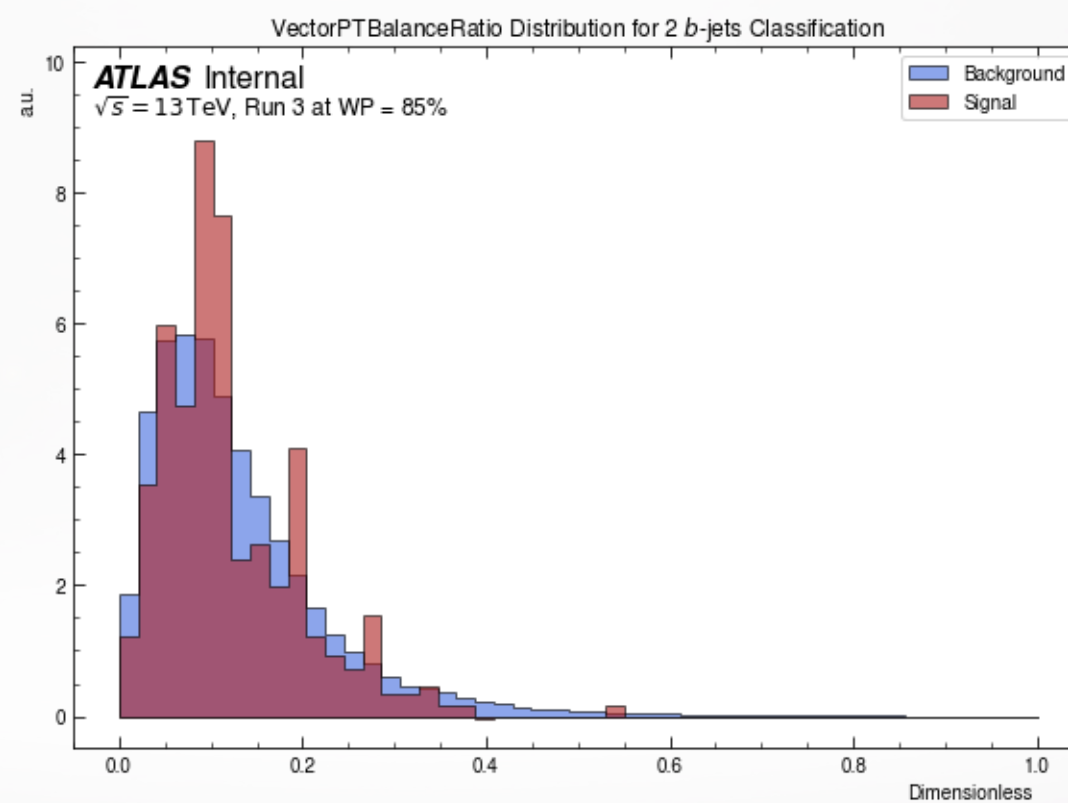
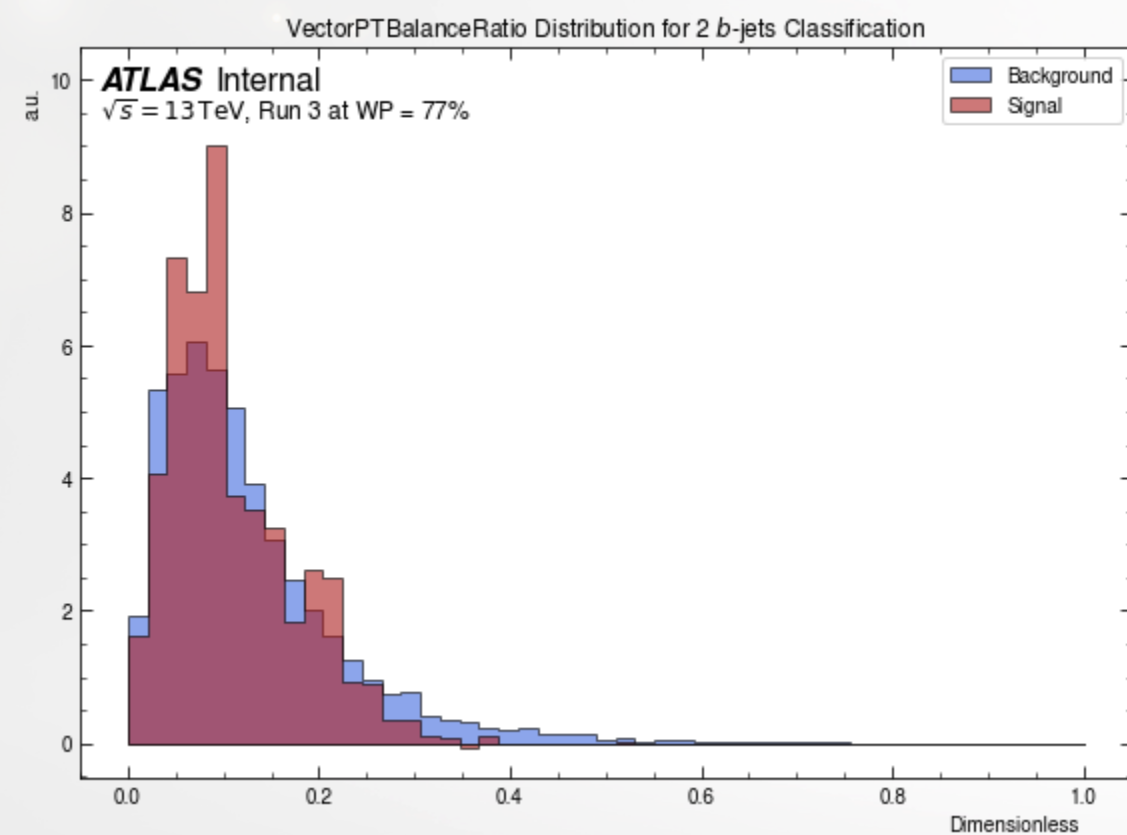
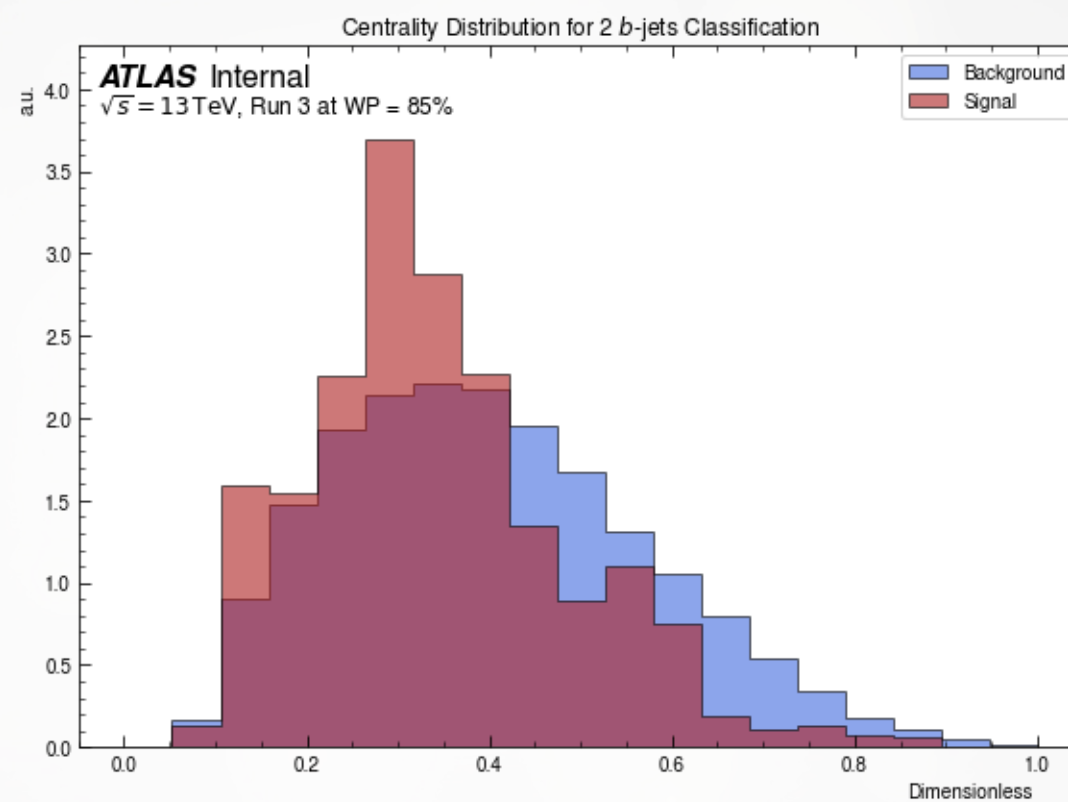
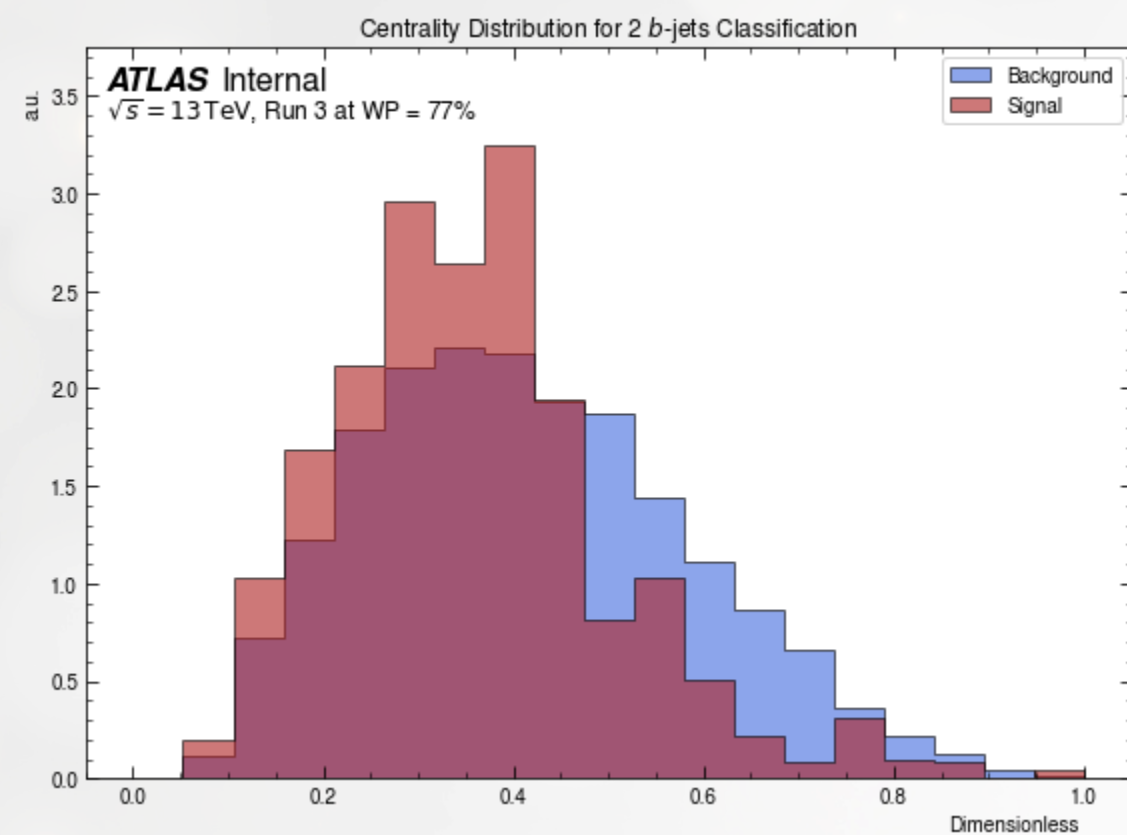
$$\text{Higgs}_{p_T \text{ Symmetry}} = \frac{pT_{\gamma\gamma} - pT_{bb}}{pT_{\gamma\gamma} + pT_{bb}}$$

3

2

FEATURES

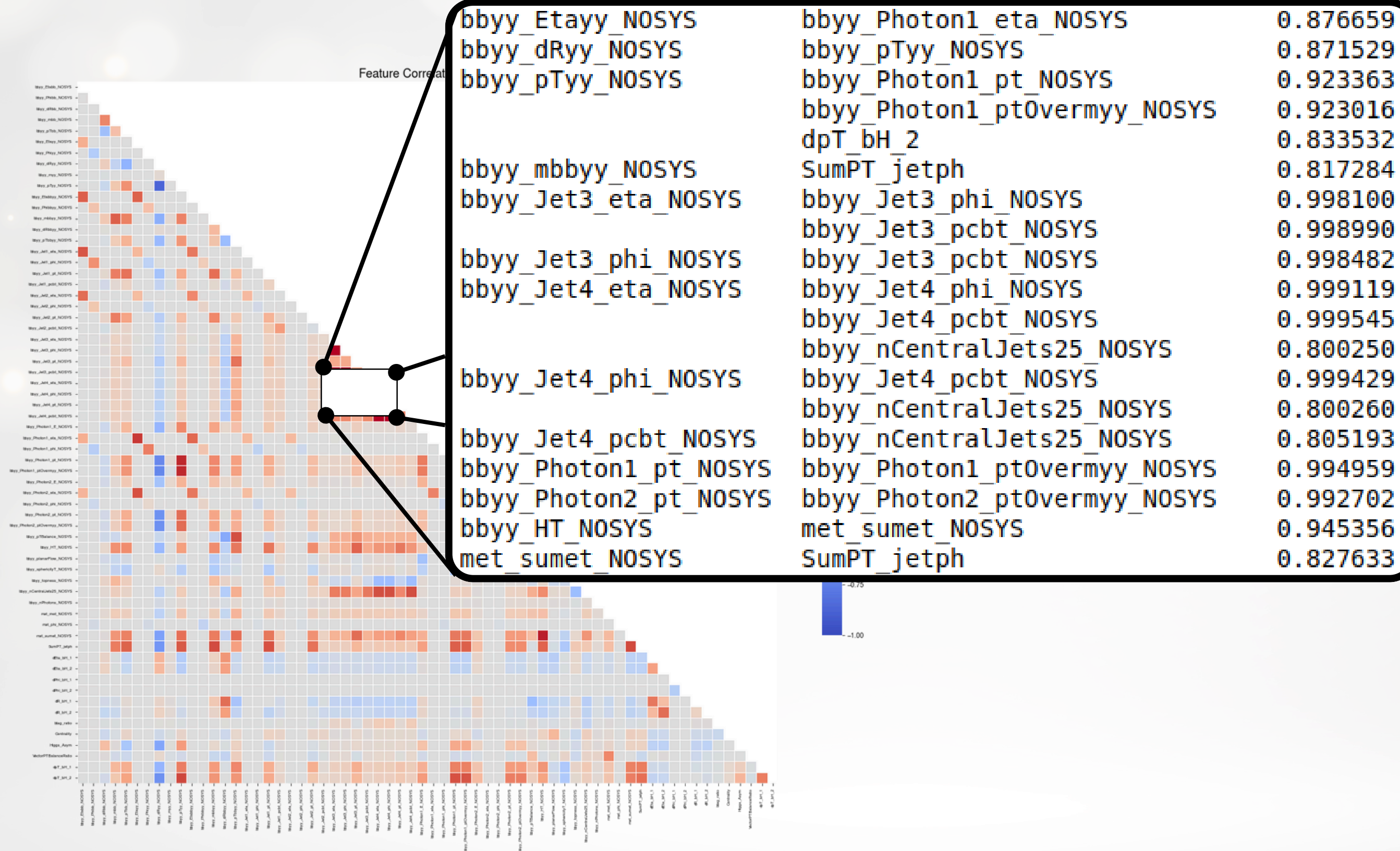
3



2

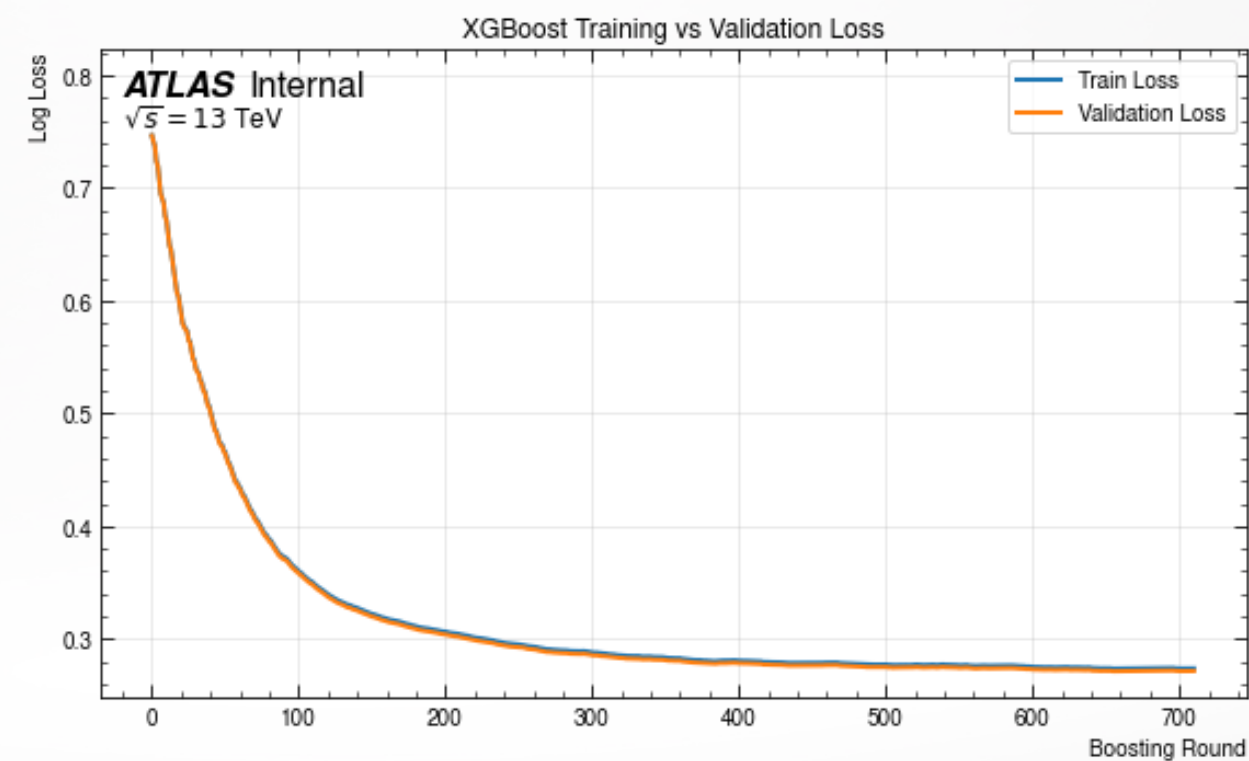
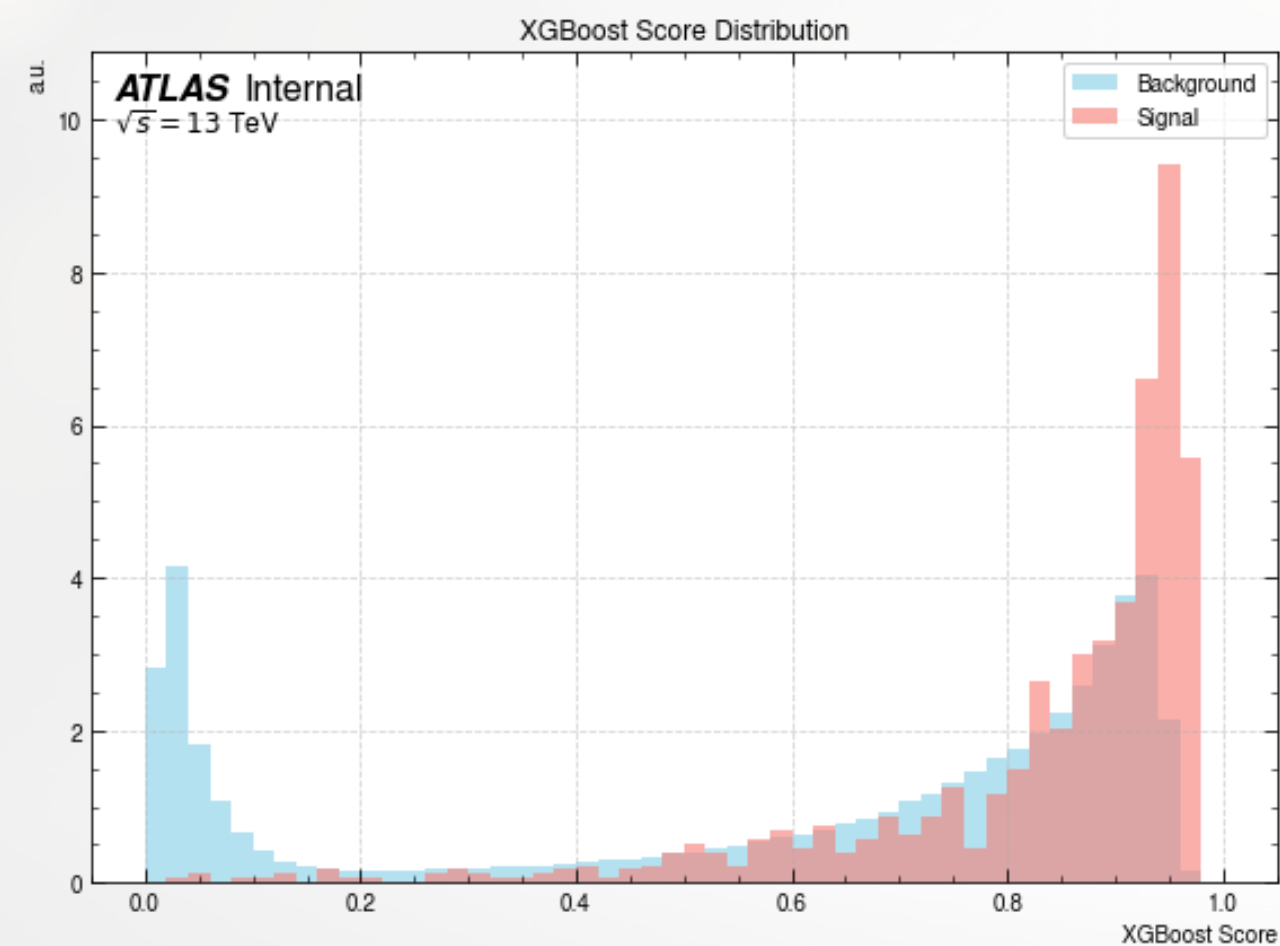
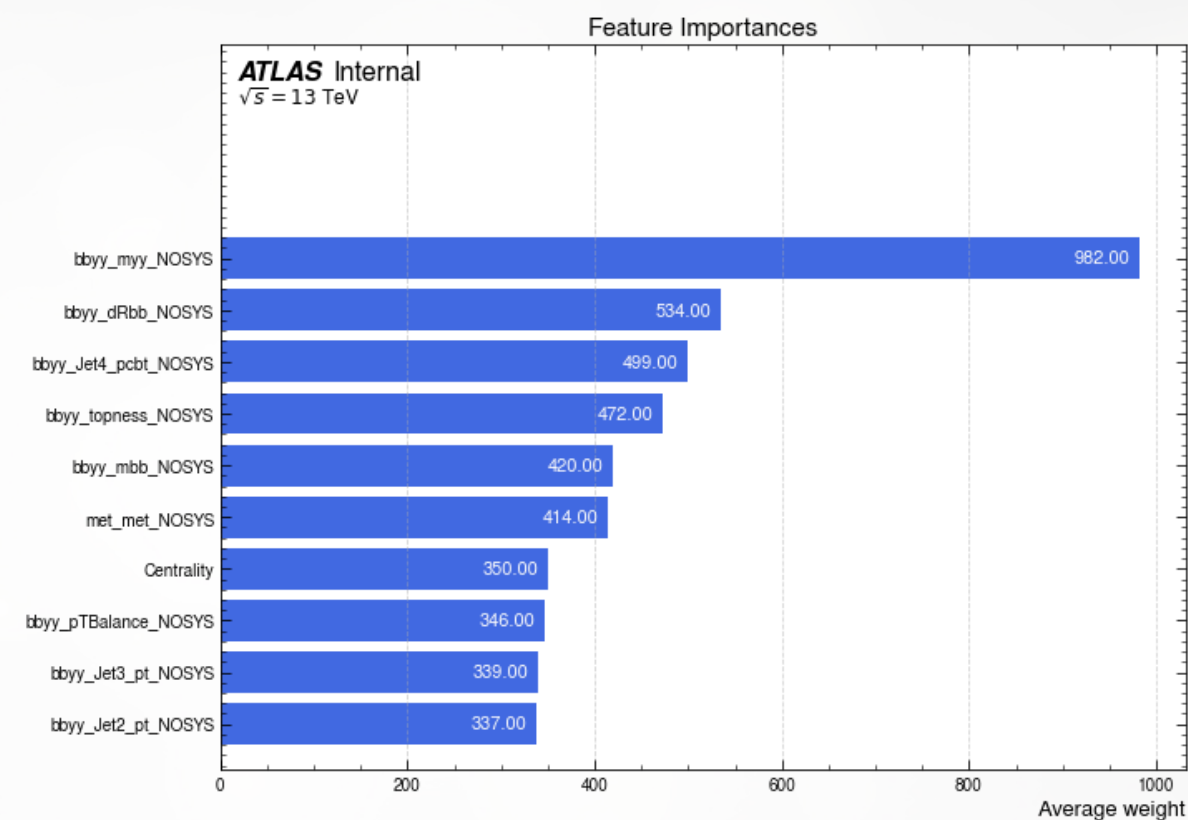
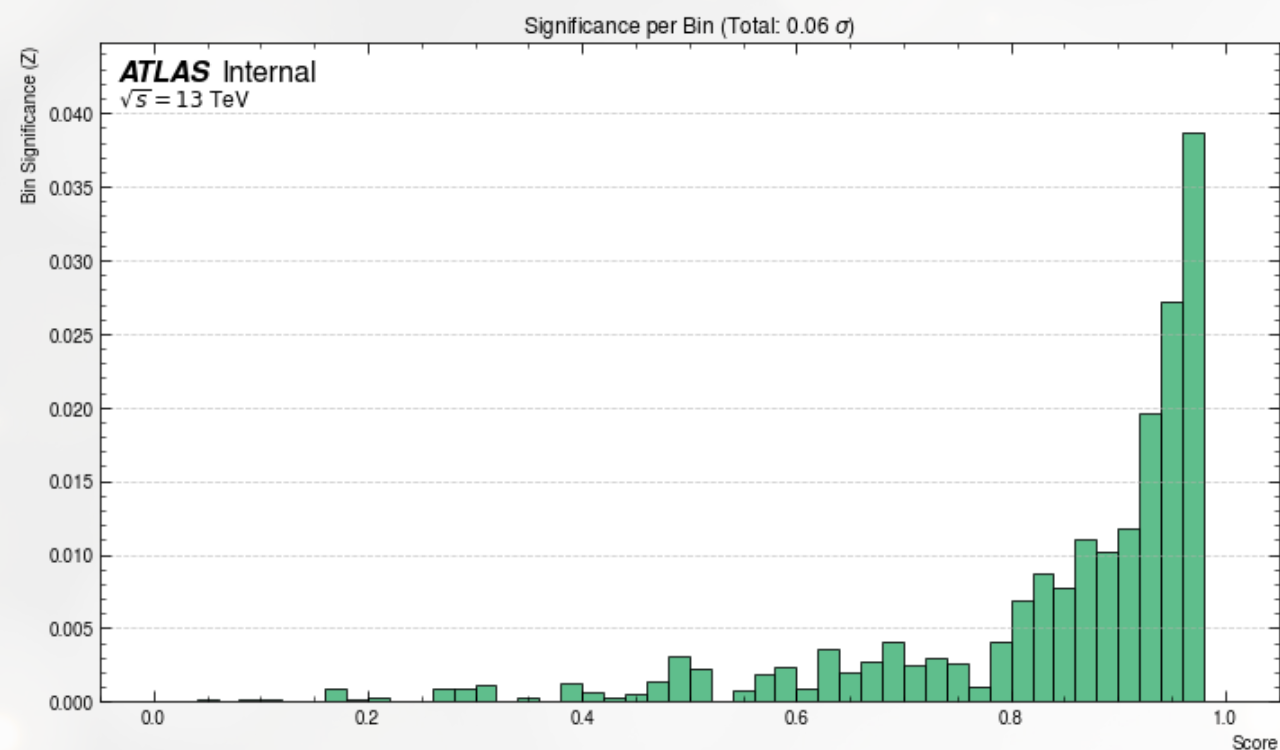
FEATURES

3



3

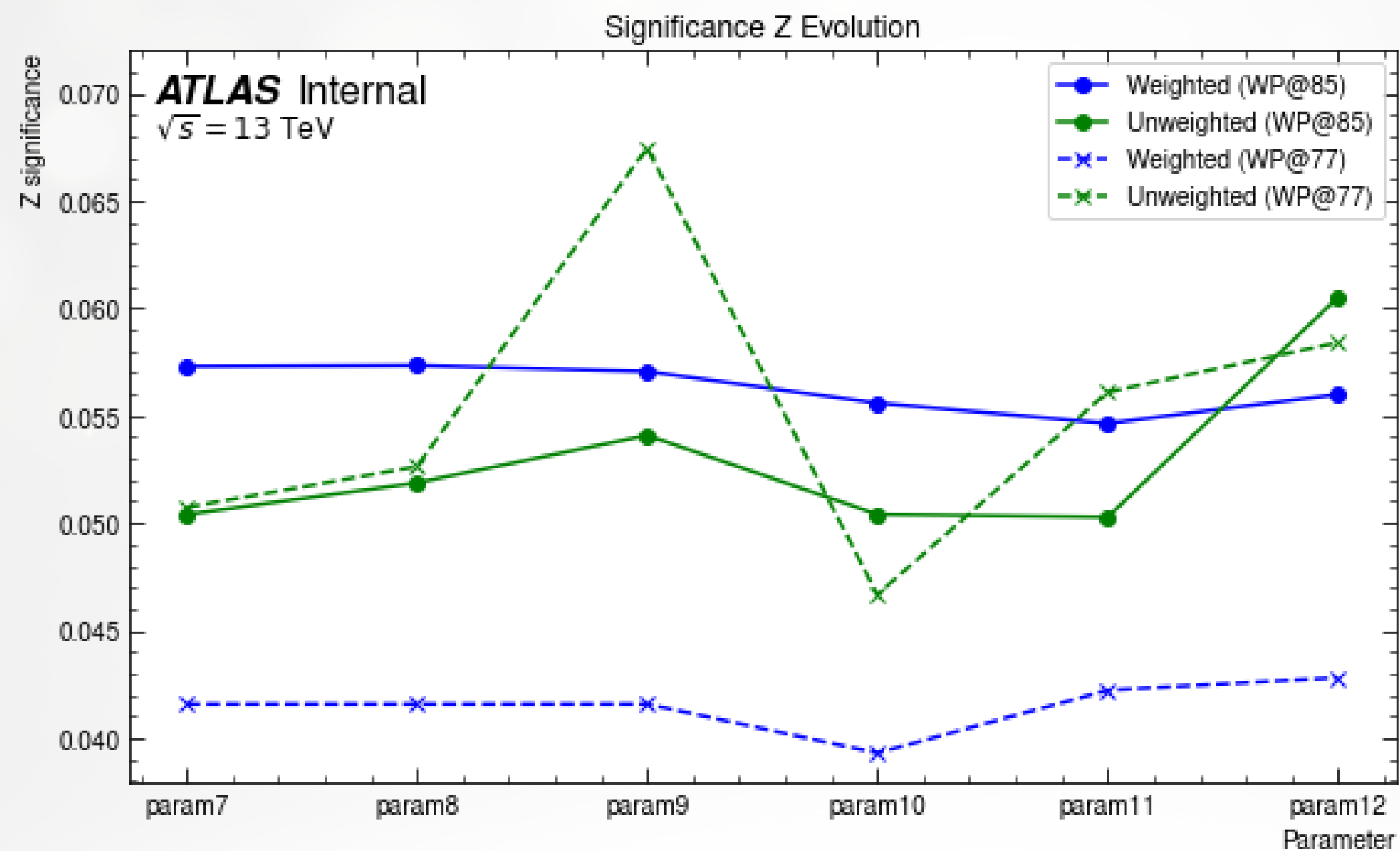
BOOSTED DECISSION TREE



4

3

BOOSTED DECISSION TREE



4

Data: Version 6

Run 2 Significance	WP = 77%	WP = 85%
1 b-tag	0.09	0.08
2 b-tag	0.05	0.05

Run 3 Significance	WP = 77%	WP = 85%
1 b-tag	0.08	0.07
2 b-tag	0.02	0.03

3

BOOSTED
DECISION TREE

4

3

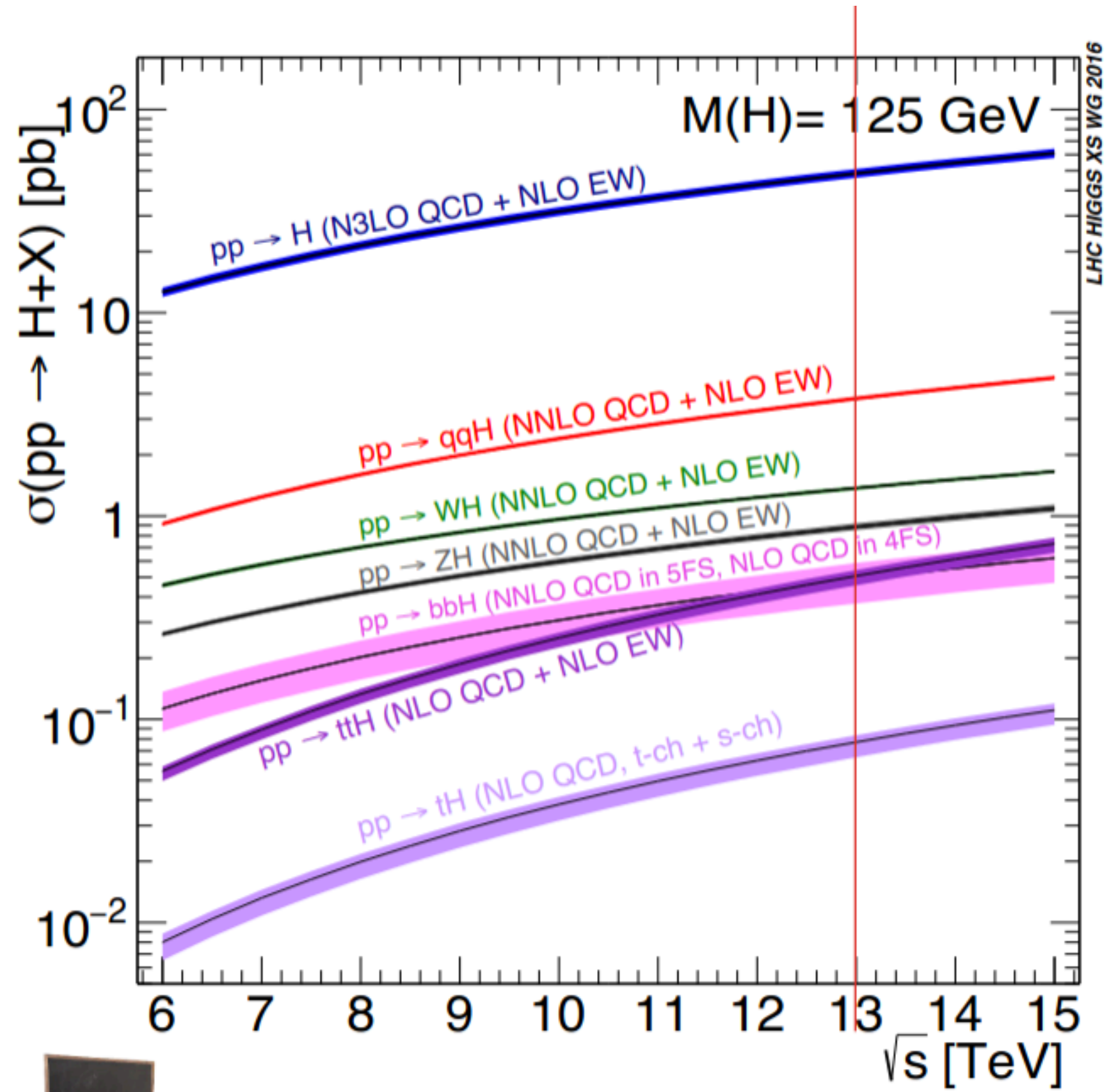
**BOOSTED
DECISION TREE**

4

Data: Version 9 (Has a required 2 b-tagged at WP = 85)

Run 2 Significance	WP = 77%	WP = 85%
2 b-tag	0.04	0.06

Run 3 Significance	WP = 77%	WP = 85%
2 b-tag	0.08	0.06



In finding the signal strength (μ), the negative log likelihood is minimized

$$NLL = -\log(\mathcal{L})$$

where the likelihood is defined as,

$$\mathcal{L}(\text{data}, \mu) = \prod_i \mathcal{P}(n_i | \mu \cdot s_i + b_i)$$

and P is a Poisson Distribution defined as,

$$\mathcal{P}(n_i | \mu \cdot s_i + b_i) = \frac{(\mu \cdot s_i + b_i)^{n_i} \exp(-(\mu \cdot s_i + b_i))}{n_i!}$$

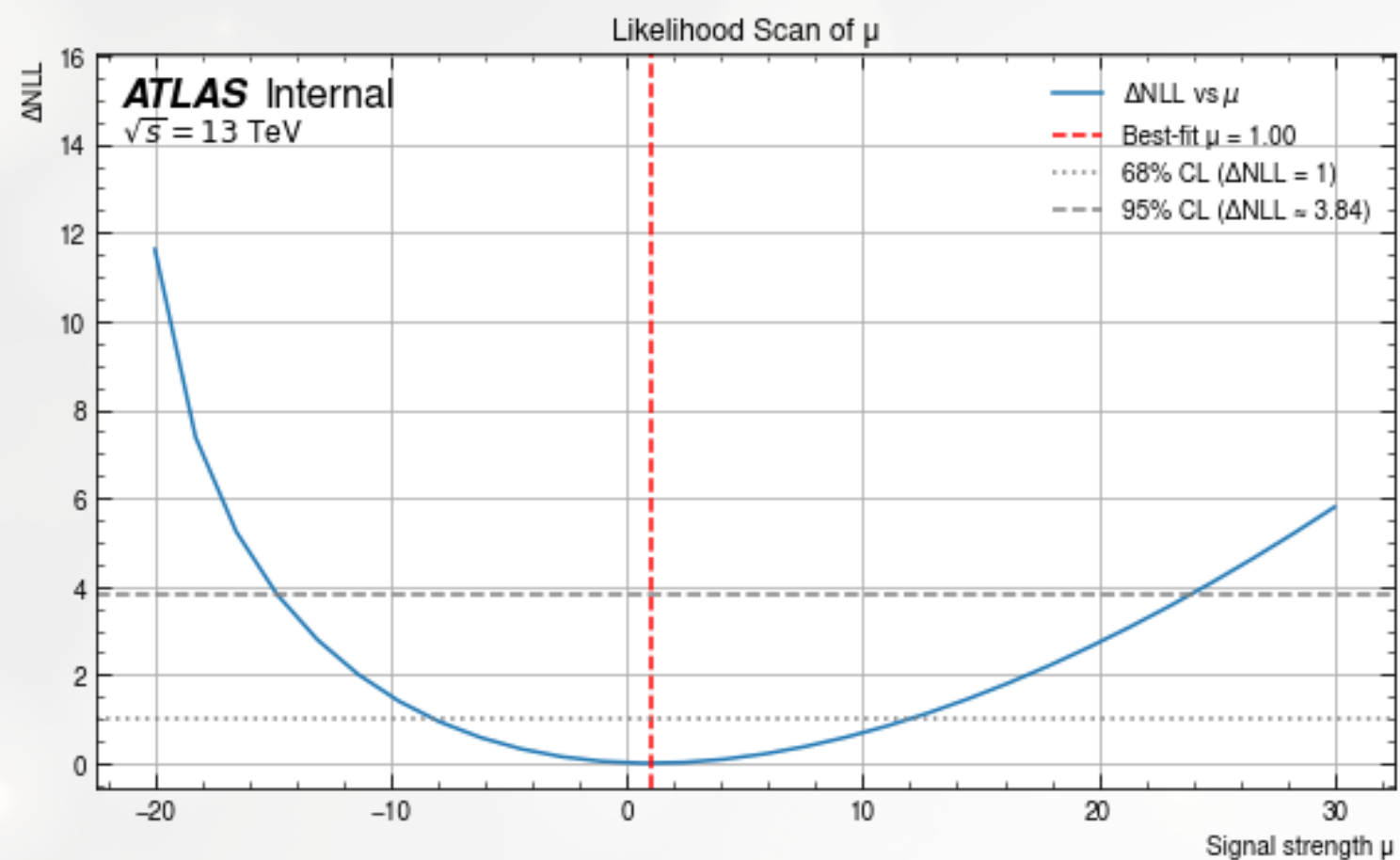
In getting the range of μ that can still explain the the data found with a certain confidence level

$$q(\mu) = -2 \ln \left(\frac{\mathcal{L}(\mu)}{\mathcal{L}(\mu_{best})} \right)$$

The 95% region is defined as $q(\mu) \leq 3.84$

5

STATISTICAL FIT



Signal strength (μ): 1.000
 95% CL interval: $\mu \in [-14.83, 24.83]$

